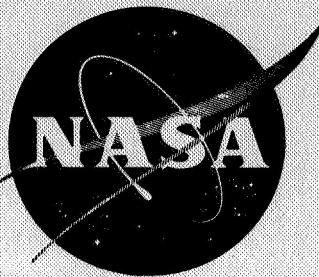


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A FORTRAN IV PROGRAM FOR PREDICTING THE UNCONTROLLED
DYNAMIC RESPONSE CHARACTERISTICS OF A SPINNING,
CABLE-CONNECTED, TWO-BODY SPACE STATION

By William E. Thomas, Jr.
Manned Spacecraft Center
Houston, Texas

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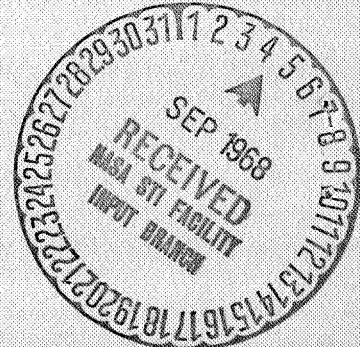
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ABSTRACT

This paper presents a 12-degree-of-freedom FORTRAN IV digital computer program to determine the nonlinear motion of two rigid bodies connected by massless cables and subject to external disturbances.

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DYNAMIC RESPONSE CHARACTERISTICS OF A SPINNING,
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By William E. Thomas, Jr.
Manned Spacecraft Center

SUMMARY

This paper presents a 12-degree-of-freedom digital computer program for determining the nonlinear motion of two rigid bodies connected by massless cables and subjected to time-dependent external sinusoidal forces and torques. The equations used in the program and a sample problem are included.

INTRODUCTION

Long-duration space missions may tax the ability of man to withstand long periods of weightlessness. Some uncertainty is presently associated with this ability. Because of this uncertainty, the study of techniques to provide an artificial gravity environment is very desirable. One of the most attractive means of achieving a high ratio of artificial gravity to spin velocity (equivalent to that of a large diameter space station) is to separate the manned vehicle from its adjacent booster stage by means of flexible cables and to spin the two bodies about their composite mass center. The problem of determining the dynamic response characteristics of this type of configuration is dealt with in this paper by means of a 12-degree-of-freedom digital computer program.

The disturbances presently allowed for in the program include time-dependent external sinusoidal forces and torques on both bodies. These disturbances can be used to determine the general dynamic characteristics of a given configuration and to determine the effect on these characteristics of altering body and cable parameters and/or cable configurations. The equations defining these external disturbances are programmed in an external force subroutine distinct from the rest of the program (appendix A). Equations representing other external disturbances (gravity gradient torques, reaction control system jets, associated control equations, et cetera) may be included in the program by replacing and/or adding the appropriate punched cards in the force subroutine. Perturbations resulting from internal mass shifts and fixed internal rotating masses may be included in the program by adding the appropriate terms to Euler's dynamical equations. Instantaneous cable length and forces are calculated in a subroutine which represents cable free length as a constant. This subroutine may be easily

modified to study vehicle motion during cable extension or retraction by simply representing cable free length as an arbitrary function of time and/or any of the dependent variables in the program. Appendix B provides data on the general input and output of the program.

SYMBOLS

A_2	instantaneous angular velocity of body 2 about c.g. comp , deg/sec
AA, BB	defined by equations (18) and (19)
$AF_{x,n}, AF_{y,n}, AF_{z,n}$	components of amplitude of the impressed force acting on body n along i_n -, j_n -, and k_n -axis, respectively, lb ($n = 1, 2$)
$AG_{x,n}, AG_{y,n}, AG_{z,n}$	components of amplitude of the impressed torque acting on body n about i'_n -, j'_n -, and k'_n -axis, respectively, in-lb ($n = 1, 2$)
a, b, c	components of translational velocity of c.g. 2 relative to c.g. comp , directed parallel to the $\bar{\bar{X}}\bar{\bar{Y}}$ plane and perpendicular to the plane of θ_{RB} , directed radially outward from c.g. comp , and directed perpendicular to b and in the plane of θ_{RB} , in/sec
CD_n	equivalent viscous damping coefficient for cable n , lb-sec/in. ($n = 2, \dots, N + 1$)
$CG_{x,n}, CG_{y,n}, CG_{z,n}$	components of torque acting through c.g. n about i_n -, j_n -, and k_n -axis, respectively, because of N cables, in-lb ($n = 1, 2$)
$CG_{x',n}, CG_{y',n}, CG_{z',n}$	components of torque acting through c.g. n about i'_n -, j'_n -, and k'_n -axis, respectively, because of N cables, in-lb ($n = 1, 2$)
CK_n	spring constant of cable n , lb/in. ($n = 2, \dots, N + 1$)

CL_n	unstretched length of cable _n , in. (n = 2, ..., N + 1)
C_f, \max	number of the highest stressed cable
cable _n	cable connected to points $P_{1,n}$ and $P_{2,n}$ (n = 2, ..., N + 1)
c.g. comp	center of gravity of composite configuration
c.g. _n	center of gravity of body _n (n = 1, 2)
D	vector sum of a and c, in/sec
FD_n	total damping force in cable _n , lb (n = 2, ..., N + 1)
FK_n	total spring force in cable _n , lb (n = 2, ..., N + 1)
F_c, \max	force on the highest stressed cable, lb
$F_{x,n}, F_{y,n}, F_{z,n}$	components of impressed force acting on body _n along i_n^- , j_n^- , and k_n^- -axis, respectively, lb (n = 1, 2)
$F_{x,1}C_n, F_{y,1}C_n, F_{z,1}C_n$	components of force (because of cable _n) acting on body 1 parallel to i_1^- , j_1^- , and k_1^- -axis, respectively, lb (n = 2, ..., N + 1)
$F_{x,2}C_n, F_{y,2}C_n, F_{z,2}C_n$	components of force (because of cable _n) acting on body 2 parallel to i_2^- , j_2^- , and k_2^- -axis, respectively, lb (n = 2, ..., N + 1)
$G_{x,n}, G_{y,n}, G_{z,n}$	components of impressed torque acting on body _n about i_n' , j_n' , and k_n' -axis, respectively, in-lb (n = 1, 2)
$G_{x,1,n}, G_{y,1,n}, G_{z,1,n}$	components of torque acting through c.g. ₁ about i_1^- , j_1^- , and k_1^- -axis, respectively, because of cable _n , in-lb (n = 2, ..., N + 1)
$G_{x,2,n}, G_{y,2,n}, G_{z,2,n}$	components of torque acting through c.g. ₂ about i_2^- , j_2^- , and k_2^- -axis, respectively, because of cable _n , in-lb (n = 2, ..., N + 1)

$I_{i',n}, I_{j',n}, I_{k',n}$	body n moments of inertia about i'_n -, j'_n -, and k'_n -axis, respectively, lb-sec ² -in. (n = 1, 2)
i_{RB}, j_{RB}, k_{RB}	orthogonal pseudorigid body axes fixed at c.g. comp
i_n, j_n, k_n	arbitrary orthogonal axes body fixed at c.g. n (n = 1, 2)
i'_n, j'_n, k'_n	principal axes of inertia for body n (n = 1, 2)
$\bar{i}_n, \bar{j}_n, \bar{k}_n$	unit vectors directed parallel to and in the positive direction of the i_n -, j_n -, and k_n -axis, respectively (n = 1, 2)
$\bar{i}'_n, \bar{j}'_n, \bar{k}'_n$	unit vectors directed parallel to and in the positive direction of the i'_n -, j'_n -, and k'_n -axis, respectively (n = 1, 2)
KK_n, ZZ_n	functions defined by equations (13) and (14), (n = 1, 2)
$[l_n]$	matrix of direction cosines for transforming vector components from the principal body axes of body n to the arbitrary body axes of body n (n = 1, 2)
M_n	mass of body n, lb-sec ² /in. (n = 1, 2)
N	number of cables
$P_{1,n}, P_{2,n}$	points on bodies 1 and 2, respectively, for which relative displacement vectors are determined (n = 1, 2, ..., N + 1) (cable attachment points for n = 2, ..., N + 1)
$\overline{P_{1,n}P_{2,n}}$	magnitude of relative displacement vector from point $P_{1,n}$ to point $P_{2,n}$, in. (n = 1, 2, ..., N + 1)
$TF_{x,n}, TF_{y,n}, TF_{z,n}$	components of total force acting on body n along i_n -, j_n -, and k_n -axis, respectively, lb (n = 1, 2)
$TG_{x,n}, TG_{y,n}, TG_{z,n}$	components of total moment acting through c.g. n about i'_n -, j'_n -, and k'_n -axis, respectively, in-lb (n = 1, 2)
t	time, sec

u_n'', v_n'', w_n''	components of translational velocity vector of c.g. n along i_n -, j_n -, and k_n -axis, respectively, in/sec ($n = 1, 2$)
$\bar{X}_n, \bar{Y}_n, \bar{Z}_n$	components of relative displacement vector from point $P_{1,n}$ to point $P_{2,n}$ parallel to i_1 -, j_1 -, and k_1 -axis, respectively, in. ($n = 1, 2, \dots, N + 1$)
$\bar{X}_{P,1,n}, \bar{Y}_{P,1,n}, \bar{Z}_{P,1,n}$	components of relative displacement vector from c.g. 1 to $P_{1,n}$ along i_1 -, j_1 -, and k_1 -axis, respectively, in. ($n = 1, 2, \dots, N + 1$)
$\bar{X}_{P,2,n}, \bar{Y}_{P,2,n}, \bar{Z}_{P,2,n}$	components of relative displacement vector from c.g. 2 to $P_{2,n}$ along i_2 -, j_2 -, and k_2 -axis, respectively, in. ($n = 1, 2, \dots, N + 1$)
$\bar{\bar{X}}, \bar{\bar{Y}}, \bar{\bar{Z}}$	inertially fixed orthogonal axes
$\bar{\bar{X}}', \bar{\bar{Y}}', \bar{\bar{Z}}'$	orthogonal axes parallel with $\bar{\bar{X}}$ -, $\bar{\bar{Y}}$ -, and $\bar{\bar{Z}}$ -axis, respectively, with origin at c.g. $comp$
$\bar{\bar{X}}_{c.g.}, \bar{\bar{Y}}_{c.g.}, \bar{\bar{Z}}_{c.g.}$	components of c.g. $comp$ displacement vector along $\bar{\bar{X}}$ -, $\bar{\bar{Y}}$ -, and $\bar{\bar{Z}}$ -axis, respectively, in.
$\bar{\bar{X}}'_{c.g.}, \bar{\bar{Y}}'_{c.g.}, \bar{\bar{Z}}'_{c.g.}$	components of relative displacement vector from c.g. $comp$ to c.g. 1 along $\bar{\bar{X}}'$ -, $\bar{\bar{Y}}'$ -, and $\bar{\bar{Z}}'$ -axis, respectively, in.
$\bar{\bar{X}}_n, \bar{\bar{Y}}_n, \bar{\bar{Z}}_n$	components of c.g. n displacement vector along $\bar{\bar{X}}$ -, $\bar{\bar{Y}}$ -, and $\bar{\bar{Z}}$ -axis, respectively, in.
α	spin-plane pointing error, deg
$\alpha_{1,n}, \alpha_{2,n}, \alpha_{3,n}$	functions defined by equations (37), (38), and (39) ($n = 1, 2, \dots, N + 1$)
$[\Gamma]$	general coordinate transformation matrix, defined by equation (1)

$[\bar{\Gamma}]$	orthogonal transformation matrix for transforming vector components from the arbitrary body axes of body 1 to the arbitrary body axes of body 2
$[\Gamma_n]$	orthogonal transformation matrix for transforming vector components from the inertially fixed axis system to the arbitrary body axes of body n ($n = 1, 2$)
$[\Gamma_R]$	orthogonal transformation matrix for transforming vector components from the inertially fixed axis system to the pseudorigid body axis system
$[\Gamma_{R,n}]$	orthogonal transformation matrix for transforming vector components from the pseudorigid body axis system to the arbitrary body axes of body n ($n = 1, 2$)
γ	angle between a and D , deg
ψ, θ, ϕ	general Euler angles
$\bar{\psi}, \bar{\theta}, \bar{\phi}$	Euler angles defining angular orientation of arbitrary body-fixed axes i_2, j_2 , and k_2 with respect to arbitrary body-fixed axes i_1, j_1 , and k_1 , deg
$\psi_{RB}, \theta_{RB}, \phi_{RB} (\phi=0)$	Euler angles defining angular orientation of pseudorigid body axes i_{RB}, j_{RB} , and k_{RB} with respect to axes $\bar{X}', \bar{Y}',$ and $\bar{Z}',$ deg
ψ_n, θ_n, ϕ_n	Euler angles defining angular orientation of arbitrary body-fixed axes i_n, j_n , and k_n with respect to inertially fixed axes $\bar{X}, \bar{Y},$ and $\bar{Z},$ deg ($n = 1, 2$)
$\psi_{s,n}, \theta_{s,n}, \phi_{s,n}$	Euler angles defining angular orientation of arbitrary body-fixed axes i_n, j_n , and k_n with respect to pseudorigid body axes i_{RB}, j_{RB} , and k_{RB} , deg ($n = 1, 2$)
$\Omega_{x,n}, \Omega_{y,n}, \Omega_{z,n}$	body n angular velocity components about i_n -, j_n -, and k_n -axis, respectively, deg/sec ($n = 1, 2$)
$\Omega'_{x,n}, \Omega'_{y,n}, \Omega'_{z,n}$	body n angular velocity components about i'_n -, j'_n -, and k'_n -axis, respectively, deg/sec ($n = 1, 2$)
$\Omega_{x,1L}, \Omega_{y,1L}, \Omega_{z,1L}$	functions defined by equation (33)

$\omega_{F,n}$	frequency of the impressed force acting on body n, rad/sec (n = 1, 2)
$\omega_{T,n}$	frequency of the impressed torque acting on body n, rad/sec (n = 1, 2)

Subscripts:

m	defines matrix row
p	defines matrix column

A dot over a symbol indicates differentiation with respect to t.

ANALYSIS

Axes Systems and General Vehicle Orientation

The general body orientation of the spacecraft is shown in figure 1. Each body has two body-fixed orthogonal axes systems having origins at the body center of gravity. One of the systems must be coincident with the body principal axes. The rotational equations of motion for each body are written with respect to this system and thus will reduce to Euler's dynamical equations. Angular orientation of the other axes system within the body is completely arbitrary; however, the system is usually located coincident with geometrically symmetric axes, if such axes exist. This arbitrary system is angularly located in an inertial frame by a set of Euler angles defined in figure 2. The translational equations of motion for each body are written with respect to this arbitrary system. The arbitrary systems in the two bodies are angularly related to each other by a set of relative Euler angles which reduce to pitch, yaw, and roll for small angles (fig. 3). The two axes systems within a given body are related by a set of direction cosines.

Composite body motion is broken up into pseudorigid body motion and flexible body motion. The pseudorigid body is defined as a straight line connecting the two body centers of gravity. This pseudorigid body has a body-fixed orthogonal axes system with its origin at the composite center of gravity. An auxiliary set of reference axes $\bar{\bar{X}}'$, $\bar{\bar{Y}}'$, and $\bar{\bar{Z}}'$ (parallel to the fixed inertial axes and located at the composite center of gravity) is used to angularly orient the pseudorigid body in inertial space. Pseudorigid body orientation is shown in figure 4. Note that the i_{RB} axis is coincident with the pseudorigid body and directed toward body 2 and that the j_{RB} axis is restricted to the $\bar{\bar{X}}'\bar{\bar{Y}}'$ plane (a line can have no roll displacement). The angles ψ_{RB} and θ_{RB} define pseudorigid body inertial angular response, and the coordinates $\bar{\bar{X}}_{c.g.}$, $\bar{\bar{Y}}_{c.g.}$, and $\bar{\bar{Z}}_{c.g.}$ define pseudorigid body inertial translational response. The flexible cables

connecting the two bodies will superimpose structural oscillations on the pseudorigid body motion. The structural response of each body is measured by a set of Euler angles relating the respective arbitrary body axes to the pseudorigid body axes (fig. 5) and by monitoring the instantaneous length of the pseudorigid body $\overline{P_1, 1} \overline{P_2, 1}$. The program will also calculate the instantaneous angular velocity of body 2 about the composite center of gravity (fig. 6).

A number of coordinate transformations are required by the program. To simplify the description of many of these transformations, the following general matrix will be required.

$$[\Gamma] = \begin{bmatrix} \Gamma_{11} & \Gamma_{12} & \Gamma_{13} \\ \Gamma_{21} & \Gamma_{22} & \Gamma_{23} \\ \Gamma_{31} & \Gamma_{32} & \Gamma_{33} \end{bmatrix} = \begin{bmatrix} \cos \theta \cos \psi & \cos \theta \sin \psi & -\sin \theta \\ -\sin \psi \cos \phi + \sin \phi \sin \theta \cos \psi & \cos \phi \cos \psi + \sin \phi \sin \theta \sin \psi & \sin \phi \cos \theta \\ \sin \psi \sin \phi + \cos \phi \sin \theta \cos \psi & -\sin \phi \cos \psi + \cos \phi \sin \theta \sin \psi & \cos \phi \cos \theta \end{bmatrix} \quad (1)$$

The principal body axes are related to the arbitrary body axes (for a given body) as follows

$$\begin{Bmatrix} i_n \\ j_n \\ k_n \end{Bmatrix} = [\ell_n] \begin{Bmatrix} i'_n \\ j'_n \\ k'_n \end{Bmatrix} \quad (2)$$

where $n = 1, 2$ and $[\ell_n]$ is given by

$$[\ell_n] = \begin{bmatrix} \bar{i}_n \cdot \bar{i}'_n & \bar{i}_n \cdot \bar{j}'_n & \bar{i}_n \cdot \bar{k}'_n \\ \bar{j}_n \cdot \bar{i}'_n & \bar{j}_n \cdot \bar{j}'_n & \bar{j}_n \cdot \bar{k}'_n \\ \bar{k}_n \cdot \bar{i}'_n & \bar{k}_n \cdot \bar{j}'_n & \bar{k}_n \cdot \bar{k}'_n \end{bmatrix} \quad (3)$$

The inertial axes are related to the arbitrary body axes (for a given body) as follows

$$\begin{Bmatrix} i_n \\ j_n \\ k_n \end{Bmatrix} = [\Gamma_n] \begin{Bmatrix} \bar{\bar{X}} \\ \bar{\bar{Y}} \\ \bar{\bar{Z}} \end{Bmatrix} \quad (4)$$

where $n = 1, 2$ and $[\Gamma_n]$ is given by equation (1) after the following substitutions are made: $[\Gamma] = [\Gamma_n]$, $\Gamma_{mp} = \Gamma_{mp,n}$, $\psi = \psi_n$, $\theta = \theta_n$, and $\phi = \phi_n$ where $m = 1, 2, 3$ and $p = 1, 2, 3$. The arbitrary body axes of body 1 are related to the arbitrary body axes of body 2 as follows

$$\begin{Bmatrix} i_2 \\ j_2 \\ k_2 \end{Bmatrix} = [\bar{\Gamma}] \begin{Bmatrix} i_1 \\ j_1 \\ k_1 \end{Bmatrix} \quad (5)$$

where $[\bar{\Gamma}]$ is given by equation (1) after the following substitutions are made: $[\Gamma] = [\bar{\Gamma}]$, $\Gamma_{mp} = \bar{\Gamma}_{mp}$, $\theta = \bar{\theta}$, $\psi = \bar{\psi}$, and $\phi = \bar{\phi}$ where $m = 1, 2, 3$ and $p = 1, 2, 3$. The inertial axes are angularly related to the pseudorigid body axes as follows

$$\begin{Bmatrix} i_{RB} \\ j_{RB} \\ k_{RB} \end{Bmatrix} = [\Gamma_R] \begin{Bmatrix} \bar{\bar{X}} \\ \bar{\bar{Y}} \\ \bar{\bar{Z}} \end{Bmatrix} \quad (6)$$

where $[\Gamma_R]$ is given by equation (1) after the following substitutions are made: $[\Gamma] = [\Gamma_R]$, $\Gamma_{mp} = \Gamma_{R,mp}$, $\theta = \theta_{RB}$, $\psi = \psi_{RB}$, and $\phi = 0.0$ where $m = 1, 2, 3$ and $p = 1, 2, 3$. The Euler angles in equation (6) are derived quantities obtained from

the following equations.

$$\psi_{RB} = \tan^{-1} \left(\frac{\bar{\bar{Y}}_2 - \bar{\bar{Y}}_{c.g.}}{\bar{\bar{X}}_2 - \bar{\bar{X}}_{c.g.}} \right) \quad (7)$$

$$\theta_{RB} = \tan^{-1} \left(\frac{\bar{\bar{Z}}_{c.g.} - \bar{\bar{Z}}_2}{\sqrt{(\bar{\bar{X}}_2 - \bar{\bar{X}}_{c.g.})^2 + (\bar{\bar{Y}}_2 - \bar{\bar{Y}}_{c.g.})^2}} \right) \quad (8)$$

The pseudorigid body axes are related to the arbitrary body axes (for a given body) as follows

$$\begin{Bmatrix} i_n \\ j_n \\ k_n \end{Bmatrix} = [\Gamma_{R, n}] \begin{Bmatrix} i_{RB} \\ j_{RB} \\ k_{RB} \end{Bmatrix} \quad (9)$$

where $n = 1, 2$ and $[\Gamma_{R, n}]$ is given by equation (1) after the following substitutions are made: $[\Gamma] = [\Gamma_{R, n}]$, $\Gamma_{mp} = \Gamma_{mp, R, n}$, $\theta = \theta_{s, n}$, $\psi = \psi_{s, n}$, and $\phi = \phi_{s, n}$ where $m = 1, 2, 3$ and $p = 1, 2, 3$. By comparing equations (4) and (6) to equation (9), the structural Euler angles can be obtained as follows

$$\psi_{s, n} = \tan^{-1} \left(\frac{\Gamma_{11, n} \Gamma_{R, 21} + \Gamma_{12, n} \Gamma_{R, 22}}{\Gamma_{11, n} \Gamma_{R, 11} + \Gamma_{12, n} \Gamma_{R, 12} + \Gamma_{13, n} \Gamma_{R, 13}} \right) \quad (10)$$

$$\phi_{s, n} = \tan^{-1} \left(\frac{KK_n}{ZZ_n} \right) \quad (11)$$

$$\theta_{s,n} = \tan^{-1} \left(\frac{-\Gamma_{11,n} \Gamma_{R,13} - \Gamma_{12,n} \Gamma_{R,32} - \Gamma_{13,n} \Gamma_{R,33}}{\sqrt{KK_n^2 + ZZ_n^2}} \right) \quad (12)$$

where KK_n and ZZ_n are given by

$$KK_n = \Gamma_{21,n} \Gamma_{R,31} + \Gamma_{22,n} \Gamma_{R,32} + \Gamma_{23,n} \Gamma_{R,33} \quad (13)$$

and

$$ZZ_n = \Gamma_{31,n} \Gamma_{R,31} + \Gamma_{32,n} \Gamma_{R,32} + \Gamma_{33,n} \Gamma_{R,33} \quad (14)$$

The instantaneous spin-plane variables (fig. 6) are derived quantities obtained from the following equations

$$\gamma = \tan^{-1} \left(\frac{BB}{AA} \right) \quad (15)$$

$$\alpha = \cos^{-1} \left(\cos \theta_{RB} \cos \gamma \right) \quad (16)$$

and

$$|A_2| = \frac{\sqrt{BB^2 + AA^2}}{\frac{P_{1,1}P_{2,1}}{P_{1,1}P_{2,1}} - \sqrt{(\bar{X}_{c.g.})^2 + (\bar{Y}_{c.g.})^2 + (\bar{Z}_{c.g.})^2}} \quad (17)$$

where AA and BB are given by

$$AA = \left(\dot{\bar{Y}}_2 - \dot{\bar{Y}}_{c.g.} \right) \cos \psi_{RB} - \left(\dot{\bar{X}}_2 - \dot{\bar{X}}_{c.g.} \right) \sin \psi_{RB} \quad (18)$$

and

$$BB = - \left[\left(\dot{\bar{Y}}_2 - \dot{\bar{Y}}_{c.g.} \right) \sin \psi_{RB} + \left(\dot{\bar{X}}_2 - \dot{\bar{X}}_{c.g.} \right) \cos \psi_{RB} \right] \sin \theta_{RB} - \left(\dot{\bar{Z}}_2 - \dot{\bar{Z}}_{c.g.} \right) \cos \theta_{RB} \quad (19)$$

Equations of Motion

The equations used in the program place no restrictions (within the limitations imposed by cable interference) on either angular or translational displacement of the two rigid bodies relative to an inertial frame and to each other. The bodies may also have completely general geometrical and inertial properties.

The rotational equations of motion used in the program are

$$I_{i',n} \dot{\Omega}_{x,n} - \Omega_{y,n} \Omega_{z,n} (I_{j',n} - I_{k',n}) = TG_{x,n} \quad (20)$$

$$I_{j',n} \dot{\Omega}_{y,n} - \Omega_{x,n} \Omega_{z,n} (I_{k',n} - I_{i',n}) = TG_{y,n} \quad (21)$$

and

$$I_{k',n} \dot{\Omega}_{z,n} - \Omega_{x,n} \Omega_{y,n} (I_{i',n} - I_{j',n}) = TG_{z,n} \quad (22)$$

where $n = 1, 2$. Integration of these equations yields $\Omega_{x,n}$, $\Omega_{y,n}$, and $\Omega_{z,n}$. Equations (20), (21), and (22) may be modified to include the effects of internal mass shifts (for example, crew movements) and fixed internal rotating masses. Body n angular velocity components about the arbitrary body axes can be obtained from

$$\begin{Bmatrix} \Omega_{x,n} \\ \Omega_{y,n} \\ \Omega_{z,n} \end{Bmatrix} = \begin{bmatrix} l_n \end{bmatrix} \begin{Bmatrix} \Omega_{x,n} \\ \Omega_{y,n} \\ \Omega_{z,n} \end{Bmatrix} \quad (23)$$

where $n = 1, 2$. The translational equations of motion for body n are

$$M_n \ddot{u}_n'' + M_n (\Omega_{y,n} w_n'' - \Omega_{z,n} v_n'') = T F_{x,n} \quad (24)$$

$$M_n \ddot{v}_n'' + M_n (\Omega_{z,n} u_n'' - \Omega_{x,n} w_n'') = T F_{y,n} \quad (25)$$

and

$$M_n \ddot{w}_n'' + M_n (\Omega_{x,n} v_n'' - \Omega_{y,n} u_n'') = T F_{z,n} \quad (26)$$

where $n = 1, 2$. Integration of these equations yields u_n'' , v_n'' , and w_n'' . The time rates of change of the inertial Euler angles for body n are given by

$$\dot{\theta}_n = \Omega_{y,n} \cos \phi_n - \Omega_{z,n} \sin \phi_n \quad (27)$$

$$\dot{\phi}_n = \Omega_{x,n} + \tan \theta_n (\Omega_{y,n} \sin \phi_n + \Omega_{z,n} \cos \phi_n) \quad (28)$$

and

$$\dot{\psi}_n = \frac{\Omega_{y,n} \sin \phi_n + \Omega_{z,n} \cos \phi_n}{\cos \theta_n} \quad (29)$$

where $n = 1, 2$. Integration of these equations results in the Euler angles shown in figure 2. The time rates of change of the relative Euler angles are given by

$$\dot{\bar{\theta}} = (\Omega_{y,2} - \Omega_{y,1L}) \cos \bar{\phi} - (\Omega_{z,2} - \Omega_{z,1L}) \sin \bar{\phi} \quad (30)$$

$$\dot{\bar{\phi}} = (\Omega_{x,2} - \Omega_{x,1L}) + \tan \bar{\theta} \left[(\Omega_{y,2} - \Omega_{y,1L}) \sin \bar{\phi} + (\Omega_{z,2} - \Omega_{z,1L}) \cos \bar{\phi} \right] \quad (31)$$

and

$$\dot{\psi} = \frac{[(\Omega_{y,2} - \Omega_{y,1L}) \sin \bar{\phi} + (\Omega_{z,2} - \Omega_{z,1L}) \cos \bar{\phi}]}{\cos \bar{\theta}} \quad (32)$$

where

$$\begin{Bmatrix} \Omega_{x,1L} \\ \Omega_{y,1L} \\ \Omega_{z,1L} \end{Bmatrix} = [\bar{\Gamma}] \begin{Bmatrix} \Omega_{x,1} \\ \Omega_{y,1} \\ \Omega_{z,1} \end{Bmatrix} \quad (33)$$

Integration of equations (30), (31), and (32) yields the relative Euler angles. The components (in the arbitrary axis system of body 1) of the time rate of change of $\dot{P}_{1,n} \dot{P}_{2,n}$ are

$$\begin{aligned} \dot{X}_n &= \bar{Y}_n \Omega_{z,1} - \bar{Z}_n \Omega_{y,1} - u_1'' - \bar{Z}_{P,1,n} \Omega_{y,1} + \bar{Y}_{P,1,n} \Omega_{z,1} \\ &+ \bar{\Gamma}_{11} \alpha_{1,n} + \bar{\Gamma}_{21} \alpha_{2,n} + \bar{\Gamma}_{31} \alpha_{3,n} \end{aligned} \quad (34)$$

$$\begin{aligned} \dot{Y}_n &= \bar{Z}_n \Omega_{x,1} - \bar{X}_n \Omega_{z,1} - v_1'' - \bar{X}_{P,1,n} \Omega_{z,1} + \bar{Z}_{P,1,n} \Omega_{x,1} \\ &+ \bar{\Gamma}_{12} \alpha_{1,n} + \bar{\Gamma}_{22} \alpha_{2,n} + \bar{\Gamma}_{32} \alpha_{3,n} \end{aligned} \quad (35)$$

and

$$\begin{aligned} \dot{Z}_n &= \bar{X}_n \Omega_{y,1} - \bar{Y}_n \Omega_{x,1} - w_1'' - \bar{Y}_{P,1,n} \Omega_{x,1} + \bar{X}_{P,1,n} \Omega_{y,1} \\ &+ \bar{\Gamma}_{13} \alpha_{1,n} + \bar{\Gamma}_{23} \alpha_{2,n} + \bar{\Gamma}_{33} \alpha_{3,n} \end{aligned} \quad (36)$$

where $n = 1, 2, \dots, N+1$ and where

$$\alpha_{1,n} = u_2'' + \bar{Z}_{P,2,n} \Omega_{y,2} - \bar{Y}_{P,2,n} \Omega_{z,2} \quad (37)$$

$$\alpha_{2,n} = v''_2 + \bar{X}_{P,2,n} \Omega_z, 2 - \bar{Z}_{P,2,n} \Omega_x, 2 \quad (38)$$

and

$$\alpha_{3,n} = w''_2 + \bar{Y}_{P,2,n} \Omega_x, 2 - \bar{X}_{P,2,n} \Omega_y, 2 \quad (39)$$

Integration of equations (34), (35), and (36) yields the components of the relative displacement vector from point $P_{1,n}$ to point $P_{2,n}$.

Force Equations

The total force acting on each body is made up of forces caused by the elongation of the interconnecting cables and forces caused by external sinusoidal forcing functions acting on the respective body. The cables are considered to be perfectly elastic tension members. The cable spring force is given by

$$FK_n = CK_n \left(\overline{P_{1,n} P_{2,n}} - CL_n \right) \quad (40)$$

where $n = 2, \dots, N + 1$. When $\overline{P_{1,n} P_{2,n}}$ is less than CL_n , cable_n is slack and FK_n is set equal to zero by the program. Energy absorption per cycle because of damping may be approximated by an equivalent viscous damping term provided in the equations of cable force. This damping force is given by

$$FD_n = CD_n \frac{\bar{X}_n \dot{\bar{X}}_n + \bar{Y}_n \dot{\bar{Y}}_n + \bar{Z}_n \dot{\bar{Z}}_n}{\overline{P_{1,n} P_{2,n}}} \quad (41)$$

where $n = 2, \dots, N + 1$.

Note that the equilibrium position of a given rotating system may be determined by inputting nonzero values for CD_n and zeros for all the forcing function amplitudes and then allowing the program to run until all structural oscillations damp out. The forces FD_n and FK_n are directed along cable_n and are signed in the arbitrary axes of body 1. The components of force, caused by cable_n acting on body 1 at $P_{1,n}$, are

then given by

$$F_{x,1}C_n = (FK_n + FD_n) \frac{\bar{X}_n}{P_{1,n}P_{2,n}} \quad (42)$$

$$F_{y,1}C_n = (FK_n + FD_n) \frac{\bar{Y}_n}{P_{1,n}P_{2,n}} \quad (43)$$

and

$$F_{z,1}C_n = (FK_n + FD_n) \frac{\bar{Z}_n}{P_{1,n}P_{2,n}} \quad (44)$$

where $n = 2, \dots, N + 1$. The cable force acting on body 2 will be equal and opposite to the cable force acting on body 1. The components of force (in the arbitrary axis system of body 2), caused by cable_n acting on body 2 at $P_{2,n}$, are given by

$$\begin{Bmatrix} F_{x,2}C_n \\ F_{y,2}C_n \\ F_{z,2}C_n \end{Bmatrix} = -[\bar{\Gamma}] \begin{Bmatrix} F_{x,1}C_n \\ F_{y,1}C_n \\ F_{z,1}C_n \end{Bmatrix} \quad (45)$$

where $n = 2, \dots, N + 1$. The components of torque (in the arbitrary axis system of body 1) acting through c.g. ₁, caused by cable_n acting at $P_{1,n}$, are given by

$$G_{x,1,n} = \bar{Y}_{P,1,n}(F_{z,1}C_n) - \bar{Z}_{P,1,n}(F_{y,1}C_n) \quad (46)$$

$$G_{y,1,n} = \bar{Z}_{P,1,n}(F_{x,1}C_n) - \bar{X}_{P,1,n}(F_{z,1}C_n) \quad (47)$$

and

$$G_{z, 1, n} = \bar{X}_{P, 1, n}(F_{y, 1} C_n) - \bar{Y}_{P, 1, n}(F_{x, 1} C_n) \quad (48)$$

where $n = 2, \dots, N + 1$. Similarly, for body 2

$$G_{x, 2, n} = \bar{Y}_{P, 2, n}(F_{z, 2} C_n) - \bar{Z}_{P, 2, n}(F_{y, 2} C_n) \quad (49)$$

$$G_{y, 2, n} = \bar{Z}_{P, 2, n}(F_{x, 2} C_n) - \bar{X}_{P, 2, n}(F_{z, 2} C_n) \quad (50)$$

and

$$G_{z, 2, n} = \bar{X}_{P, 2, n}(F_{y, 2} C_n) - \bar{Y}_{P, 2, n}(F_{x, 2} C_n) \quad (51)$$

where $n = 2, \dots, N + 1$. The components of torque (in the arbitrary axis system of body 1) acting through c.g. $_{1, 1}$, caused by all of the cables, are given by

$$CG_{x, 1} = \sum_{n=2}^{N+1} G_{x, 1, n} \quad (52)$$

$$CG_{y, 1} = \sum_{n=2}^{N+1} G_{y, 1, n} \quad (53)$$

and

$$CG_{z, 1} = \sum_{n=2}^{N+1} G_{z, 1, n} \quad (54)$$

Similarly, for body 2

$$CG_{x, 2} = \sum_{n=2}^{N+1} G_{x, 2, n} \quad (55)$$

$$CG_{y, 2} = \sum_{n=2}^{N+1} G_{y, 2, n} \quad (56)$$

and

$$CG_{z, 2} = \sum_{n=2}^{N+1} G_{z, 2, n} \quad (57)$$

The components of torque acting through c. g. _n, caused by all of the cables, may now be transformed to the principal axes as follows

$$\begin{Bmatrix} CG_{x', n} \\ CG_{y', n} \\ CG_{z', n} \end{Bmatrix} = \begin{bmatrix} l_n \\ n \end{bmatrix}' \begin{Bmatrix} CG_{x, n} \\ CG_{y, n} \\ CG_{z, n} \end{Bmatrix} \quad (58)$$

where $n = 1, 2$. The components of external sinusoidal force acting on body n along the arbitrary body axes are given by

$$F_{x, n} = AF_{x, n} \sin(\omega_{F, n} t) \quad (59)$$

$$F_{y, n} = AF_{y, n} \sin(\omega_{F, n} t) \quad (60)$$

and

$$F_{z, n} = AF_{z, n} \sin(\omega_{F, n} t) \quad (61)$$

where $n = 1, 2$. The components of external sinusoidal torque acting on body n about the principal body axes are given by

$$G_{x,n} = AG_{x,n} \sin(\omega_{T,n} t) \quad (62)$$

$$G_{y,n} = AG_{y,n} \sin(\omega_{T,n} t) \quad (63)$$

and

$$G_{z,n} = AG_{z,n} \sin(\omega_{T,n} t) \quad (64)$$

where $n = 1, 2$. Any component of external force or torque may be zeroed out by inputting a zero for the amplitude of that component. The components of the total force acting on body n along the arbitrary body axes may now be obtained from

$$TF_{x,n} = F_{x,n} + \sum_{m=2}^{N+1} F_{x,n} C_m \quad (65)$$

$$TF_{y,n} = F_{y,n} + \sum_{m=2}^{N+1} F_{y,n} C_m \quad (66)$$

and

$$TF_{z,n} = F_{z,n} + \sum_{m=2}^{N+1} F_{z,n} C_m \quad (67)$$

where $n = 1, 2$. The components of the total moment acting on body n about the principal body axes are given by

$$TG_{x,n} = CG_{x',n} + G_{x,n} \quad (68)$$

$$TG_{y,n} = CG_{y',n} + G_{y,n} \quad (69)$$

and

$$TG_{z,n} = CG_{z',n} + G_{z,n} \quad (70)$$

where $n = 1, 2$.

CONCLUDING REMARKS

This paper has presented the six-degree-of-freedom rigid body equations of motion for each of two bodies connected by massless cables. A basic computer program was presented for determining the dynamic response of the complete configuration subject to external sinusoidal forces and torques on both bodies. The program was written in subroutine form to facilitate the addition of equations representing other perturbations and/or control systems to the basic configuration.

Manned Spacecraft Center
National Aeronautics and Space Administration
Houston, Texas, May 31, 1968
908-40-01-03-72

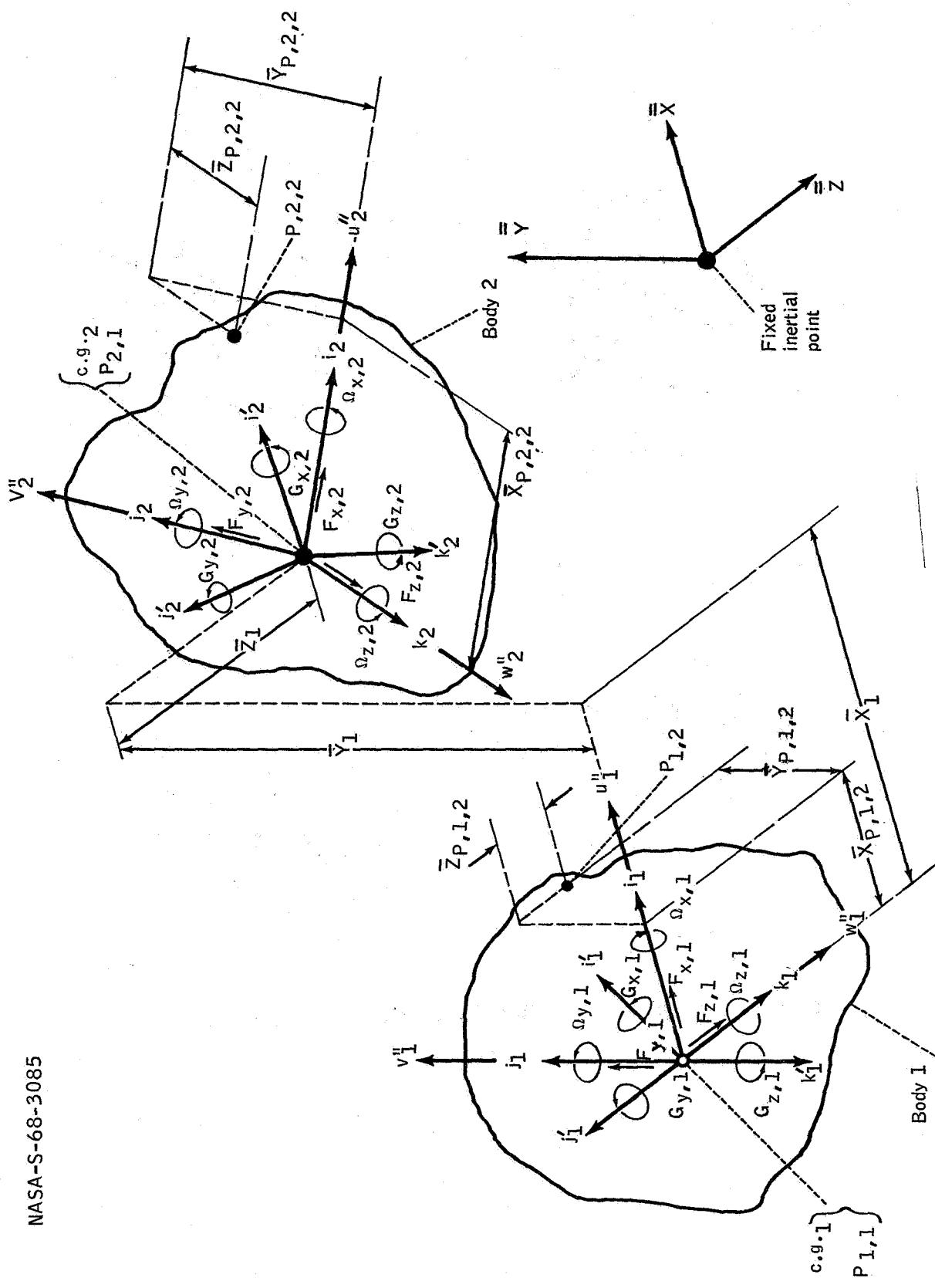


Figure 1. - General body orientation.

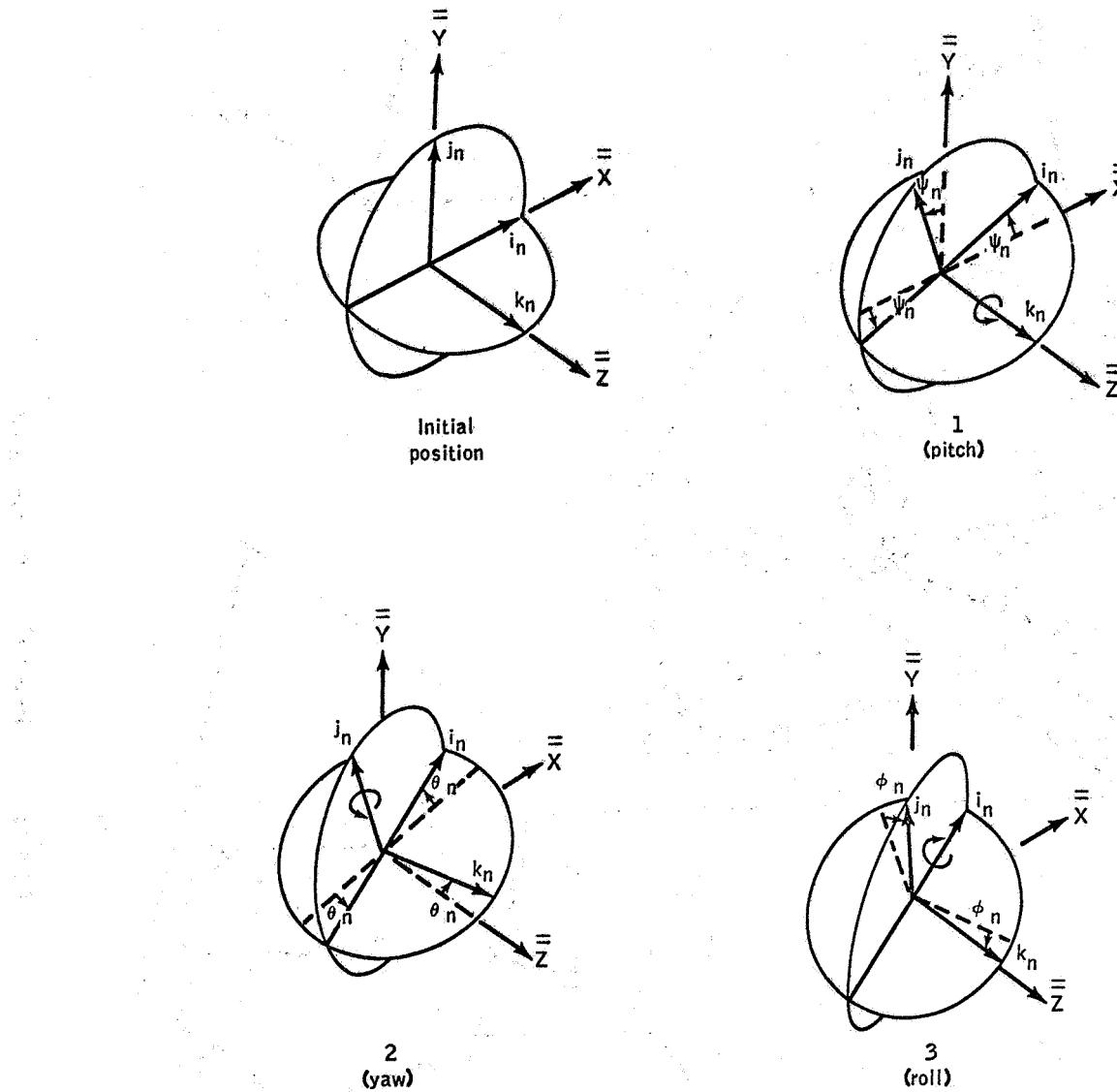


Figure 2.- Order of rotation for inertial Euler angles.

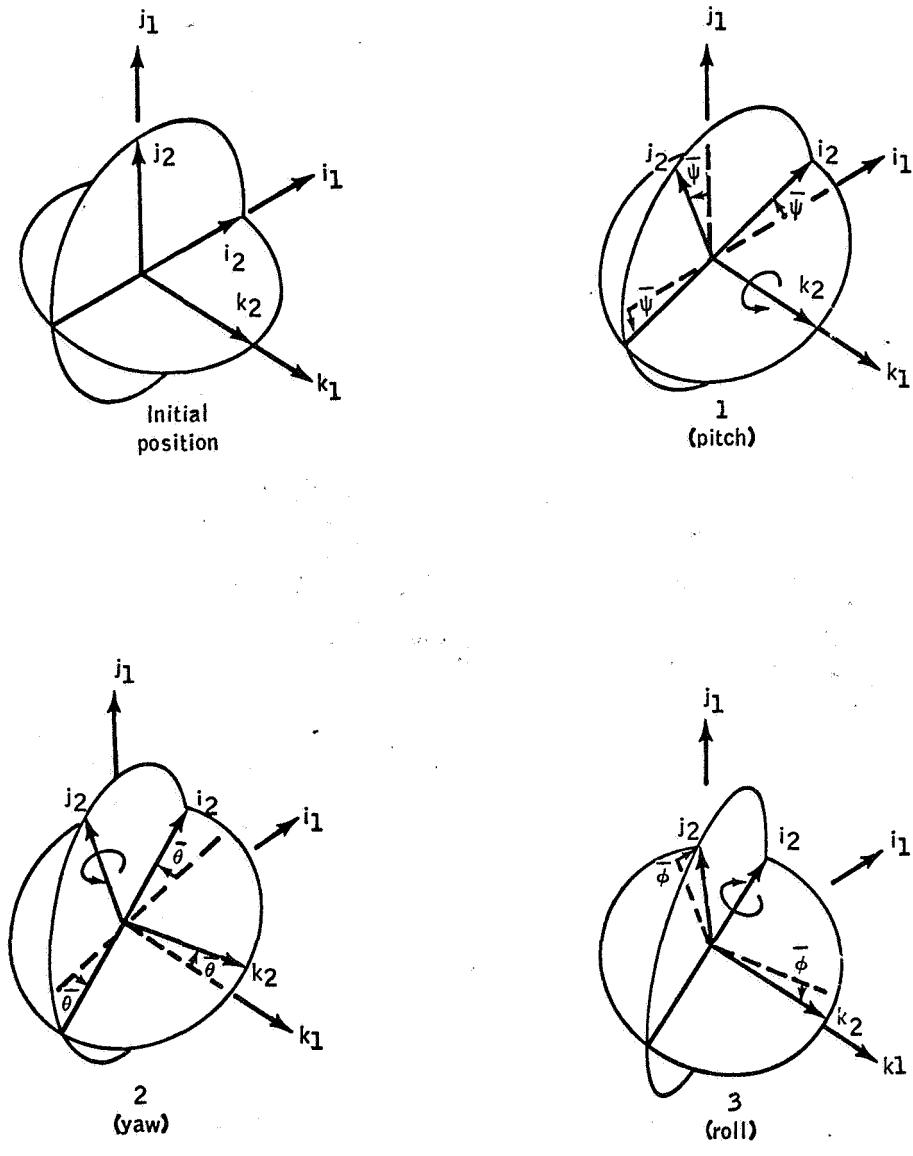


Figure 3. - Order of rotation for relative Euler angles.

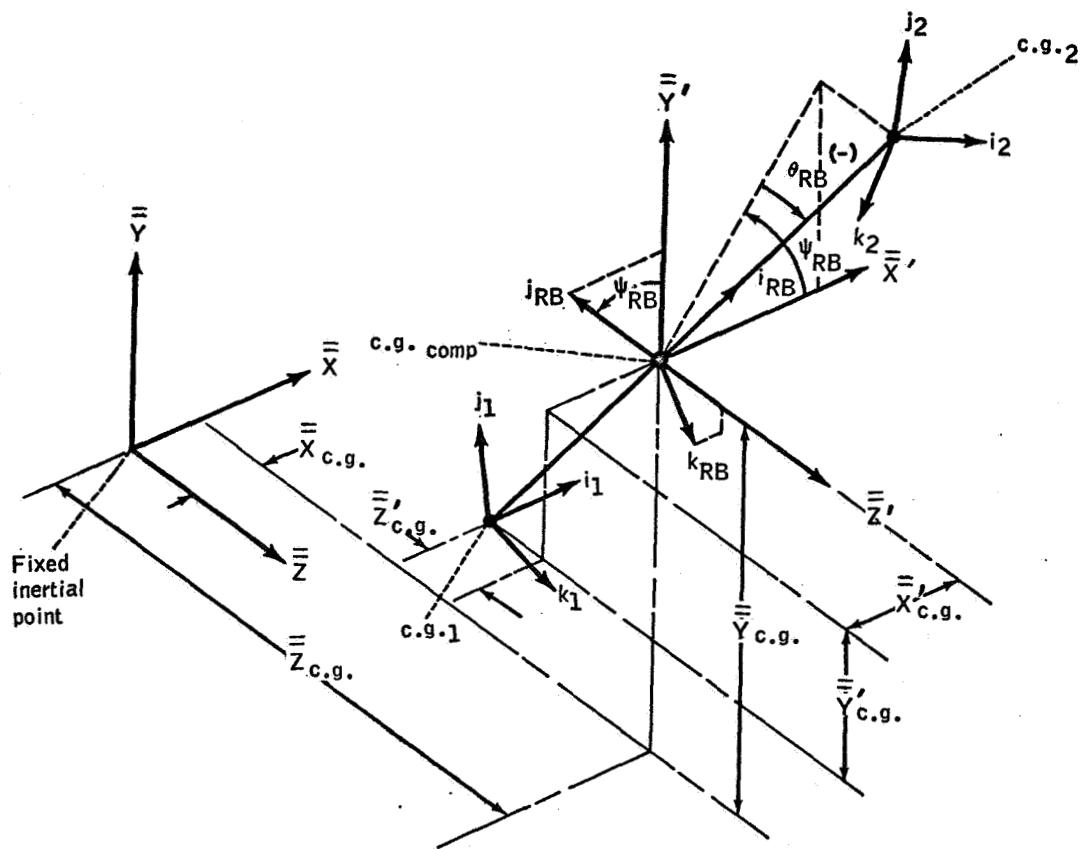


Figure 4. - Pseudorigid body orientation.

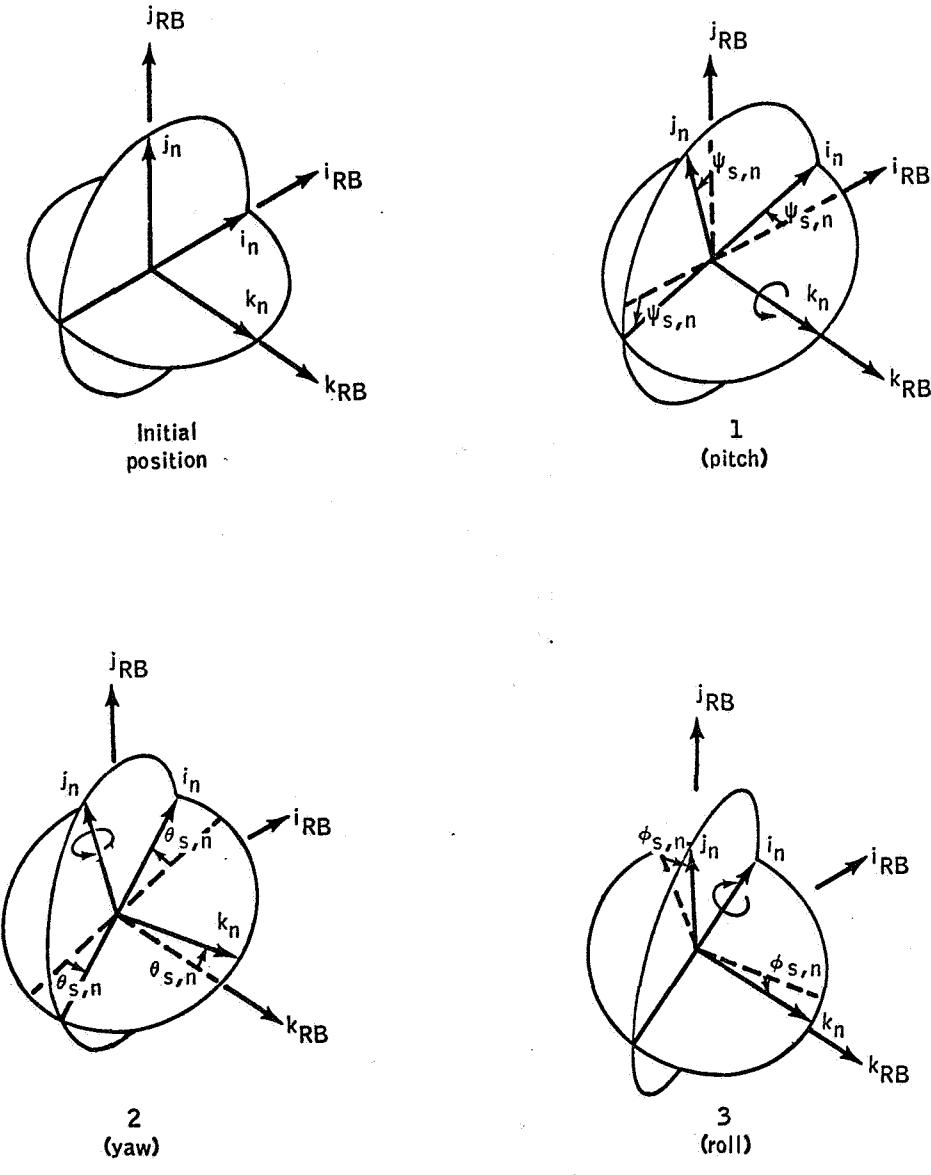


Figure 5. - Order of rotation for structural Euler angles.

NASA-S-68-3084

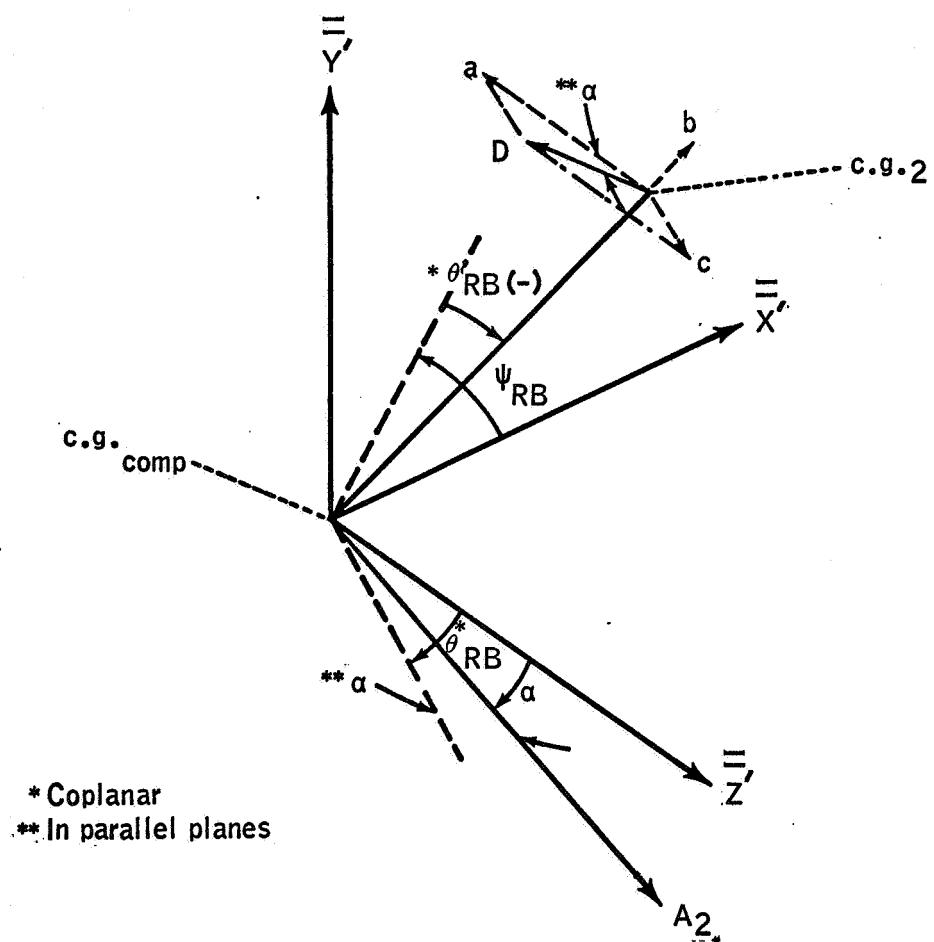


Figure 6. - Instantaneous spin-plane orientation.

APPENDIX A

COMPUTER PROGRAM LISTING

The FORTRAN IV source program presented in this appendix presently requires a Stromberg-Carlson (S-C) 4020 high-speed microfilm recorder for some of the output. The S-C 4020 output section¹ of the listing runs from SUBROUTINE FILM through SUBROUTINE RCLOK. The program may be modified for use on a system which does not have an S-C 4020 recorder by removing those sections of the program indicated by the applicable comment cards. If the program is modified in this manner, SUBROUTINE OUTAID should also be modified to print out those output variables which are now output in graphical form.

¹This section was programmed by P. H. Thornton, Landing and Docking Analysis Section, Manned Spacecraft Center.

C THE \$ CARDS ARE SYSTEM SET-UP CARDS FOR THE MSC 7094 OPERATING SYSTEM
C AND ARE NOT PART OF THE BASIC PROGRAM.

\$JOB E02T THOMAS 03591 ET256
\$IBJOB THOMAS GO

\$IBFTC MAIN

COMMON/FLM/OM,ON,TWM,TWN,THM,THN,FOM,FON,FIM,FIN,SIM,SIN,SEM,SEN,
1EIM,EIN,XNIM,XNIN,TEM,TEN,ELM,ELN,TWEM,TWEN,TIEMPO,THIM,THIN,KUT,
2ITHBOP,MOVIE,IGROP,PHI,THETA,NUM1,NUM2,NUM3,KWHICH.

COMMON VAR,KNT,KFST,L
DIMENSION VAR(6800)

CALL START

10 CONTINUE

C REMOVE THE NEXT 4 CARDS IF SC-4020 NOT AVAILABLE

CALL FILM(OM,ON,TWM,TWN,THM,THN,FOM,FON,FIM,FIN,SIM,SIN,SEM,
1SEN,EIM,EIN,XNIM,XNIN,TEM,TEN,ELM,ELN,TWEM,TWEN,TIEMPO,THIM,THIN,K
2NT,ITHBOP,MOVIE,IGROP,PHI,THETA,NUM1,NUM2,NUM3,KWHICH)

CALL CLEAN

CALL RK

GO TO 10

END

C REMOVE THE FOLLOWING -\$ORIGIN ACE- CARD IF SC-4020 NOT AVAILABLE

\$ORIGIN ACE

\$IBFTC SRC0

SUBROUTINE START

DIMENSION DYDX(100),VAR(6800)

COMMON VAR

EQUIVALENCE (VAR(101),DYDX(1))

ZERO CORE AT INITIAL LOADING

DO 20 J=1, 6800

20 VAR(J) = 0.0

SET DERIVATIVE OF INDEPENDENT VARIABLE WR/T ITSELF EQUAL

TO ONE

DYDX(1) = 1.0

CALL RK

RETURN

END

\$IBFTC SRC1

SUBROUTINE RK

DIMENSION Y(100),DYDX(100),Q(100),D(100),P(6200),NTEGER(1
00),VAR(6800)

1 COMMON VAR, KNT, KFST

EQUIVALENCE (VAR(1),Y(1)),(VAR(101),DYDX(1)),(VAR(201),Q(

```

1      1)),(VAR(401),NTEGER(1)),(VAR(501),D(1)),(VAR(601),P(1)),
2      (NTEGER(6),N)
      LOAD INPUT DATA INTO COMPUTER
      CALL INPUT

      REWIND 9
      REWIND 11
      REWIND 13
      KNT=0
      KFST=0
      P(5964)=P(5966)*0.6
      P(5965)=P(5967)*0.6
20      CALL DYDXS
      CALL OUTPUT
      IF(Y(1)-P(2))40,330,330
C      CALCULATE THE DELTA Y(J) AT Y(1) = 0
40      DO 50 J = 1,N
50      D(J) = DYDX(J)*P(1)
C      CALCULATE THE Y(J) AT T = 0
DO 90 J = 1,N
R = .5*(D(J) - Q(J))
Y(J) = Y(J) + R
90      Q(J) = Q(J) + 3.0*R - .5*D(J)
C      CALCULATE DELTA Y(J) AT Y(1) = HALF STEP
      CALL DYDXS
      DO 120 J = 1,N
120     D(J) = DYDX(J)*P(1)
C      CALCULATE THE Y(J) AT Y(1) = HALF STEP
      DO 160 J = 1,N
R = .292893219*(D(J) - Q(J))
Y(J) = Y(J) + R
160     Q(J) = Q(J) + 3.0*R - .292893219*D(J)
C      CALCULATE THE DELTA Y(J) AT Y(1) = HALF STEP (AGAIN)
      CALL DYDXS
      DO 190 J = 1,N
190     D(J) = DYDX(J)*P(1)
C      CALCULATE THE Y(J) AT Y(1) = HALF STEP (AGAIN)
      DO 230 J = 1,N
R = 1.70710678*(D(J) - Q(J))
Y(J) = Y(J) + R
230     Q(J) = Q(J) + 3.0*R - 1.70710678*D(J)
C      CALCULATE THE DELTA Y(J) AT Y(1) = FULL STEP
      CALL DYDXS
      DO 260 J = 1,N
260     D(J) = DYDX(J)*P(1)
C      CALCULATE THE Y(J) AT Y(1) = FULL STEP
      DO 300 J = 1,N
R = .166666666E+00*(D(J) - 2.0*Q(J))
Y(J) = Y(J) + R
300     Q(J) = Q(J) + 3.0*R - .5*D(J)
C      PROCEED TO THE NEXT INTEGRATION STEP
      GO TO 20
330     RETURN
      END

```

\$IBFTC SRC2

```
SUBROUTINE INPUT
DIMENSION Y(100),Q(100),FIRSTY(100),P(6200),NTEGER(100),V
1      AK(6800)
COMMON VAR
EQUIVALENCE (VAR(1),Y(1)),(VAR(201),Q(1)),(VAR(301),
1      FIRSTY(1)),(VAR(401),NTEGER(1)),(VAR(601),P(1))
2      ,(NTEGER(6),N),(NTEGER(2),NP),(NTEGER(44),NPAGE)
C      SET PAGE NO. OF FIRST PAGE
NPAGE = 1
CALL PAGEHD
C      READ CONTROL INTEGERS INTO PROBLEM
READ  (5,30)(NTEGER(J),J=1,8)
30      FORMAT(8I5)
      WRITE (6,500)(NTEGER(J),J=1,8)
500      FORMAT(1H08I5)
      NTEGER(21)=NTEGER(4) + 1
      NTEGER(24)=NTEGER(6) - 1
      NTEGER(25)=NTEGER(7)
      NTEGER(26)=NTEGER(8)
      NTEGER(6)=NTEGER(5)
C      CHECK FOR INDIVIDUAL FLOATING POINT DATA ENTRY
      IF(NP) 380,380,110
110      DO 140 J = 1, NP
      READ  (5,130)I, (P(I))
130      FORMAT(I5,E15.0)
      WRITE (6,150)I,P(I)
150      FORMAT(I6,E20.8)
140      CONTINUE
      P(1201)=1.0E36
380      CALL INAID
C      ZERO THE Q AND SET IN IC
      DO 420 J = 1, N
      Q(J) = 0.0
      Y(J) = FIRSTY(J)
420      CONTINUE
      RETURN
      END
```

\$IBFTC SRC3

```
SUBROUTINE PAGEHD
DIMENSION NTEGER(100),VAR(6800)
COMMON VAR
EQUIVALENCE (VAR(401),NTEGER(1)),(NTEGER(44),NPAGE),
1      (NTEGER(1),IDENT)
      WRITE (6,20)IDENT, NPAGE
20      FORMAT(17H1 FORFUN OPTION I5,      56H
1      PAGE NO I5 )
```

RETURN
END

\$IBFTC SRC4

```
SUBROUTINE IMAID
DIMENSION FIRSTY(100),P(6200),NTEGER(100),VAR(6800)
COMMON VAR
1 EQUIVALENCE (VAR(301),FIRSTY(1)),(VAR(401),NTEGER(1)),(VA
2 R(601),P(1)),(NTEGER(41),LPRINT),(NTEGER(42),NLINE),(NTEG
3 ER(43),NSKIP),(NTEGER(24),NTSKIP)
4 EQUIVALENCE (P(10),DL111),(P(11),DL112),(P(12),DL113),(P(
13),DL121),(P(14),DL122),(P(15),DL123),(P(16),DL131),(P(1
7),DL132),(P(18),DL133),(P(26),DL211),(P(27),DL212),(P(28
),DL213),(P(29),DL221),(P(30),DL222),(P(31),DL223),(P(32)
),DL231),(P(33),DL232),(P(34),DL233)
P(107)=DL111*P(970)+DL121*P(971)+DL131*P(972)
P(108)=DL112*P(970)+DL122*P(971)+DL132*P(972)
P(109)=DL113*P(970)+DL123*P(971)+DL133*P(972)
P(116)=DL211*P(980)+DL221*P(981)+DL231*P(982)
P(117)=DL212*P(980)+DL222*P(981)+DL232*P(982)
P(118)=DL213*P(980)+DL223*P(981)+DL233*P(982)
SET IN INITIAL CONDITIONS
FIRSTY(2) = P(107)/57.2957795
FIRSTY(3) = P(108)/57.2957795
FIRSTY(4) = P(109)/57.2957795
FIRSTY(5) = P(110)
FIRSTY(6) = P(111)
FIRSTY(7) = P(112)
FIRSTY(8) = P(113)/57.2957795
FIRSTY(9) = P(114)/57.2957795
FIRSTY(10) = P(115)/57.2957795
FIRSTY(11) = P(116)/57.2957795
FIRSTY(12) = P(117)/57.2957795
FIRSTY(13) = P(118)/57.2957795
FIRSTY(14) = P(119)
FIRSTY(15) = P(120)
FIRSTY(16) = P(121)
FIRSTY(17) = P(122)/57.2957795
FIRSTY(18) = P(123)/57.2957795
FIRSTY(19) = P(124)/57.2957795
P(35)=SIN(FIRSTY(8))
P(36)=COS(FIRSTY(8))
P(38)=SIN(FIRSTY(17))
P(39)=COS(FIRSTY(17))
P(44)=SIN(FIRSTY(9))
P(45)=COS(FIRSTY(9))
P(46)=SIN(FIRSTY(18))
P(47)=COS(FIRSTY(18))
P(5976)=SIN(FIRSTY(19))
P(5977)=SIN(FIRSTY(10))
P(5978)=COS(FIRSTY(19))
```

```

P(5979)=COS(FIRSTY(10))
A2=P(39)*P(5978)
B2=P(39)*P(5976)
C2=-P(38)
D2=P(46)*P(38)*P(5978)-P(5976)*P(47)
E2=P(47)*P(5978)+P(46)*P(38)*P(5976)
F2=P(46)*P(39)
G2=P(5976)*P(46)+P(47)*P(38)*P(5978)
H2=P(47)*P(38)*P(5976)-P(46)*P(5978)
AI2=P(47)*P(39)
A1=P(36)*P(5979)
B1=P(36)*P(5977)
C1=-P(35)
D1=P(44)*P(35)*P(5979)-P(5977)*P(45)
E1=P(45)*P(5979)+P(44)*P(35)*P(5977)
F1=P(44)*P(36)
G1=P(5977)*P(44)+P(45)*P(35)*P(5979)
H1=P(45)*P(35)*P(5977)-P(44)*P(5979)
AI1=P(45)*P(36)
XXPR=A2*G1+B2*H1+C2*AI1
AKKPR= D2*G1+F2*H1+F2*AI1
ZZPR=G2*G1+H2*H1+AI2*AI1
FIRSTY(20)=ATAN2((-XXPR),(SQRT(AKKPR**2+ZZPR**2)))
FIRSTY(21)=ATAN2(AKKPR,ZZPR)
FIRSTY(22)=ATAN2((A2*D1+B2*E1),(A2*A1+B2*B1+C2*C1))
FIRSTY(23)=P(5992)
FIRSTY(24)=P(5993)
FIRSTY(25)=P(5994)
FIRSTY(26)=P(5995)
FIRSTY(27)=P(5996)
FIRSTY(28)=P(5997)

```

C SET IN CABLE INITIAL CONDITIONS

```

NCABLE = NTEGER(21)
NRESRV = NTEGER(3)
NDO = 3*NCABLE
DO 450 J = 1,NDO
NPUT = J + 22 + NRESRV
FIRSTY(NPUT) = P(J+139)

```

C 450 SET IN CONTROL NUMBERS FOR PRINTING

```

NLINE = 53
NSKIP = NTSKIP
LPRINT = 0
RETURN
END

```

\$IBFTC SRC5

SUBROUTINE DYDXS

```

1 DIMENSION Y(100),DYDX(100),P(6200),NTEGER(100),VAR(6800),
2 X1P1(20),Y1P1(20),Z1P1(20),X2P2(20),Y2P2(20),Z2P2(20),
3 A1(20),A2(20),A3(20),FX1I(20),FY1I(20),FZ1I(20),FX2I(20),
4 FY2I(20),FZ2I(20),GX1(20),GY1(20),GZ1(20),GX2(20),GY2(20)

```

```

4   ,GZ2(20),XBR(20),YBR(20),ZBR(20),XBRD(20),YBRD(20),ZBRD(20)
5
COMMON VAR
EQUIVALENCE (VAR(1),Y(1)),(VAR(101),DYDX(1)),(VAR(401),
1  NIEGER(1)),(VAR(601),P(1)),(Y(2),OMX1P),(DYDX(2),OMX1PD),
2  (Y(3),OMY1P),(DYDX(3),OMY1PD),(Y(4),OMZ1P),(Y(5),U1PP),
3  (DYDX(5),U1PPD),(Y(6),V1PP),(DYDX(6),V1PPD),(Y(7),W1PP),
4  (DYDX(7),W1PPD),(Y(8),THT1),(DYDX(8),THT1D),(Y(9),PHI1),
5  (DYDX(9),PHI1D),(Y(10),PSI1),(DYDX(10),PSI1D),(Y(11),OMX2
6  P),(DYDX(11),OMX2PD),(Y(12),OMY2P),(DYDX(12),OMY2PD),
7  (Y(13),OMZ2P),(DYDX(13),OMZ2PD),(Y(14),U2PP),(DYDX(14),
8  U2PPD),(Y(15),V2PP),(DYDX(15),V2PPD),(Y(16),W2PP),(DYDX
9  (16),W2PPD),(Y(17),THT2),(DYDX(17),THT2D),(Y(18),PHI2)
EQUIVALENCE (DYDX(18),PHI2D),(Y(19),PSI2),(DYDX(19),PSI2D),
1  ,(Y(20),THTBR),(DYDX(20),THTBRD),(Y(21),PHIBR),(DYDX(21),
2  ,PHIBRD),(Y(22),PSIBR),(DYDX(22),PSIBRD),(P(3),CIXX1),
3  ,(P(4),CIYY1),(P(5),CIZZ1),(P(6),CM1),(P(10),DL111),(P(11),
4  ,DL112),(P(12),DL113),(P(13),DL121),(P(14),DL122),(P(15),
5  ,DL123),(P(16),DL131),(P(17),DL132),(P(18),DL133),(P(19),
6  ,CIXX2),(P(20),CIYY2),(P(21),CIZZ2),(P(22),CM2),(P(26),
7  ,DL211),(P(27),DL212),(P(28),DL213),(P(29),DL221),(P(30),
8  ,DL222),(P(31),DL223),(P(32),DL231),(P(33),DL232),(P(34),
9  ,DL233),(P(35),STHT1),(P(36),CTHT1),(P(37),TTHT1)
EQUIVALENCE (P(38),STHT2),(P(39),CTHT2),(P(40),TTHT2),
1  ,(P(41),STHTBR),(P(42),CTHTBR),(P(43),TTHTBR),(P(44),SPHI1
2  ),(P(45),CPHI1),(P(46),SPHI2),(P(47),CPHI2),(P(48),SPHIBR
3  ),(P(49),CPHIBR),(P(50),GX1P),(P(51),GY1P),(P(52),GZ1P),
4  ,(P(53),GX2P),(P(54),GY2P),(P(55),GZ2P),(P(56),OMX1),(P(57),
5  ,OMY1),(P(58),OMZ1),(P(59),OMX2),(P(60),OMY2),(P(61),OMZ2
6  ),(P(62),U1),(P(63),V1),(P(64),W1),(P(65),U2),(P(66),V2),
7  ,(P(67),W2),(P(68),GAMB11),(P(69),GAMB12),(P(70),GAMB13),
8  ,(P(71),GAMB21),(P(72),GAMB22),(P(73),GAMB23),(P(74),GAMB
9  31),(P(75),GAMB32),(P(76),GAMB33),(P(77),SPSIBR)
EQUIVALENCE (P(78),CPSIBR),(P(79),GX1T),(P(80),GY1T),(P(8
1  1),GZ1T),(P(82),GX2T),(P(83),GY2T),(P(84),GZ2T),(P(85),
2  ,FX1IT),(P(86),FY1IT),(P(87),FZ1IT),(P(88),FX2IT),(P(89),
3  ,FY2IT),(P(90),FZ2IT),(P(91),GX1PT),(P(92),GY1PT),(P(93),
4  ,GZ1PT),(P(94),GX2PT),(P(95),GY2PT),(P(96),GZ2PT),(P(97),
5  ,SINPH2),(P(98),COSPH2),(P(99),COSTH2),(P(100),SINPH1),(P
6  101),COSPH1),(P(102),COSTH1),(P(221),X1P1(1)),(P(241),
7  ,Y1P1(1)),(P(261),Z1P1(1)),(P(281),X2P2(1)),(P(301),Y2P2(1
8  )),(P(321),Z2P2(1)),(P(341),A1(1)),(P(361),A2(1)),(P(381),
9  ,A3(1)),(P(461),FX1I(1)),(P(481),FY1I(1))
EQUIVALENCE (P(501),FZ1I(1)),(P(561),FZ2I(1)),(P(701),GX1
1  (1)),(P(721),GY1(1)),(P(741),GZ1(1)),(P(761),GX2(1)),
2  ,(P(781),GY2(1)),(P(801),GZ2(1)),(P(821),XBR(1)),(P(841),
3  ,YBR(1)),(P(861),ZBR(1)),(P(881),XBRD(1)),(P(901),YBRD(1)),
4  ,(P(921),ZBRD(1)),(P(128),AGX1PT),(P(129),AGY1PT),(P(130),
5  ,AGZ1PT),(P(131),AGX2PT),(P(132),AGY2PT),(P(133),AGZ2PT),
6  ,(P(134),AFX1IT),(P(135),AFY1IT),(P(136),AFZ1IT),(P(137),
7  ,AFX2IT),(P(138),AFY2IT),(P(139),AFZ2IT),(DYDX(4),
8  ,OMZ1PD),(P(521),FX2I(1)),(P(541),FY2I(1))
EQUIVALENCE (P(5976),SPSI2E),(P(5977),SPSI1E),(P(5978),CPSI2E),

```

1(P(5979),CPSI1E)

SET UP THE RELATIVE CONSTANT

NCABLE = NTEGER(21)

NRESRV = NTEGER(3)

SET IN X, Y, Z BAR VALUES WHICH RESULT FROM THE
INTEGRATION

DO 12 J = 1,NCABLE

JUMP1 = 3*j + 20 + NRESRV

XBR(J) = Y(JUMP1)

YBR(J) = Y(JUMP1 + 1)

ZBR(J) = Y(JUMP1 + 2)

12 CALCULATE TRIGONOMETRIC FUNCTIONS

STHT1 = SIN(THT1)

CTHT1 = COS(THT1)

TTHT1 = STHT1/CTHT1

STHT2 = SIN(THT2)

CTHT2 = COS(THT2)

TTHT2 = STHT2/CTHT2

STHTBR = SIN(THTBR)

CTHTBR = COS(THTBR)

CPSI1E=COS(PSI1)

SPSI1E=SIN(PSI1)

CPSI2E=COS(PSI2)

SPSI2E=SIN(PSI2)

TTHTBR = STHTBR/CTHTBR

SPHI1 = SIN(PHI1)

CPHI1 = COS(PHI1)

SPHI2 = SIN(PHI2)

CPHI2 = COS(PHI2)

SPHIBR = SIN(PHIBR)

CPHIBR = COS(PHIBR)

SPSIBR = SIN(PSIBR)

CPSIBR = COS(PSIBR)

12 CALCULATE GAMMA BAR VALUES FROM TRIG FUNCTIONS

GAMB11 = CTHTBR*CPSIBR

GAMB12 = CTHTBR*SPSIBR

GAMB13 = -STHTBR

GAMB21 = -CPHIBR*SPSIBR + SPHIBR*STHTBR*CPSIBR

GAMB22 = CPHIBR*CPSIBR + SPHIBR*STHTBR*SPSIBR

GAMB23 = SPHIBR*CTHTBR

GAMB31 = SPHIBR*SPSIBR + CPHIBR*STHTBR*CPSIBR

GAMB32 = -SPHIBR*CPSIBR + CPHIBR*STHTBR*SPSIBR

GAMB33 = CPHIBR*CTHTBR

12 TRANSFORM PRINCIPAL AXIS ANGULAR VELOCITIES INTO SYMMETRY
AXIS COMPONENTS

OMX1 = DL111*OMX1P + DL112*OMY1P + DL113*OMZ1P

OMY1 = DL121*OMX1P + DL122*OMY1P + DL123*OMZ1P

OMZ1 = DL131*OMX1P + DL132*OMY1P + DL133*OMZ1P

OMX2 = DL211*OMX2P + DL212*OMY2P + DL213*OMZ2P

OMY2 = DL221*OMX2P + DL222*OMY2P + DL223*OMZ2P

OMZ2 = DL231*OMX2P + DL232*OMY2P + DL233*OMZ2P

U1 = U1PP

V1 = V1PP

W1 = W1PP

U2 = U2PP

V2 = V2PP

W2 = W2PP

OMX1PP=OMX1*GAMB11+OMY1*GAMB12-OMZ1*STHTBR

OMY1PP=OMX1*GAMB21+OMY1*GAMB22+OMZ1*GAMB23

OMZ1PP=OMX1*GAMB31+OMY1*GAMB32+OMZ1*GAMB33

C CALCULATE THETA, PHI, PSI BAR DERIVATIVES

TH1BRD=CPH1BR*(OMY2-OMY1PP)-SPH1BR*(OMZ2-OMZ1PP)

PH1BRD=OMX2-OMX1PP+TTHTBR*SPH1BR*(OMY2-OMY1PP)+TTHTBR*CPH1BR*(OMZ2-OMZ1PP)

PS1BRD=SPH1BR*(OMY2-OMY1PP)/CTHTBR+CPH1BR*(OMZ2-OMZ1PP)/CTHTBR

C CALCULATE THT, PHI, PSI DERIVATIVES

THT1D = CPH11*OMY1 - SPH11*OMZ1

PHI1D = OMX1 + TTHT1*(SPH11*OMY1 + CPH11*OMZ1)

PSI1D = (SPH11*OMY1 + CPH11*OMZ1)/CTHT1

THT2D = CPH12*OMY2 - SPH12*OMZ2

PHI2D = OMX2 + TTHT2*(SPH12*OMY2 + CPH12*OMZ2)

PSI2D = (SPH12*OMY2 + CPH12*OMZ2)/CTHT2

C NOW CALCULATE THE ALPHA VALUES

DO 620 J = 1,NCABLE

A1(J) = U2 + Z2P2(J)*OMY2 - Y2P2(J)*OMZ2

A2(J) = V2 + X2P2(J)*OMZ2 - Z2P2(J)*OMX2

A3(J) = W2 + Y2P2(J)*OMX2 - X2P2(J)*OMY2

C THEN CALCULATE X, Y, Z BAR DERIVATIVES FOR EACH ATTACHMENT POINT

XBRD(J) = YBR(J)*OMZ1 - ZBR(J)*OMY1 - U1

1 - Z1P1(J)*OMY1 + Y1P1(J)*OMZ1

2 + GAMB11*A1(J)+GAMB21*A2(J)+GAMB31*A3(J)

YBRD(J) = ZBR(J)*OMX1 - XBR(J)*OMZ1 - V1

1 - X1P1(J)*OMZ1 + Z1P1(J)*OMX1

2 + GAMB12*A1(J) + GAMB22*A2(J) + GAMB32*A3(J)

620 ZBRD(J) = XBR(J)*OMY1 - YBR(J)*OMX1 - W1

1 - Y1P1(J)*OMX1 + X1P1(J)*OMY1

2 + GAMB13*A1(J) + GAMB23*A2(J) + GAMB33*A3(J)

C TRANSFER TO THE CABLE FORCE SUBROUTINE

CALL CAFFOR

C TRANSFORM SYMMETRY AXIS FORCES IN BODY 1 INTO SYMMETRY AXIS FORCES IN BODY 2

DO 790 J = 1,NCABLE

FX21(J) = - GAMB11*FX1I(J) - GAMB12*FY1I(J)

1 - GAMB13*FZ1I(J)

FY21(J) = - GAMB21*FX1I(J) - GAMB22*FY1I(J)

1 - GAMB23*FZ1I(J)

FZ21(J) = - GAMB31*FX1I(J) - GAMB32*FY1I(J)

1 - GAMB33*FZ1I(J)

C CALCULATE SYMMETRY AXIS MOMENTS ON BOTH BODIES

GX1(J) = Y1P1(J)*FZ1I(J) - Z1P1(J)*FY1I(J)

GY1(J) = Z1P1(J)*FX1I(J) - X1P1(J)*FZ1I(J)

GZ1(J) = X1P1(J)*FY1I(J) - Y1P1(J)*FX1I(J)

GX2(J) = Y2P2(J)*FZ2I(J) - Z2P2(J)*FY2I(J)

GY2(J) = Z2P2(J)*FX2I(J) - X2P2(J)*FZ2I(J)

790 GZ2(J) = X2P2(J)*FY2I(J) - Y2P2(J)*FX2I(J)

C NOW SUM THE SYMMETRY AXIS COMPONENTS OF MOMENT

GX1T = 0.0

```

GY1T = 0.0
GZ1T = 0.0
GX2T = 0.0
GY2T = 0.0
GZ2T = 0.0
DO 920 J = 1,NCABLE
GX1T = GX1T + GX1(J)
GY1T = GY1T + GY1(J)
GZ1T = GZ1T + GZ1(J)
GX2T = GX2T + GX2(J)
GY2T = GY2T + GY2(J)
GZ2T = GZ2T + GZ2(J)
920
C      NEXT, SUM THE SYMMETRY AXIS COMPONENTS OF FORCE
FX1IT = 0.0
FY1IT = 0.0
FZ1IT = 0.0
FX2IT = 0.0
FY2IT = 0.0
FZ2IT = 0.0
DO 1050 J = 1,NCABLE
FX1IT = FX1IT + FX1I(J)
FY1IT = FY1IT + FY1I(J)
FZ1IT = FZ1IT + FZ1I(J)
FX2IT = FX2IT + FX2I(J)
FY2IT = FY2IT + FY2I(J)
FZ2IT = FZ2IT + FZ2I(J)
1050
C      TRANSFORM SYMMETRY AXIS COMPONENTS OF TOTAL MOMENT INTO
C      PRINCIPAL AXIS COMPONENTS
GX1PT = DL111*GX1T + DL121*GY1T + DL131*GZ1T
GY1PT = DL112*GX1T + DL122*GY1T + DL132*GZ1T
GZ1PT = DL113*GX1T + DL123*GY1T + DL133*GZ1T
GX2PT = DL211*GX2T + DL221*GY2T + DL231*GZ2T
GY2PT = DL212*GX2T + DL222*GY2T + DL232*GZ2T
GZ2PT = DL213*GX2T + DL223*GY2T + DL233*GZ2T
C      CALL FORCING FUNCTION SUBROUTINE
CALL FORFUN
C      CALCULATE THE ANGULAR VELOCITY DERIVATIVES
OMX1PD = (GX1PT + OMY1P*OMZ1P*(CIYY1-CIZZ1))/CIXX1
1      + AGX1PT/CIXX1
OMY1PD = (GY1PT + OMX1P*OMZ1P*(CIZZ1-CIXX1))/CIYY1
1      + AGY1PT/CIYY1
OMZ1PD = (GZ1PT + OMY1P*OMX1P*(CIXX1-CIYY1))/CIZZ1
1      + AGZ1PT/CIZZ1
OMX2PD = (GX2PT + OMY2P*OMZ2P*(CIYY2-CIZZ2))/CIXX2
1      + AGX2PT/CIXX2
OMY2PD = (GY2PT + OMX2P*OMZ2P*(CIZZ2-CIXX2))/CIYY2
1      + AGY2PT/CIYY2
OMZ2PD = (GZ2PT + OMX2P*OMY2P*(CIXX2-CIYY2))/CIZZ2
1      + AGZ2PT/CIZZ2
C      CALCULATE BODY AXIS VELOCITY RATES
U1PPD = - OMY1*w1PP + OMZ1*v1PP + FX1IT/CM1
1      + AFX1IT/CM1
V1PPD = - OMZ1*u1PP + OMX1*w1PP + FY1IT/CM1

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1      + AFY1IT/CM1
1      W1PPD = - OMX1*V1PP + OMY1*U1PP + FZ1IT/CM1
1      + AFZ1IT/CM1
1      U2PPD = - OMY2*W2PP + OMZ2*V2PP + FX2IT/CM2
1      + AFX2IT/CM2
1      V2PPD = - OMZ2*U2PP + OMX2*W2PP + FY2IT/CM2
1      + AFY2IT/CM2
1      W2PPD = - OMX2*V2PP + OMY2*U2PP + FZ2IT/CM2
1      + AFZ2IT/CM2
C      SET IN RATES OF CHANGE OF COORDINATES AS DYDXS
DO 1280 J = 1,NCABLE
JUMP2 = 3*J + 20 + NRESRV
DYDX(JUMP2) = XBRD(J)
DYDX(JUMP2 + 1) = YBRD(J)
1280  DYDX(JUMP2 + 2) = ZBRD(J)
DYDX(23) = CHT11*CPSI1E*U1PP + (SPHI1*STHT1*CPSI1E-SPSI1E*CPHI1)*V1PP
1P + (SPSI1E*SPHI1+CPHI1*STHT1*CPSI1E)*W1PP
DYDX(24) = CHT11*SPS11E*U1PP + (CPHI1*CPSI1E+SPHI1*STHT1*SPSI1E)*V1PP
1 + (CPHI1*STHT1*SPSI1E-SPHI1*CPSI1E)*W1PP
DYDX(25) = SPHI11*CHT11*V1PP-STHT1*U1PP+CPHI11*CHT11*W1PP
DYDX(26) = CHT12*CPS12E*U2PP + (SPHI2*STHT2*CPSI2E-SPSI2E*CPHI2)*V2PP
1 + (SPSI2E*SPHI12+CPHI12*STHT2*CPSI2E)*W2PP
DYDX(27) = CHT12*SPS12E*U2PP + (CPHI2*CPSI2E+SPHI2*STHT2*SPSI2E)*V2PP
1 + (CPHI2*STHT2*SPSI2E-SPHI2*CPSI2E)*W2PP
DYDX(28) = SPHI12*CHT12*V2PP-STHT2*U2PP+CPHI12*CHT12*W2PP
      RETURN
      END

```

\$IBFTC SRC6

```

SUBROUTINE CABFOR
DIMENSION P(6200),NTEGER(100),VAR(6800),FX1I(20),FY1I(20)
1      ,FZ1I(20),XBR(20),ZBR(20),XBRD(20),YBRD(20),ZBRD(20),
2      CABLE(20),SPRK(20),CDAMP(20),RP1P2(20),FORS(20),COEE(20)
3      ,YBR(20)
COMMON VAR
EQUIVALENCE (VAR(401),NTEGER(1)),(VAR(601),P(1)),(P(461),
1      ,FX1I(1)),(P(481),FY1I(1)),(P(501),FZ1I(1)),(P(821),XBR(1))
2      ,(P(841),YBR(1)),(P(861),ZBR(1)),(P(881),XBRD(1)),(P(901
3      ),YBRD(1)),(P(921),ZBRD(1)),(P(1221),SPRK(1)),(P(1241),
4      ),CDAMP(1)),(P(1261),RP1P2(1)),(P(1301),FORS(1)),(P(1345),
5      ),COEE(1)),(P(1201),CABLE(1))
NCABLE = NTEGER(21)
C      COMPUTE INSTANTANEOUS CABLE LENGTH
DO 180 J = 1,NCABLE
RP1P2(J) = SQRT(XBR(J)**2 + YBR(J)**2 + ZBR(J)**2)
C      CHECK FOR CABLE SLACK AND ACT ACCORDINGLY
IF(RP1P2(J) - CABLE(J))100,50,50
50      COEE(J) = SPRK(J)*(1.0 - CABLE(J)/RP1P2(J))
1      + CDAMP(J)*(XBR(J)*XBRD(J) + YBR(J)*YBRD(J)
2      + ZBR(J)*ZBRD(J))/(RP1P2(J)**2)
      FX1I(J) = COEE(J)*XBR(J)

```

```

FY1I(J) = COEE(J)*YBR(J)
FZ1I(J) = COEE(J)*ZBR(J)
GO TO 130
C      IF THE CABLE IS SLACK SET FORCES TO ZERO
100    FX1I(J) = 0.0
      FY1I(J) = 0.0
      FZ1I(J) = 0.0
130    FORS(J) = SQRT(FX1I(J)**2 + FY1I(J)**2 + FZ1I(J)**2)
180    CONTINUE
      P(1342)=RP1P2(1)
      FCABMX=0.0
      DO 300 J=1,NCABLE
      IF(FORS(J)-FCABMX)300,300,301
301  FCABMX=FORS(J)
      AAA=J
300  CONTINUE
      P(1344)=FCABMX
      P(5998)=AAA
      P(1340) = RP1P2(2)
      P(1341) = RP1P2(3)
      P(1343) = RP1P2(4)
      RETURN
      END

```

\$IBF1C SRC7

```

SUBROUTINE FORFUN
DIMENSION Y(100),P(6200),NTEGER(100),VAR(6800)
COMMON VAR
EQUIVALENCE (VAR(1),Y(1)), (VAR(401),NTEGER(1)), (VAR(601),
  ,P(1))
EQUIVALENCE (P(128),AGX1PT),(P(129),AGY1PT),(P(130),AGZ1P
  1   T),(P(131),AGX2PT),(P(132),AGY2PT),(P(133),AGZ2PT),(P(13
  2   4),AFX1IT),(P(138),AFY2IT),(P(139),AFZ2IT)
  3   ,(P(135),AFY1IT),(P(136),AFZ1IT),(P(137),AFX2IT)
  1=NTEGER(1)
  GO TO(101,102,103),I
101  AGX1PT=P(5958)*SIN(P(5999)*Y(1))
      AGY1PT=P(5957)*SIN(P(5999)*Y(1))
      AGZ1PT=P(5956)*SIN(P(5999)*Y(1))
      AFX1IT=P(5948)*SIN(P(5945)*Y(1))
      AFY1IT=P(5947)*SIN(P(5945)*Y(1))
      AFZ1IT=P(5946)*SIN(P(5945)*Y(1))
      GO TO 103
102  AGX2PT=P(5958)*SIN(P(5999)*Y(1))
      AGY2PT=P(5957)*SIN(P(5999)*Y(1))
      AGZ2PT=P(5956)*SIN(P(5999)*Y(1))
      AFX2IT=P(5948)*SIN(P(5945)*Y(1))
      AFY2IT=P(5947)*SIN(P(5945)*Y(1))
      AFZ2IT=P(5946)*SIN(P(5945)*Y(1))
103  CONTINUE
      RETURN

```

END

\$IBFTC SRC8

SUBROUTINE OUTPUT

DIMENSION Y(100),DYDX(100),P(6200),NTEGER(100),VAR(6800),

1 REC(14)

COMMON/FLM/OM,ON,TWM,TWN,THM,THN,FOM,FUN,FIM,FIN,SIM,SIN,SEM,SEN,
1EIM,EIN,XNIM,XNIN,TEM,TEN,ELM,ELN,TWEM,TWEN,TIEMPO,THIM,THIN,KUT,
21THBOP,MOVIE,IGRUP,PHI,THETA,NUM1,NUM2,NUM3,KWHICH

COMMON VAR,KNT,KFST

EQUIVALENCE (VAR(1),Y(1)),(VAR(101),DYDX(1)),(VAR(401),

1 NTEGER(1)),(VAR(601),P(1)),(NTEGER(24),NTSKIP),(NTEGER(41),
2 LPRINT),(NTEGER(42),NLINE),(NTEGER(43),NSKIP),(NTEGER(44),NPAGE)

4,(P(5991),YCG),(P(5990),XCG),(P(5989),ZCG),(P(5988),XBR2CG),(P(59
587),YBR2CG),(P(5986),ZBR2CG),(P(5985),PSICAP),(P(5984),PHICAP)

EQUIVALENCE(P(5970),EX2),(P(5969),EY2),(P(5968),EZ2)

SQAX1=(Y(26)-Y(23))**2+(Y(28)-Y(25))**2

BR12=SQRT(SQAX1+(Y(27)-Y(24))**2)

CG=(P(22)*BR12)/(P(6)+P(22))

C Y COORD. OF BODY 1CG IN INERTIAL PRIME SYSTEM

YCG=CG*(Y(24)-Y(27))/BR12

ALNAX=SQRT(SQAX1)

ALAX1=SQRT(ABS(CG**2-YCG**2))

C X COORD. OF BODY 1 CG IN INERTIAL PRIME SYSTEM

XCG=ALAX1*(Y(23)-Y(26))/ALNAX

CALL DVCHK (K000FX)

GO TO (200,201),K000FX

200 XCG=0.0

C Z COORD. OF BODY 1 CG IN INERTIAL PRIME SYSTEM

201 ZCG=ALAX1*(Y(25)-Y(28))/ALNAX

CALL DVCHK (K000FX)

GO TO (202,203),K000FX

202 ZCG=0.0

C X,Y,Z,COORDS. OF RIGID BODY CG IN INERTIAL SYSTEM

203 XBR2CG=Y(23)-XCG

YBR2CG=Y(24)-YCG

ZBR2CG=Y(25)-ZCG

EX2=Y(26)-XBR2CG

EY2=Y(27)-YBR2CG

EZ2=Y(28)-ZBR2CG

AUXCA1=SQRT(EX2**2+EY2**2)

PS1CAP=AKTN(EY2,EX2)

IF (PS1CAP)204,205,205

204 PS1CAP=6.28318+PSICAP

205 P(5973)=(-1.0)*EZ2/AUXCA1

SH1PT=P(5973)

PH1CAP=ATAN(SH1PT)

CPHICP=CUS(PHICAP)

CPSICP=CUS(PSICAP)

SPSICP=SINE(PSICAP)

SPHICP=SINE(PHICAP)

$P(5963) = DYDX(25) + (DYDX(28) - DYDX(25)) * CG / BR12$
 $P(5962) = DYDX(24) + (DYDX(27) - DYDX(24)) * CG / BR12$
 $P(5961) = DYDX(23) + (DYDX(26) - DYDX(23)) * CG / BR12$
 $YD2RCG = DYDX(27) - P(5962)$
 $XD2RCG = DYDX(26) - P(5961)$
 $ZD2RCG = DYDX(28) - P(5963)$
 $BLUAPE = (YD2RCG * SPSICP + XD2RCG * CPSICP) * SPHICP + ZD2RCG * CPHICP$
 $RESAPE = YD2RCG * CPSICP - XD2RCG * SPSICP$
 $P(5960) = RESAPE / AUXCA1$
 $P(5959) = BLUAPF$
 $1 / (CG - BR12)$
 $BLUAPM = -BLUAPE$
 $P(5950) = ARTN(BLUAPM, RESAPE)$
 $P(5949) = ARCCOS(CPHICP * COS(P(5950)))$
 $P(5951) = SQRT(BLUAPM**2 + RESAPE**2) / (BR12 - CG)$
 $SMLA = CPHICP * CPSICP$
 $SMLB = -SPSICP$
 $SMLC = SPHICP * CPSICP$
 $SMLD = CPHICP * SPSICP$
 $SMLF = SPHICP * SPSICP$
 $SMLG = -SPHICP$
 $A2 = P(39) * P(5978)$
 $B2 = P(39) * P(5976)$
 $C2 = -P(38)$
 $D2 = P(46) * P(38) * P(5978) - P(5976) * P(47)$
 $E2 = P(47) * P(5978) + P(46) * P(38) * P(5976)$
 $F2 = P(46) * P(39)$
 $G2 = P(5976) * P(46) + P(47) * P(38) * P(5978)$
 $H2 = P(47) * P(38) * P(5976) - P(46) * P(5978)$
 $AI2 = P(47) * P(39)$
 $A1 = P(36) * P(5979)$
 $B1 = P(36) * P(5977)$
 $C1 = -P(35)$
 $D1 = P(44) * P(35) * P(5979) - P(5977) * P(45)$
 $E1 = P(45) * P(5979) + P(44) * P(35) * P(5977)$
 $F1 = P(44) * P(36)$
 $G1 = P(5977) * P(44) + P(45) * P(35) * P(5979)$
 $H1 = P(45) * P(35) * P(5977) - P(44) * P(5979)$
 $AI1 = P(45) * P(36)$
 $P(5982) = ARTN((A2 * SMLB + B2 * CPSICP), (A2 * SMLA + B2 * SMLD + C2 * SMLG))$
 $P(5983) = ARTN((A1 * SMLB + B1 * CPSICP), (A1 * SMLA + B1 * SMLD + C1 * SMLG))$
 $COMM11 = G1 * SMLC + H1 * SMLF + AI1 * CPHICP$
 $COMSM2 = D2 * SMLC + E2 * SMLF + F2 * CPHICP$
 $COMSM1 = D1 * SMLC + E1 * SMLF + F1 * CPHICP$
 $COMM22 = G2 * SMLC + H2 * SMLF + AI2 * CPHICP$
 $P(5975) = ARTN(COMSM2, COMM22)$
 $P(5974) = ARTN(COMSM1, COMM11)$
 $P(5980) = ARTN((-1.0) * (A2 * SMLC + B2 * SMLF + C2 * CPHICP)), SQRT(1 * SML2**2 + COMM22**2))$
 $P(5981) = ARTN((-1.0) * (A1 * SMLC + B1 * SMLF + C1 * CPHICP)), SQRT(COMSM1 * 1 + COMM11**2))$
 $MOVIE = NTEGER(26)$
 $CVT = 57.2958$

1F(KFST) 1,3,1
3 OM=P(5981)
 ON=OM
 TWM=P(5974)
 TWN=TWM
 THM=P(5983)
 THN=THM
 FOM=P(5980)
 FON=FOM
 FIM=P(5975)
 FIN=FIM
 SIM=P(5982)
 SIN=SIM
 SEM=Y(20)
 SEN=Y(20)
 EIM=P(5984)
 EIN=EIM
 XN1M=P(5985)
 XN1N=XNIM
 TEM=Y(23)
 TEN=Y(23)
 ELM=Y(24)
 ELN=Y(24)
 TWEM=Y(25)
 TWEN=Y(25)
 TH1M=P(1342)
 TH1N=P(1342)
 KFST=1
 GO TO 66
1 1F(P(5981)-OM)5,5,4
4 OM=P(5981)
5 1F(P(5981)-ON)6,7,7
6 ON=P(5981)
7 1F(P(5974)-TWM)9,9,8
8 TWM=P(5974)
9 1F(P(5974)-TWN)11,12,12
11 TWN=P(5974)
12 1F(P(5983)-THM)14,14,13
13 THM=P(5983)
14 1F(P(5983)-THN)15,16,16
15 THN=P(5983)
16 1F(P(5980)-FOM)18,18,17
17 FOM=P(5980)
18 1F(P(5980)-FON)19,21,21
19 FON=P(5980)
21 1F(P(5975)-F1M)23,23,22
22 FIM=P(5975)
23 1F(P(5975)-FIN)24,25,25
24 FIN=P(5975)
25 1F(P(5982)-SIM)27,27,26
26 SIM=P(5982)
27 1F(P(5982)-SIN)28,29,29
28 SIN=P(5982)

```

29 1F(Y(20)-SEM)32,32,31
31 SEM=Y(20)
32 1F(Y(20)-SEN)33,34,34
33 SEN=Y(20)
34 1F(P(5984)-E1M)36,36,35
35 E1M=P(5984)
36 1F(P(5984)-E1N)37,38,38
37 E1N=P(5984)
38 1F(P(5985)-XNIM)41,41,39
39 XN1M=P(5985)
41 1F(P(5985)-XNIN)42,43,43
42 XN1N=P(5985)
43 1F(Y(23)-TEM)45,45,44
44 TEM=Y(23)
45 1F(Y(23)-TEN)46,47,47
46 TEN=Y(23)
47 1F(Y(24)-ELM)49,49,48
48 ELM=Y(24)
49 1F(Y(24)-ELN)51,52,52
51 ELN=Y(24)
52 1F(Y(25)-TWEM)54,54,53
53 TWEM=Y(25)
54 1F(Y(25)-TEN)55,56,56
55 TWEN=Y(25)
56 1F(P(1342)-THIM)58,58,57
57 TH1M=P(1342)
58 1F(P(1342)-THIN)59,66,66
59 TH1N=P(1342)
60 CONTINUE
KNT=KNT+1
REC(1)=Y(1)
REC(2)=CVT*P(5981)
REC(3)=CVT*P(5974)
REC(4)=CVT*P(5983)
REC(5)=CVT*P(5980)
REC(6)=CVT*P(5975)
REC(7)=CVT*P(5982)
REC(8)=CVT*Y(20)
REC(9)=CVT*P(5984)
REC(10)=CVT*P(5985)
REC(11)=Y(23)
REC(12)=Y(24)
REC(13)=Y(25)
REC(14)=P(1342)
wRITE (9)(REC(I),I=1,14)
1F(MOVIE)300,10,300
500 XI1=XCG+P(36)*P(5979)*P(5967)
YI1=YCG+P(36)*P(5977)*P(5967)
ZI1=ZCG+P(35)*P(5967)
XJ1=XCG+(P(44)*P(35)*P(5979)-P(5977)*P(45))*P(5967)
YJ1=YCG+(P(45)*P(5979)+P(44)*P(35)*P(5977))*P(5967)
ZJ1=ZCG+P(44)*P(36)*P(5967)
XK1=XCG+(P(5977)*P(44)+P(45)*P(35)*P(5979))*P(5967)

```

$YK1 = YCG + (P(45)*P(35)*P(5977) - P(44)*P(5979))*P(5967)$
 $ZK1 = ZCG + P(45)*P(36)*P(5967)$
 $XI2 = EX2 + P(39)*P(5978)*P(5967)$
 $YI2 = EY2 + P(39)*P(5976)*P(5967)$
 $ZI2 = EZ2 + P(38)*P(5967)$
 $XJ2 = EX2 + (P(46)*P(38)*P(5978) - P(5976)*P(47))*P(5967)$
 $YJ2 = EY2 + (P(47)*P(5978) + P(46)*P(38)*P(5976))*P(5967)$
 $ZJ2 = EZ2 + P(46)*P(39)*P(5967)$
 $XK2 = EX2 + (P(5976)*P(46) + P(47)*P(38)*P(5978))*P(5967)$
 $YK2 = EY2 + (P(47)*P(38)*P(5976) - P(46)*P(5978))*P(5967)$
 $ZK2 = EZ2 + P(47)*P(39)*P(5967)$
 $WRITE (11) P(5990), P(5991), P(5989), XI1, YI1, ZI1, XJ1, YJ1, ZJ1, XK1, YK1,$
 $ZK1, P(5970), P(5969), P(5968), XI2, YI2, ZI2, XJ2, YJ2, ZJ2, XK2, YK2, ZK2, P($
 $25970), P(5969), Y(1)$
 $X10 = XCG + A1 * P(5967)$
 $Y10 = YCG + b1 * P(5967)$
 $Z10 = ZCG + C1 * P(5967)$
 $X11 = XCG - A1 * P(5967) - P(5965) * (D1 + G1)$
 $Y11 = YCG - b1 * P(5967) - P(5965) * (E1 + H1)$
 $Z11 = ZCG - C1 * P(5967) - P(5965) * (F1 + A11)$
 $X12 = XCG - A1 * P(5967) - P(5965) * (G1 - D1)$
 $Y12 = YCG - b1 * P(5967) - P(5965) * (H1 - E1)$
 $Z12 = ZCG - C1 * P(5967) - P(5965) * (A11 - F1)$
 $X13 = XCG + A1 * P(5967) - P(5965) * (G1 - D1)$
 $Y13 = YCG + b1 * P(5967) - P(5965) * (H1 - E1)$
 $Z13 = ZCG + C1 * P(5967) - P(5965) * (A11 - F1)$
 $X14 = XCG + A1 * P(5967) - P(5965) * (G1 + D1)$
 $Y14 = YCG + b1 * P(5967) - P(5965) * (H1 + E1)$
 $Z14 = ZCG + C1 * P(5967) - P(5965) * (A11 + F1)$
 $X15 = XCG + A1 * P(5967) - P(5965) * (D1 - G1)$
 $Y15 = YCG + b1 * P(5967) - P(5965) * (E1 - H1)$
 $Z15 = ZCG + C1 * P(5967) - P(5965) * (F1 - A11)$
 $X16 = XCG - A1 * P(5967) - P(5965) * (D1 - G1)$
 $Y16 = YCG - b1 * P(5967) - P(5965) * (E1 - H1)$
 $Z16 = ZCG - C1 * P(5967) - P(5965) * (F1 - A11)$
 $X17 = XCG - A1 * P(5967) + P(5965) * (D1 + G1)$
 $Y17 = YCG - b1 * P(5967) + P(5965) * (E1 + H1)$
 $Z17 = ZCG - C1 * P(5967) + P(5965) * (F1 + A11)$
 $X18 = XCG + A1 * P(5967) + P(5965) * (D1 + G1)$
 $Y18 = YCG + b1 * P(5967) + P(5965) * (E1 + H1)$
 $Z18 = ZCG + C1 * P(5967) + P(5965) * (F1 + A11)$
 $X20 = EX2 - A2 * P(5966)$
 $Y20 = EY2 - b2 * P(5966)$
 $Z20 = EZ2 - C2 * P(5966)$
 $X21 = EX2 + A2 * P(5966) + P(5964) * (D2 - G2)$
 $Y21 = EY2 + b2 * P(5966) + P(5964) * (E2 - H2)$
 $Z21 = EZ2 + C2 * P(5966) + P(5964) * (F2 - A12)$
 $X22 = EX2 + A2 * P(5966) - P(5964) * (D2 + G2)$
 $Y22 = EY2 + b2 * P(5966) - P(5964) * (E2 + H2)$
 $Z22 = EZ2 + C2 * P(5966) - P(5964) * (F2 + A12)$
 $X23 = EX2 - A2 * P(5966) - P(5964) * (D2 + G2)$

$Y23 = EY2 - B2 * P(5966) - P(5964) * (E2 + H2)$
 $Z23 = EZ2 - C2 * P(5966) - P(5964) * (F2 + AI2)$
 $X24 = EX2 - A2 * P(5966) - P(5964) * (G2 - D2)$
 $Y24 = EY2 - B2 * P(5966) - P(5964) * (H2 - E2)$
 $Z24 = EZ2 - C2 * P(5966) - P(5964) * (AI2 - F2)$
 $X25 = EX2 - A2 * P(5966) + P(5964) * (D2 + G2)$
 $Y25 = EY2 - B2 * P(5966) + P(5964) * (E2 + H2)$
 $Z25 = EZ2 - C2 * P(5966) + P(5964) * (F2 + AI2)$
 $X26 = EX2 + A2 * P(5966) + P(5964) * (D2 + G2)$
 $Y26 = EY2 + B2 * P(5966) + P(5964) * (E2 + H2)$
 $Z26 = EZ2 + C2 * P(5966) + P(5964) * (F2 + AI2)$
 $X27 = EX2 + A2 * P(5966) + P(5964) * (G2 - D2)$
 $Y27 = EY2 + B2 * P(5966) + P(5964) * (H2 - E2)$
 $Z27 = EZ2 + C2 * P(5966) + P(5964) * (AI2 - F2)$
 $X28 = EX2 - A2 * P(5966) + P(5964) * (G2 - D2)$
 $Y28 = EY2 - B2 * P(5966) + P(5964) * (H2 - E2)$
 $Z28 = EZ2 - C2 * P(5966) + P(5964) * (AI2 - F2)$
 WRITE (13) X10, X13, X14, X15, X18, X17, X12, X11, X16, X20, X23, X24, X25, X28,
 1X27, X22, X21, X26, Y10, Y13, Y14, Y15, Y18, Y17, Y12, Y11, Y16, Y20, Y23, Y24,
 2Y25, Y28, Y27, Y22, Y21, Y26, Z10, Z13, Z14, Z15, Z18, Z17, Z12, Z11, Z16, Z20,
 3Z23, Z24, Z25, Z28, Z27, Z22, Z21, Z26, P(5970), P(5969), Y(1)

10 IF(Y(1) - P(2))20,50,50
 C DETERMINE WHETHER OR NOT PRINT ON THIS INTEGRATION STEP
 20 IF(NSKIP - NTSKIP)30,50,50
 30 NSKIP = NSKIP + 1
 GO TO 150
 C DETERMINE IF A NEW PAGE IS REQUIRED FOR PRINTING RESULTS
 50 IF(NLINE - 52)90,60,61
 60 CALL LASOUT
 61 NPAGE = NPAGE + 1
 CALL PAGEHD
 NLINE = 0
 90 CALL OUTA1D
 NLINE = NLINE + LPRINT + 1
 NSKIP = 0
 IF(Y(1) - P(2))150,130,130
 C COMPLETE PRINTOUT AND GO TO FILM SUBROUTINES
 130 CALL LASOUT
 TIEMPO=Y(1)
 PHI=P(59/2)
 THETA=P(5971)
 IGROP=NTEGER(25)
 ITHBOP=NTEGER(27)
 NUM1=600
 NUM3=600
 KWHICH=1
 END FILE 11
 END FILE 9
 END FILE 13
 150 RETURN
 END

\$IBFTC SRC9

```

SUBROUTINE OUTAID
1      DIMENSION Y(100),DYDX(100),P(6200),NTEGER(100),VAR(6800),
2      XBR(20),YBR(20),ZBR(20),OUTP1(13),CABLE(20),RP1P2(20),
2      OUTP2(57,13),OUTP4(57,13)
1      DIMENSION MGDT(20)
2      COMMON VAR
3      EQUIVALENCE (VAR(1),Y(1)),(VAR(101),DYDX(1)),(VAR(601),
1      P(1)),(VAR(401),NTEGER(1)),
2      (NTEGER(42),NLINE),(Y(8),THT1),(Y(9),PHI1),(Y(18),PHI2),
3      (Y(17),THT2),(Y(20),THTBR),(DYDX(20),THTBRD),(Y(21),PHIBR),
4      (DYDX(21),PHIBRD),(Y(22),PSIBR),(DYDX(22),PS1BRD),
5      (P(58),OMZ1),(P(59),OMX2),(P(60),OMY2),(P(61),OMZ2),
6      (P(56),OMX1),(P(57),OMY1),(P(841),YBR(1)),(P(821),XBR(1)),
7      ,(P(861),ZBR(1)),(P(941),OUTP1(1)),(P(1201),CABLE(1)),
8      (P(1261),RP1P2(1)),(P(2151),OUTP4(1)),(P(103),K),(P(1401
9      ),OUTP2(1)),(NTEGER(21),NCABLE)

C      CALCULATE QUANTITIES TO BE PRINTED ON PAGE 1
C      TO PRINT OUT THE GRAPH VARIABLES, MAKE THE FOLLOWING CHANGES IN THE OUT
C      P1( ) CARDS-CHANGE THT1 TO P(5981), PHI1 TO P(5974), THT2 TO P(5980), PHI
C      2 TO P(5975), XBR(1) TO P(5983)*57.29578, YBR(1) TO P(5982)*57.29578, ZBR
C      (1) TO P(5984)*57.29578
        OUTP1(1) = Y(1)
        OUTP1(2) = THT1 *57.2957795
        OUTP1(3)=P(5960)*57.2957795
        OUTP1(4) = PHI1 *57.2957795
        OUTP1(5) = THT2 *57.2957795
        OUTP1(6)=P(5959)*57.2957795
        OUTP1(7)=PHI2 *57.2957795
        OUTP1(8) = THTBR*57.2957795
        OUTP1(9) = PSIBR*57.2957795
        OUTP1(10) = PHIBR*57.2957795
        OUTP1(11) = XBR(1)
        OUTP1(12) = YBR(1)
        OUTP1(13) = ZBR(1)
C      WRITE COLUMN HEADINGS IF NEW PAGE
        IF(NLINE)150,150,170
150      WRITE (6,160)
        DO 611 L=1,57
        DO 612 I=1,13
        OUTP2(L,I)=0.0
612      CONTINUE
611      CONTINUE
        DO 613 L=1,57
        DO 614 I=1,13
        OUTP4(L,I)=0.0
614      CONTINUE
613      CONTINUE
160      FORMAT(//127H      TIME      THETA1      PSIRBD      PHI1      THETA2
1THETRBD  PHI2      THETAB      PSIB      PHIB      XBR(1)      YBR(1)
2  ZBR(1)/124H      SEC       DEG       DEG/SEC     DEG       DEG
3DEG/SEC   DEG       DEG       DEG       DEG       IN        IN
4  IN//)

```

WRITE OUT DATA ON FIRST PAGE

170 WRITE (6,180)(OUTP1(I),I=1,13)

180 FORMAT(3(F11.4,F9.4,F10.4),F11.4,3F9.3)

MOUTPR=0

DO 500 I=2,NCABLE

IF(RP1P2(I)-CABLE(I))502,502,501

501 MGDT(I)=0

GO TO 500

502 MGDT(I)=1

MOUTPR=1

500 CONTINUE

IF(MOUTPR)504,504,505

505 WRITE (6,503)

503 FORMAT(18H SLACK CABLES ARE)

DO 506 I=2,NCABLE

1F(MGDT(I))506,506,507

507 GO TO(511,512,513,514,515,516,517,518,519,520,521,522,523,524,525
1,526,527,528,529,530),I

511 WRITE (6,531)I

531 FORMAT(1H+19X,I1)

GO TO 506

512 WRITE (6,532)I

532 FORMAT(1H+21X,I1)

GO TO 506

513 WRITE (6,533)I

533 FORMAT(1H+23X,I1)

GO TO 506

514 WRITE (6,534)I

534 FORMAT(1H+25X,I1)

GO TO 506

515 WRITE (6,535)I

535 FORMAT(1H+27X,I1)

GO TO 506

516 WRITE (6,536)I

536 FORMAT(1H+29X,I1)

GO TO 506

517 WRITE (6,537)I

537 FORMAT(1H+31X,I1)

GO TO 506

518 WRITE (6,538)I

538 FORMAT(1H+33X,I1)

GO TO 506

519 WRITE (6,539)I

539 FORMAT(1H+35X,I1)

GO TO 506

520 WRITE (6,540)I

540 FORMAT(1H+37X,I2)

GO TO 506

521 WRITE (6,541)I

541 FORMAT(1H+40X,I2)

GO TO 506

522 WRITE (6,542)I

```
542 FORMAT(1H+43X,I2)
      GO TO 506
523 WRITE (6,543) I
543 FORMAT(1H+46X,I2)
      GO TO 506
524 WRITE (6,544) I
544 FORMAT(1H+49X,I2)
      GO TO 506
525 WRITE (6,545) I
545 FORMAT(1H+52X,I2)
      GO TO 506
526 WRITE (6,546) I
546 FORMAT(1H+55X,I2)
      GO TO 506
527 WRITE (6,547) I
547 FORMAT(1H+58X,I2)
      GO TO 506
528 WRITE (6,548) I
548 FORMAT(1H+61X,I2)
      GO TO 506
529 WRITE (6,549) I
549 FORMAT(1H+64X,I2)
      GO TO 506
530 WRITE (6,550) I
550 FORMAT(1H+67X,I2)
506 CONTINUE
504 IF(MOUTPR)509,509,510
510 NLINE=NLINE+1
```

C CALCULATE DATA FOR SECOND PAGE

```
509      K = NLINE + 1
          OUTP2(K,1) = Y(1)
          OUTP2(K,2) = P(5950)*57.2957795
          OUTP2(K,3) = P(5949)*57.2957795
          OUTP2(K,4) = P(5951)*57.2957795
          OUTP2(K,5) = THTBRD* 57.2957795
          OUTP2(K,6) = PSIBRD* 57.2957795
          OUTP2(K,7) = PHIBRD* 57.2957795
          OUTP2(K,8) = P(5990)
          OUTP2(K,9) = P(5991)
          OUTP2(K,10) = P(5989)
          OUTP2(K,11) = P(5988)
          OUTP2(K,12) = P(5987)
          OUTP2(K,13) = P(5986)
```

C CALCULATE DATA FOR THIRD PAGE

C TO PRINT OUT THE GRAPH VARIABLES, MAKE THE FOLLOWING CHANGE IN THE OUTP
C 4() CARDS-CHANGE P(1340) TO P(5985)*57.29578

```
          OUTP4(K,1) = Y(1)
          OUTP4(K,2) = OMX1*57.2957795
          OUTP4(K,3) = OMY1*57.2957795
          OUTP4(K,4) = OMZ1*57.2957795
          OUTP4(K,5) = OMX2*57.2957795
          OUTP4(K,6) = OMY2*57.2957795
          OUTP4(K,7) = OMZ2*57.2957795
```

```

        OUTP4(K,8) = P(1340)
        OUTP4(K,9) = P(1341)
        OUTP4(K,10) = P(1342)
        OUTP4(K,11) = P(1343)
        OUTP4(K,12) = P(1344)
        OUTP4(K,13)=P(5998)
        WRITE OUT PAGES 2 AND 3 IF AT END OF PAGE 1
        IF(NLINE = 52)420,410,410
+10      CALL LASOUT
+70      RETURN
        END

```

§IBFTC SRC10

```

SUBROUTINE LASOUT
DIMENSION P(6200),NTEGER(100), OUTP2 (57,13), OUTP4(57,13)
1      ),VAR(6800)
COMMON VAR
EQUIVALENCE(VAR(401),NTEGER(1)),(VAR(601),P(1)),
1      (NTEGER(44),NPAGE),(P(1401),OUTP2(1)),(P(2151),OUTP4(1)),
2      (P(103),K)
      WRITF OUT PAGE 2
      NPAGE = NPAGE + 1
      CALL PAGEHD
      WRITF (6,44U)
440 FORMAT(//123H      TIME      GAMMA      ALPHA      IAVR2      THETABD      P
1SIBD      PHIDB      XCG      YCG      ZCG      XBR2CG      YBR2CG      ZB
2R2CG/123H      SEC      DEG      DEG      DEG/SEC      DEG/SEC      DEG/SEC
3C      DEG/SEC      INCHES      INCHES      INCHES      INCHES      INCHES      INCHES
4//)
      DO 480 L = 1,K
      WRITF (6,470)(OUTP2(L,I),I=1,13)
470 FORMAT(F11.3,F9.4,F9.1,F11.3,2F9.4,F9.3,F11.4,F10.4,F8.2,3F9.2)
480      CONTINUE
      WRITE OUT PAGE 3
      NPAGE = NPAGE + 1
      CALL PAGEHD
      WRITF (6,52U)
52U FORMAT(//127H      TIME      OMEGAX1      OMEGAY1      OMEGAZ1      OMEGAX2
1UMEGAY2      OMEGAZ2      RP1P2(2)      RP1P2(3)      RP1P2(1)      RP1P2(4)      FCABLEMAX
2      CABLE/112H      SEC      DEG/SEC      DEG/SEC      DEG/SEC      DEG/SEC      D
3DEG/SEC      DEG/SFC      IN      IN      IN      IN      LB//)
      DO 560 L = 1,K
      WRITF (6,550)(OUTP4(L,I),I=1,13)
550      FORMAT(F11.3,2(F11.3,F9.4,F9.4),5F10.3,F6.0)
560      CONTINUE
      RETURN
      END

```

§IBFTC SRC11

```
FUNCTION SINE(X)
SINE=SIN(X)
RETURN
END
```

```
$IBFTC SRC12
```

```
FUNCTION ARTN(X,Y)
ARTN=ATAN2(X,Y)
RETURN
END
```

```
C REMOVE THE REST OF THE SOURCE DECK IF S-C4020 NOT AVAILABLE
$ORIGIN      ACE
$IBFTC SRFU
```

```
SUBROUTINE FILM(UM,ON,TWM,TWN,THM,THN,FOM,FON,FIM,FIN,SIM,SIN,SEM,
1SEN,EIM,PEIN,XNIM,XNIN,TEM,TEN,ELM,ELN,TWEM,TWEN,TIEMPO,THIM,THIN,K
2NT,ITHBOF,MOVIE,IGROP,PHI,THETA,NUM1,NUM2,NUM3,KWHICH)
DIMENSION VAR(6800)
DIMENSION REC(26),X(18),Y(18),Z(18)
COMMON VAR      , KNT      , KFST      , L
CVT=57.2958
K=1
L=0
REWIND 11
REWIND 15
IF(IGROP)41,11,41
41 REWIND 9
K=1
L=L+1
GO TO (1,2,3,4,5,6,7,8,9,10,11,12),L
1  XL=0.0
XR=TIEMPO
YB=ON*CVT
YT=OM*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-16,16HTHETAST1 DEGREES,12,650)
M=L+1
GO TO 33
2  YB=TWN*CVT
YT=TWN*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HPHIST1 DEGREES,12,650)
M=L+1
GO TO 33
3  YB=THN*CVT
YT=THM*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HPSIST1 DEGREES,12,650)
M=L+1
```

```

10 GO TO 33
4 YB=FUN*CVT
YT=FOM*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-16,16HTHETAST2 DEGREES,12,650)
M=L+1
GO TO 33
5 YB=F1M*CVT
YT=F1M*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HPHIST2 DEGREES,12,650)
M=L+1
GO TO 33
6 YB=S1M*CVT
YT=S1M*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HPSIST2 DEGREES,12,650)
M=L+1
GO TO 33
7 IF(I1EQ0)90,41,90
90 CONTINUE
YB=SEN*CVT
YT=SEN*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HTHETAB DEGREES,12,650)
M=L+1
GO TO 33
8 YB=E1M*CVT
YT=E1M*CVT
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14HTHETRB DEGREES,12,650)
M=L+1
GO TO 33
9 YB=EXNIN*CVI
YT=EXNIM*CVI
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-14,14H PSIRB DEGREES,12,650)
M=L+1
GO TO 33
10 YB=TrIN
YT=ThIM
CALL CART(XL,XR,YB,YT)
CALL APRNTV(0,-12,-15,15HRP1P2-1- INCHES,12,650)
M=L+4
35 CONTINUE
READ (9)(REC(I),I=1,14)
1X1=NXV(REC(1))
1Y1=NYV(REC(M))
40 READ (9)(REC(I),I=1,14)
1X2=NXV(REC(1))
1Y2=NYV(REC(M))
IF(IY2-IY1)34,36,35
34 1DF=1Y1-1Y2

```

```

GO TO 37
35 IDF=1Y2-1Y1
37 IF(IDF-3)36,38,38
36 IF((IX2-IX1)-3)39,38,38
38 CALL LINEV(IX1,IY1,IX2,IY2)
  IX1=IX2
  IY1=IY2
39 CONTINUE
  K=K+1
  IF(KNT-K)41,41,40
41 IF(MOVIE)50,12,50
50 XTRM=0.0
  DO 60 J=1,KNT
    READ (11)(REC(I),I=1,26),T
    DO 61 I=1,26
      IF(XTRM-ABS(REC(I)))62,61,61
62 XTRM=ABS(REC(I))
61 CONTINUE
60 CONTINUE
  REWIND 11
  XL=-XTRM-XTRM/20.0
  XR=XTRM+XTRM/20.0
  YR=XL
  YT=XR
  CALL FRONT(NUM1)
  READ (11)(REC(I),I=1,26),T
  DO 104 KLUK=1,NUM3
    CALL GRID1V(1,XL,XR,YR,YT,0.0,0.0,0,0,0,0,0,0,0,0)
    CALL AXIS(XL,XR,PHI,THETA,0)
    CALL DRAW(REC(1),PHI,THETA,1)
    READ (13)(X(I),I=1,18),(Y(I),I=1,18),(Z(I),I=1,18)
    REFX,REFY,1
    REWIND 13
    CALL GRAIN(X(1),Y(1),Z(1),PHI,THETA,REFX,REFY)
    CALL UNDwRT(KWHICH)
    CALL RCLUK(170,900,100,180,10.0,T)
104 CONTINUE
  REWIND 11
  REWIND 13
  52 CALL GRID1V(1,XL,XR,YB,YT,0.0,0.0,0,0,0,0,0,0,0,0)
    CALL AXIS(XL,XR,PHI,THETA,1)
    IF(KNT-K)12,51,51
51 READ (11)(REC(I),I=1,26),T
    CALL DRAW(REC(1),PHI,THETA,0)
    CALL RCLUK(170,900,100,180,10.0,T)
    K=K+1
    GO TO 52
12 CONTINUE
201 CONTINUE
  IF(MOVIE)102,102,100
100 CONTINUE
  DO 105 KRUD=1,50
    CALL RESETV
105 CONTINUE
  DO 101 KLUK=1,KNT

```

```

CALL GRID1V(1,XL,XR,YB,YT,0.0,0.0,0,0,0,0,0,0)
CALL AXIS(XL,XR,PHI,THETA,1)
READ (15)(X(I),I=1,18),(Y(I),I=1,18),(Z(I),I=1,18)      PRE
1FX,REFY,I
CALL GRAN(X(1),Y(1),Z(1),PHI,THETA,REFX,REFY)
CALL RCLOK(170,900,100,180,10.0,T)
101 CONTINUE
DO 106 KRD=1,50
CALL RESETV
106 CONTINUE
102 CONTINUE
RETURN
END

```

\$IBFTC SRF1

```

SUBROUTINE CART(XL,XR,YB,YT)
COMMON VAR   , KNT   , KFST   , L
DIMENSION VAR(6800)
CALL DDXDYV(1,XL,XR,DX,N,I,NX,16.0,IERR)
CALL DDXDYV(2,YB,YT,DY,M,J,NY,16.0,IERR)
CALL EDG(XL,XR,YB,YT,DX,DY,N,M,0.000001)
1F(L-10)3,2,3
2 NX=NX+2
NY=NY+2
3 NX=NX+1
NY=NY+1
CALL GRID1V(1,XL,XR,YB,YT,DX,DY,N,M,-N,-M,NX,NY)
CALL PRINTV(-12,12HTIME SECONDS,400,12)
RETURN
END

```

\$IBFTC SRF2

```

SUBROUTINE EDG(XL,XR,YB,YT,DX,DY,I,J,C)
DX=ABS(DX)
DY=ABS(DY)
IF(DX)60,45,60
60 IF(DY)61,45,61
61 CONTINUE
FI=I
FJ=J
1F(XL)28,8,1
1 D=DX*FI
S=D
2 AG=S-XL
1F(AG)4,5,3
3 1F(C-AG)7,6,6
7 XL=S-D
GO TO 5
6 XL=S
GO TO 5
4 1F(C+AG)27,5,5

```

27 S=S+D
GO TO 2
8 D=DX*FI
5 S=D
9 AG=XR-S
1F(AG)11,12,10
10 1F(C-AG)13,12,12
11 XR=S
12 1F(YB)22,15,11
13 S=S+D
GO TO 9
14 D=DY*FD
CK=D
73 1F(YB/CK-1000.0)70,71,71
71 CK=CK+1000.0*F
GO TO 73
70 S=CK
16 AG=S-YB
1F(AG)19,15,17
17 1F(C-AG)18,15,15
18 YB=S-D
GO TO 15
19 1F(C+AG)21,20,20
21 S=S+D
GO TO 16
20 YB=S
GO TO 15
22 D=DY*FD
S=D
23 AG=YB-S
1F(AG)24,15,25
24 1F(C+AG)26,15,15
25 YB=S
GO TO 15
26 S=S-D
GO TO 23
28 D=DX*FI
S=D
29 AG=XL-S
1F(AG)30,33,32
30 1F(C+AG)31,32,32
31 S=S-D
GO TO 29
32 XL=S
33 1F(XR)34,12,5
34 S=D
35 AG=XR-S
1F(AG)38,15,36
38 1F(C+AG)39,15,15
39 S=S-D
GO TO 35
36 1F(C-AG)37,15,15
37 XR=S+D
15 1F(YT)46,45,40

```

40 U=U*FJ
  CK=D
74 IF(YT/CK-1000.0)75,76,76
76 CK=CK+1000.0*D
  GO TO 74
75 S=CK
41 AG=YT-S
  IF(AG)44,45,42
42 IF(C-AG)43,45,45
43 S=S+D
  GO TO 41
44 YT=S
  GO TO 45
45 U=U*FJ
  S=-D
47 AG=YT-S
  IF(AG)48,45,51
48 IF(C+AG)50,49,49
50 S=S-D
  GO TO 47
49 YT=S
  GO TO 45
51 IF(C-AG)52,45,45
52 YT=S+D
45 CONTINUE
  RETURN
  END

```

\$IBFTC SRFS

```

SUBROUTINE FRONT(NUM1)
DIMENSION VAR(6800),P(6800)
COMMON VAR
EQUIVALENCE(VAR(601),P(1))
U=386.4*P(6)
V=386.4*P(22)
DO 10 I=1,NUM1
  CALL RESETV
  CALL RITE2V(150,169,1023,180,2,38,-1,38HCABLE CONNECTED SPACE STAT
1ION DYNAMICS,NLAST)
  CALL RITE2V(300,250,1023,180,1,29,-1,29HWEIGHT OF BODY 1 =
1LB.,NLAST)
  CALL RITE2V(435,250,1023,180,1,29,-1,29HWEIGHT OF BODY 2 =
1LR.,NLAST)
  CALL RITE2V(570,178,1023,180,1,37,-1,37HINITIAL SPIN SPEED =
1 DEG./SEC.,NLAST)
  CALL RITE2V(705,88,1023,180,1,48,-1,48HINITIAL DISTANCE BETWEEN BO
1DY C.G. S=      FT.,NLAST)
  CALL RITE2V(840,232,1023,180,1,31,-1,31HCABLE ELASTICITY =
1 PSI,NLAST)
  CALL RITE2V(690,700,1023,180,1,1,-1,1H,,NLAST)
  CALL RITE2V(975,214,1023,180,1,33,-1,33HTOTAL CABLE AREA =

```

```

1SQ. IN••NLAST)
CALL HEAD(3,3,18,26,300,592,1023,180,1,LX,LY,0,0,2,U)
CALL HEAD(3,3,18,26,435,592,1023,180,1,LX,LY,0,0,2,V)
CALL HEAD(3,3,18,26,570,556,1023,180,1,LX,LY,2,0,2,P(5955))
CALL HEAD(3,3,18,26,705,772,1023,180,1,LX,LY,1,0,2,P(5952))
CALL HEAD(3,3,18,26,840,574,1023,180,1,LX,LY,0,0,2,P(5954))
CALL HEAD(3,3,18,26,975,556,1023,180,1,LX,LY,4,0,2,P(5953))
10 CONTINUE
RETURN
END

```

\$IBFTC SRF4

```

SUBROUTINE HEAD(LVW,LVH,ISPACE,IROW,MX,MY,LIMIT,K,INT,LX,LY,IRT,
1IVAR,IFIR,VAK)
DIMENSION REC(400)
CALL CAMRAV(35)
CALL CHS1ZV(LVW,LVH)
EXTERNAL TABL1V
CALL RITSTV(ISPACE,IROW,TABL1V)
NDS=0
LX=MX
LY=MY
IF(IVAR.EQ.0)GO TO 10
NTM=1
NTOTAL=6
IF(IFIR.NE.0)GO TO 52
READ(5,501)NU
READ(5,500)(KFC(J),J=1,NU)
IFIR=1
52 CONTINUE
501 FORMAT(15)
500 FORMAT(10A6)
DO 60 L=1,NU
BCDTXT=REC(L)
CALL RITE2V(LX,LY,LIMIT,K,INT,NTOTAL,NTH,BCDTXT,NLAST)
CALL RITXYV(LX,LY)
IF(K.EQ.0) GO TO 61
IF(K.EQ.90) GO TO 90
IF(K.EQ.180) GO TO 180
IF(K.EQ.270) GO TO 270
61 IF((LY-4*LVW ).LT.LIMIT)GO TO 62
GO TO 60
90 IF((LX+4*LVW ).GT.LIMIT)GO TO 63
GO TO 60
180 IF((LY+4*LVW ).GT.LIMIT)GO TO 64
GO TO 60
270 IF((LX-4*LVW ).LT.LIMIT)GO TO 65
GO TO 60
62 LY=MY
LX=LX-IROW
GO TO 60
63 LX=MX

```

```

LY=LY-IROW
GO TO 60
64 LY=MY
LX=LX+IROW
GO TO 60
65 LX=MX
LY=LY+IROW
66 CONTINUE
GO TO 20
10 IF(VAR.GE.0.0) GO TO 43
CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
CALL RITXYV(LX,LY)
43 CALL BNBCDV(VAR,CON,NDS)
IF(NDS)44,45,46
44 NDS=IABS(NDS)
CALL RITE2V(LX,LY,LIMIT,K,INT,2,-1,2H0,NLAST)
IF(NDS.GE.IRT) GO TO 47
DO 48 I=1,NDS
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
48 CONTINUE
NTOTAL=IRT-NDS
IF(NTOTAL.GT.6)NTOTAL=6
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,NTOTAL,1,CON,NLAST)
GO TO 20
47 DO 49 I=1,IRT
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
49 CONTINUE
GO TO 20
45 CALL RITE2V(LX,LY,LIMIT,K,INT,2,-1,2H0,NLAST)
CALL RITXYV(LX,LY)
IF(IRT.GT.6)GO TO 73
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,IRT,1,CON,NLAST)
GO TO 20
73 KUT=6
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,KUT,1,CON,NLAST)
GO TO 20
46 IF(NDS.LE.6)GO TO 70
MORE=NDS-6
CALL RITE2V(LX,LY,LIMIT,K,INT,6,1,CON,NLAST)
DO 71 KLU=1,MORE
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
71 CONTINUE
IF(IRT.EQ.0)GO TO 20
CALL RITXYV(LX,LY)
CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
DO 75 KLU=1,IRT
CALL RITXYV(LX,LY)

```

```

    CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
75 CONTINUE
    GO TO 20
70 CALL RITE2V(LX,LY,LIMIT,K,INT,NDS,1,CON,NLAST)
    IF(IRT.EQ.0)GO TO 20
    IF((NDS+IRT).LE.6)GO TO 72
    KUT=NDS
    NTH=NDS+1
    CALL RITXYV(LX,LY)
    CALL RITE2V(LX,LY,LIMIT,K,INT,KUT,NTH,CON,NLAST)
    GO TO 20
72 NTH=NDS+1
    CALL RITXYV(LX,LY)
    CALL RITE2V(LX,LY,LIMIT,K,INT,1,-1,1H0,NLAST)
    CALL RITXYV(LX,LY)
    CALL RITE2V(LX,LY,LIMIT,K,INT,IRT,NTH,CON,NLAST)
20 CALL RITXYV(LX,LY)
    RETURN
    END

```

\$IBFTC SRF5

```

SUBROUTINE AXIS(XL,XR,PHI,THETA,LBL)
SPH=SIN(PHI)
CPH=COS(PHI)
STH=SIN(THETA)
CTH=COS(THETA)
CALL POINTV(0.0,0.0,0)
XP=XR*CPH*STH
YP=-XR*SPH
IX1=NXV(XP)
IY1=NYV(YP)
IX2=NXV(-XP)
IY2=NYV(-YP)
CALL LINEV(IX1,IY1,IX2,IY2)
CALL LINEV(IX1,IY1,IX2,IY2)
IX=IX1+12
IY=IY1-12
CALL RITE2V(IX,IY,1023,180,2,1,-1,1HX,N)
XP=XR*SPH*STH
YP=XR*CPH
IX1=NXV(XP)
IY1=NYV(YP)
IX2=NXV(-XP)
IY2=NYV(-YP)
CALL LINEV(IX1,IY1,IX2,IY2)
CALL LINEV(IX1,IY1,IX2,IY2)
IX=IX1+12
IY=IY1+12
CALL RITE2V(IX,IY,1023,180,2,1,-1,1HY,N)
XP=-XR*CTH

```

```

YP=0.0
IX1=NXV(XP)
IY1=NYV(YP)
IX2=NXV(U,U)
IY2=NYV(U,U)
CALL LINEV(IX1,IY1,IX2,IY2)
CALL LINEV(IX1,IY1,IX2,IY2)
IX=IX1-12
IY=IY1
CALL RITE2V(IX,IY,1023,180,2,1,-1,1HZ,N)
RETURN
END

```

\$IBFTC SRFO

```

SUBROUTINE DRAW(REC,PHI,THETA,LBL)
DIMENSION REC(26)
SPH=SIN(PHI)
CPH=COS(PHI)
STH=SIN(THETA)
CTH=COS(THETA)
X=REC(1)
Y=REC(2)
Z=REC(3)
ARG1=X*CPH*STH+Y*SPH*STH-Z*CTH
ARG2=-X*SPH+Y*CPH
IX1=NXV(ARG1)
IY1=NYV(ARG2)
DO 10 I=1,4
J=3*I+1
X=REC(J)
Y=REC(J+1)
Z=REC(J+2)
ARG1=X*CPH*STH+Y*SPH*STH-Z*CTH
ARG2=-X*SPH+Y*CPH
IX2=NXV(ARG1)
IY2=NYV(ARG2)
CALL LINEV(IX1,IY1,IX2,IY2)
IF(LBL)10,19,18
18 CALL IJK(I,IX2,IY2)
19 CONTINUE
10 CONTINUE
IX1=IX2
IY1=IY2
DO 11 I=5,7
J=3*I+1
X=REC(J)
Y=REC(J+1)
Z=REC(J+2)
ARG1=X*CPH*STH+Y*SPH*STH-Z*CTH
ARG2=-X*SPH+Y*CPH
IX2=NXV(ARG1)

```

```

IY2=NYV(ARG2)
CALL LINEV(IX1,IY1,IX2,IY2)
IF(LBL)20,21,20
20 CALL IJK(I,IX2,IY2)
21 CONTINUE
11 CONTINUE
1F(LBL)25,26,25
26 CONTINUE
X=REC(25)
Y=REC(26)
CALL REFR(X,Y,SPH,CPH,STH,CTH)
25 CONTINUE
RETURN
END

```

\$IBFTC SRF7

```

SUBROUTINE IJK(I,IX,IY)
EXTERNAL TABL1V
EXTERNAL TAB15V
CALL CHSIZV(3,3)
ILX=IX+9
ILY=IY-6
CALL VCHARV(180,1,ILX,ILY,42,TABL1V)
GO TO(1,2,3,9,5,6,7,9),I
1 IX1=ILX+12
IY1=ILY-12
CALL VCHARV(180,1,IX1,IY1,25,TAB15V)
8 CALL CHSIZV(2,2)
IX1=IX1+6
IY1=IY1+13
CALL VCHARV(180,1,IX1,IY1,1,TABL1V)
GO TO 9
2 IX1=ILX
IY1=ILY+12
CALL VCHARV(180,1,IX1,IY1,33,TAB15V)
GO TO 8
3 IX1=ILX-12
IY1=ILY
CALL VCHARV(180,1,IX1,IY1,34,TAB15V)
GO TO 8
5 IX1=ILX+12
IY1=ILY-12
CALL VCHARV(180,1,IX1,IY1,25,TAB15V)
10 CALL CHSIZV(2,2)
IX1=IX1+6
IY1=IY1+13
CALL VCHARV(180,1,IX1,IY1,2,TABL1V)
GO TO 9
6 IX1=ILX
IY1=ILY+2
CALL VCHARV(180,1,IX1,IY1,33,TAB15V)
GO TO 10

```

```

7 IX1=ILX-12
  IY1=ILY
  CALL VCHARV(180,1,IX1,IY1,34,TAB15V)
  GO TO 10
9 CONTINUE
  RETURN
  END

```

\$IBFTC SRF8

```

SUBROUTINE REFR(X,Y,SPH,CPH,STH,CTH)
  X1=0.0
  Y1=0.0
  SLOPE=Y/X
  SLINV=X/Y
  DX=X/20.0
  DY=Y/20.0
  X=0.0
  Y=0.0
  IF(ABS(SLOPE)-1.0)13,13,14
13 DO 15 I=1,20
  Y=SLOPE*X
  XT=X*CPH*STH+Y*SPH*STH
  YT=-X*SPH+Y*CPH
  CALL POINTV(XT,YT,0)
  X=X+DX
15 CONTINUE
  GO TO 16
14 DO 17 I=1,20
  X=SLINV*Y
  XT=X*CPH*STH+Y*SPH*STH
  YT=-X*SPH+Y*CPH
  CALL POINTV(XT,YT,0)
  Y=Y+DY
17 CONTINUE
16 CONTINUE
  RETURN
  END

```

\$IBFTC SRF9

```

SUBROUTINE GRAN(X,Y,Z,PH,TH,REFX,REFY)
DIMENSION X(18),Y(18),Z(18)
SPH=SIN(PH)
CPH=COS(PH)
STH=SIN(TH)
CTH=COS(TH)
CALL PROJ(X(1),Y(1),Z(1),PH,TH,XCG1,YCG1)
DO 10 I=2,9
  CALL PROJ(X(I),Y(I),Z(I),PH,TH,X(I-1),Y(I-1))
10 CONTINUE

```

```

CALL QUAD(XCG1,YCG1,IQD1)
IQD=1QD1
CALL PROJ(X(10),Y(10),Z(10),PH,TH,XCG2,YCG2)
KUAL=1
CALL QUAD(XCG2,YCG2,IQD2)
20 CALL CASE(X(1),Y(1),X(2),Y(2),X(3),Y(3),X(4),Y(4),X(5),Y(5),X(6),
1Y(6),X(7),Y(7),X(8),Y(8),XCG1,YCG1,XCG2,YCG2,IQD,ICASE)
CALL RUX(X(1),Y(1),ICASE,A,B,C,D,E,F,G,H,O,P,Q,R,S,T,U,V,W,A
1B,AC)
1F(KUAL-1)25,21,22
21 X1=X(1)
Y1=Y(1)
X2=X(2)
Y2=Y(2)
X3=X(3)
Y3=Y(3)
X4=X(4)
Y4=Y(4)
DO 11 I=11,18
CALL PROJ(X(1),Y(I),Z(I),PH,TH,X(I-10),Y(I-10))
11 CONTINUE
KUAL=2
IQD=1QD2
ICASE1=ICASE
GO TO 20
22 ICASE2=ICASE
CALL KABEL(XCG1,YCG1,XCG2,YCG2,X1,Y1,X2,Y2,X3,Y3,X4,Y4,X(1),Y(1),
1X(2),Y(2),X(3),Y(3),X(4),Y(4),ICASE1,ICASE2)
25 CONTINUE
CALL REFR(REFX,REFY,SPH,CPH,STH,CTH)
RETURN
END

```

\$IBFTC SRF10

```

SUBROUTINE PROJ(X,Y,Z,PHI,THETA,TX,TY)
TX=X*COS(PHI)*SIN(THETA)+Y*SIN(PHI)*SIN(THETA)-Z*COS(THETA)
TY=-X*SIN(PHI)+Y*COS(PHI)
RETURN
END

```

\$IBFTC SRF11

```

SUBROUTINE QUAD(XRST,YRST,IQD)
IF(XRST)200,201,201
201 IF(YRST)203,202,202
200 IF(YRST)204,204,205
202 IQD=1
GO TO 206
203 IQD=2

```

```

      GO TO 206
204  IQD=3
      GO TO 206
205  IQD=4
206  CONTINUE
      RETURN
      END

```

\$IBF1C SRF12

```

SUBROUTINE CASE(X1,Y1,X2,Y2,X3,Y3,X4,Y4,X5,Y5,X6,Y6,X7,Y7,X8,Y8,
1 XCG1,YCG1,XCG2,YCG2,IQD,ICASE)
  R1=X1**2+Y1**2
  R2=X2**2+Y2**2
  R3=X3**2+Y3**2
  R4=X4**2+Y4**2
  RM=R1
  ITH=1
  IF(R2-RM)600,603,603
600  RM=R2
  ITH=2
603  IF(R3-RM)601,604,604
601  RM=R3
  ITH=3
604  IF(R4-RM)602,605,605
602  RM=R4
  ITH=4
605  CONTINUE
      GO TO(821,822,823,824),ITH
821  CALL SIML(XCG1,YCG1,XCG2,YCG2,X1,Y1,X2,Y2,XL1,YL1)
  RL1=(X1-X2)**2+(Y1-Y2)**2
  DL1=(X1-XL1)**2+(Y1-YL1)**2
  EL1=(X2-XL1)**2+(Y2-YL1)**2
  IF((DL1.GT.RL1).OR.(EL1.GT.RL1))GO TO 702
701  LINE=1
      GO TO 621
702  LINE=2
      GO TO 622
824  CALL SIML(XCG1,YCG1,XCG2,YCG2,X1,Y1,X4,Y4,XL2,YL2)
  RL2=(X1-X4)**2+(Y1-Y4)**2
  DL2=(X1-XL2)**2+(Y1-YL2)**2
  EL2=(X4-XL2)**2+(Y4-YL2)**2
  IF((DL2.GT.RL2).OR.(EL2.GT.RL2))GO TO 704
502  GO TO 702
704  LINE=4
      GO TO 624
822  CALL SIML(XCG1,YCG1,XCG2,YCG2,X2,Y2,X3,Y3,XL3,YL3)
  RL3=(X2-X3)**2+(Y2-Y3)**2
  DL3=(X2-XL3)**2+(Y2-YL3)**2
  EL3=(X3-XL3)**2+(Y3-YL3)**2
  IF((DL3.GT.RL3).OR.(EL3.GT.RL3))GO TO 701
703  LINE=3
      GO TO 623

```

```

823 CALL SIML(XCG1,YCG1,XCG2,YCG2,X3,Y3,X4,Y4,XL4,YL4)
  RL4=(X3-X4)**2+(Y3-Y4)**2
  DL4=(X3-XL4)**2+(Y3-YL4)**2
  EL4=(X4-XL4)**2+(Y4-YL4)**2
  IF((DL4.GT.RL4).OR.(EL4.GT.RL4))60 TO 703
  GO TO 704
621 GO TO(631,631,633,633),IQD
622 GO TO(641,642,642,641),IQD
623 GO TO(651,652,652,651),IQD
624 GO TO(661,661,663,663),IQD
631 S28=(Y8-Y2)/(X8-X2)
  B28=Y2-S28*X2
  B3=Y3-S28*X3
  IF(B28.LT.B3) GO TO 671
  GO TO 670
633 S15=(Y5-Y1)/(X5-X1)
  B15=Y1-S15*X1
  B6=Y6-S15*X6
  IF(B15.LT.B6) GO TO 673
  GO TO 672
641 S48=(X8-X4)/(Y8-Y4)
  A48=X4-S48*Y4
  A3=X3-S48*Y3
  IF(A48.LT.A3) GO TO 675
  GO TO 674
642 S48=(X8-X4)/(Y8-Y4)
  A48=X4-S48*Y4
  A3=X3-S48*Y3
  IF(A48.LT.A3) GO TO 677
  GO TO 676
651 S35=(X5-X3)/(Y5-Y3)
  A35=X3-S35*Y3
  A4=X4-S35*Y4
  IF(A35.LT.A4) GO TO 678
  GO TO 679
652 S26=(X6-X2)/(Y6-Y2)
  A26=X2-S26*Y2
  A1=X1-S26*Y1
  IF(A26.LT.A1) GO TO 680
  GO TO 681
663 S46=(Y6-Y4)/(X6-X4)
  B46=Y4-S46*X4
  B1=Y1-S46*X1
  IF(B46.LT.B1) GO TO 684
  GO TO 685
661 S37=(Y7-Y3)/(X7-X3)
  B37=Y3-S37*X3
  B2=Y2-S37*X2
  IF(B37.LT.B2) GO TO 682
  GO TO 683
670 ICASE=4
  GO TO 800
671 ICASE=12

```

```
GO TO 800
672 ICASE=16
GO TO 800
673 ICASE=8
GO TO 800
674 ICASE=10
GO TO 800
675 ICASE=2
GO TO 800
676 ICASE=6
GO TO 800
677 ICASE=14
GO TO 800
678 ICASE=1
GO TO 800
679 ICASE=9
GO TO 800
680 ICASE=13
GO TO 800
681 ICASE=5
GO TO 800
682 ICASE=3
GO TO 800
683 ICASE=11
GO TO 800
684 ICASE=15
GO TO 800
685 ICASE=7
800 CONTINUE
RETURN
END
```

\$IBFTC SRF13

```
SUBROUTINE SIML(XCG1,YCG1,XCG2,YCG2,XP1,YP1,XP2,YP2,X,Y)
DXP12=XP1-XP2
DYP12=YP1-YP2
DXCG=XCG1-XCG2
DYCG=YCG1-YCG2
X=(DXP12*DYCG*XCG1-DXCG*DYP12*XP1+DXCG*DXP12*YP1-DXCG*DXP12*YCG1)/
1(DXP12*DYCG-DYP12*DXCG)
Y=(DYCG/DXCG)*X-(DYCG/DXCG)*XCG1+YCG1
RETURN
END
```

\$IBFTC SRF14

```
SUBROUTINE BOX(X,Y,ICASE,A,B,C,D,E,F,G,H,O,P,Q,R,S,T,U,V,W,AB,AC)
DIMENSION X(18),Y(18)
GO TO(1,2,3,4,3,6,3,1,9,10,10,1,13,4,10,4),ICASE
1 IX1=NXV(X(1))
```

```

IY1=NYV(Y(1))
DO 20 I=2,6
IX2=NXV(X(I))
IY2=NYV(Y(I))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
20 CONTINUE
IX1=NXV(X(1))
IY1=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
IX2=NXV(X(4))
IY2=NYV(Y(4))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(5))
IY1=NYV(Y(5))
IX2=NXV(X(8))
IY2=NYV(Y(8))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(5))
IY1=NYV(Y(5))
CALL LINEV(IX1,IY1,IX2,IY2)
GO TO 30
2 IX1=NXV(X(4))
IY1=NYV(Y(4))
DO 21 I=5,8
IX2=NXV(X(I))
IY2=NYV(Y(I))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
21 CONTINUE
IX2=NXV(X(5))
IY2=NYV(Y(5))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(7))
IY1=NYV(Y(7))
IX2=NXV(X(2))
IY2=NYV(Y(2))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
IX2=NXV(X(1))
IY2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
IX2=NXV(X(4))
IY2=NYV(Y(4))
CALL LINEV(IX1,IY1,IX2,IY2)
IX2=NXV(X(6))
IY2=NYV(Y(6))
CALL LINEV(IX1,IY1,IX2,IY2)
GO TO 30
3 IX1=NXV(X(2))

```

```

1Y1=NYV(Y(2))
DO 22 I=5,8
IX2=NXV(X(1))
1Y2=NYV(Y(1))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=IX2
1Y1=1Y2
22 CONTINUE
IX2=NXV(X(5))
1Y2=NYV(Y(5))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX2=NXV(X(3))
1Y2=NYV(Y(3))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=NXV(X(7))
1Y1=NXV(Y(7))
IX2=NXV(X(2))
1Y2=NYV(Y(2))
CALL LINEV(IX1,1Y1,IX2,1Y2)
GO TO 30
4 IX1=NXV(X(1))
1Y1=NYV(Y(1))
DO 23 I=2,5
IX2=NXV(X(1))
1Y2=NYV(Y(1))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=IX2
1Y1=1Y2
23 CONTINUE
IX2=NXV(X(8))
1Y2=NYV(Y(8))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=IX2
1Y1=1Y2
IX2=NXV(X(7))
1Y2=NYV(Y(7))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX2=NXV(X(3))
1Y2=NYV(Y(3))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=NXV(X(7))
1Y1=NYV(Y(7))
IX2=NXV(X(2))
1Y2=NYV(Y(2))
CALL LINEV(IX1,1Y1,IX2,1Y2)
IX1=NXV(X(1))
1Y1=NXV(Y(1))
IX2=NXV(X(4))
1Y2=NYV(Y(4))
CALL LINEV(IX1,1Y1,IX2,1Y2)
GO TO 30
6 IX1=NXV(X(1))
1Y1=NYV(Y(1))
DO 24 I=2,4
IX2=NXV(X(1))

```

```

IY2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
24 CONTINUE
IX2=NXV(X(1))
IY2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
DO 25 I=6,8
IX2=NXV(X(I))
IY2=NYV(Y(I))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
25 CONTINUE
IX2=NXV(X(3))
IY2=NYV(Y(3))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(2))
IY1=NYV(Y(2))
IX2=NXV(X(7))
IY2=NYV(Y(7))
CALL LINEV(IX1,IY1,IX2,IY2)
GO TO 30
9 IX1=NXV(X(1))
IY1=NYV(Y(1))
DO 26 I=2,7
IX2=NXV(X(I))
IY2=NYV(Y(I))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2
IY1=IY2
26 CONTINUE
IX2=NXV(X(2))
IY2=NXV(Y(2))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(6))
IY1=NYV(Y(6))
IX2=NXV(X(1))
IY2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=NXV(X(4))
IY1=NYV(Y(4))
CALL LINEV(IX1,IY1,IX2,IY2)
GO TO 30
10 IX1=NXV(X(3))
IY1=NYV(Y(3))
DO 27 I=4,8
IX2=NXV(X(I))
IY2=NYV(Y(I))
CALL LINEV(IX1,IY1,IX2,IY2)
IX1=IX2

```

```

1Y1=1Y2
27 CONTINUE
1X2=NXV(X(3))
1Y2=NYV(Y(3))
CALL LINEV(IX1,IY1,IX2,IY2)
1X2=NXV(X(5))
1Y2=NYV(Y(5))
CALL LINEV(IX1,IY1,IX2,IY2)
1X1=NXV(X(1))
1Y1=NYV(Y(1))
1X2=NXV(X(4))
1Y2=NYV(Y(4))
CALL LINEV(IX1,IY1,IX2,IY2)
1X2=NXV(X(6))
1Y2=NYV(Y(6))
CALL LINEV(IX1,IY1,IX2,IY2)
GO TO 30
18 IX1=NXV(X(1))
1Y1=NYV(Y(1))
DO 28 I=2,3
1X2=NXV(X(1))
1Y2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
1X1=1X2
1Y1=1Y2
26 CONTINUE
1X2=NXV(X(8))
1Y2=NYV(Y(8))
CALL LINEV(IX1,IY1,IX2,IY2)
1X1=NXV(X(5))
1Y1=NYV(Y(5))
CALL LINEV(IX1,IY1,IX2,IY2)
DO 29 I=6,8
1X2=NXV(X(1))
1Y2=NYV(Y(1))
CALL LINEV(IX1,IY1,IX2,IY2)
1X1=1X2
1Y1=1Y2
29 CONTINUE
1X1=NXV(X(1))
1Y1=NYV(Y(1))
1X2=NXV(X(6))
1Y2=NYV(Y(6))
CALL LINEV(IX1,IY1,IX2,IY2)
1X1=NXV(X(2))
1Y1=NYV(Y(2))
1X2=NXV(X(7))
1Y2=NYV(Y(7))
30 CONTINUE
RETURN
END

```

\$IBFTC SRF15

```

SUBROUTINE KABEL(XCG1,YCG1,XCG2,YCG2,X1,Y1,X2,Y2,X3,Y3,X4,Y4,X5,Y5
1,X6,Y6,X7,Y7,X8,Y8,ICASE1,ICASE2)
 1CASE=ICASE1
 KUAL=1
 XCG=XCG1
 YCG=YCG1
 50 GO TO(1,2,3,1,5,1,3,1,1,2,3,1,5,1,3,1),ICASE
 1 IXC1=NXV(XCG)
 IYC1=NYV(YCG)
 GO TO 20
 2 CALL SIML(XCG1,YCG1,XCG2,YCG2,X1,Y1,X4,Y4,X,Y)
 30 IXC1=NXV(X)
 IYC1=NYV(Y)
 GO TO 20
 3 CALL SIML(XCG1,YCG1,XCG2,YCG2,X3,Y3,X4,Y4,X,Y)
 GO TO 30
 5 CALL SIML(XCG1,YCG1,XCG2,YCG2,X2,Y2,X3,Y3,X,Y)
 GO TO 30
 20 CONTINUE
 IF(KUAL-1)42,41,42
 41 IXC2=IXC1
 IYC2=IYC1
 XCG=XCG2
 YCG=YCG2
 KUAL=2
 1CASE=ICASE2
 X1=X5
 X2=X6
 X3=X7
 X4=X8
 Y1=Y5
 Y2=Y6
 Y3=Y7
 Y4=Y8
 GO TO 50
 42 CALL LINEV(IXC1,IYC1,IXC2,IYC2)
 RETURN
 END

```

\$IBFTC SRF16

```

SUBROUTINE UNDWRT(KWHICH)
DIMENSION VAR(6800),P(6800)
COMMON VAR
EQUIVALENCE(VAR(601),P(1))
EXTERNAL TAB15V
EXTERNAL TABL1V
V1=P(5958)/12.0
V2=P(5957)/12.0
V3=P(5956)/12.0
CALL CHSIZV(3,3)
CALL RITSTV(18,26,TABL1V)

```

```

CALL RITE2V(823,97,1023,180,1,45,-1,45HTORQUE ABOUT      =      SI
1N(      T) FT.-LB.,NLAST)
CALL RITE2V(873,97,1023,180,1,45,-1,45HTORQUE ABOUT      =      SI
1N(      T) FT.-LB.,NLAST)
CALL RITE2V(923,97,1023,180,1,45,-1,45HTORQUE ABOUT      =      SI
1N(      T) FT.-LB.,NLAST)
CALL VCHARV(180,1,832,325,25,TAB15V)
CALL VCHARV(180,1,882,325,33,TAB15V)
CALL VCHARV(180,1,932,325,34,TAB15V)
CALL CHS1ZV(2,2)
CALL VCHARV(180,1,838,338,1,TABL1V)
CALL VCHARV(180,1,888,338,1,TABL1V)
CALL VCHARV(180,1,938,338,1,TABL1V)
CALL HEAD(3,3,18,26,823,421,1023,180,1,LX,LY,0,0,2,V1)
CALL HEAD(3,3,18,26,873,421,1023,180,1,LX,LY,0,0,2,V2)
CALL HEAD(3,3,18,26,923,421,1023,180,1,LX,LY,0,0,2,V3)
CALL HEAD(3,3,18,26,823,619,1023,180,1,LX,LY,2,0,2,P(5999))
CALL HEAD(3,3,18,26,873,619,1023,180,1,LX,LY,2,0,2,P(5999))
CALL HEAD(3,3,18,26,923,619,1023,180,1,LX,LY,2,0,2,P(5999))
RETURN
END

```

\$16FTC SRF17

```

SUBROUTINE RCLOK(IX,IY,IR,K,FACTOR,T)
EXTERNAL TABL1V
R=IR
PI=3.1415927
C=2.0*PI*R
LX=IX
LY=IY
IF(IR.LT.150) GO TO 13
CALL CHS1ZV(4,3)
R1=IR-22
GO TO 14
13 CALL CHS1ZV(2,2)
R1=IR-16
14 CALL RITSTV(23,26,TABL1V)
R2=0.9*R1
UTH=2.0*PI/10.0
IH=0.0
CX=IX
CY=IY
DO 11 I=1,10
TH=TH+UTH
LX=CX-R*COS(TH)
LY=CY+R*SIN(TH)
GO TO(1,2,3,4,5,6,7,8,9,10),I
1 CALL RITE2V(LX,LY,1023,K ,1,1,-1,1H1,NLAST)
GO TO 11
2 CALL RITE2V(LX,LY,1023,K ,1,1,-1,1H2,NLAST)
GO TO 11

```

```

3 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H3,NLAST)
GO TO 11
4 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H4,NLAST)
GO TO 11
5 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H5,NLAST)
GO TO 11
6 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H6,NLAST)
GO TO 11
7 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H7,NLAST)
GO TO 11
8 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H8,NLAST)
GO TO 11
9 CALL RITE2V(LX,LY,1023,K  ,1,1,-1,1H9,NLAST)
GO TO 11
10 CALL RITE2V(LX,LY,1023,K ,1,1,-1,1H0,NLAST)
11 CONTINUE
DTH=2.0*PI/100.0
TH=0.0
CALL SETMIV(0,0,0,0)
CALL GRIDIV(2,0.0,1023.0,0.0,1023.0,0.0,0.0,0.0,0,0,0,0,0,0,0,0)
DO 12 I=1,100
X1=CX-R1*COS(TH)
Y1=CY+R1*SIN(TH)
CALL POINTV(X1,Y1,U)
TH=TH+DTH
12 CONTINUE
DTH=2.0*PI/10.0
TH=0.0
DO 15 I=1,10
X1=CX-R1*COS(TH)
Y1=CY+R1*SIN(TH)
CALL POINTV(X1,Y1,U)
TH=TH+DTH
15 CONTINUE
ANG=2.0*PI*T
IF(K.NE.180)ANG=ANG+1.570795
LX=CX-R1*COS(ANG)
LY=CY+R1*SIN(ANG)
CALL LINEV(IX,IY,LX,LY)
CALL LINEV(IX,IY,LX,LY)
ARG=ANG/FACTOR
LX=CX-R2*COS(ARG)
LY=CY+R2*SIN(ARG)
CALL LINEV(IX,IY,LX,LY)
CALL LINEV(IX,IY,LX,LY)
ARG=ANG/100.0
LX=CX-.8*R2*COS(ARG)
LY=CY+.8*R2*SIN(ARG)
CALL LINEV(IX,IY,LX,LY)
CALL LINEV(IX,IY,LX,LY)
RETURN
END

```



APPENDIX B

COMPUTER PROGRAM DATA

This appendix presents a description of program input, program output, and a sample problem.

General Input

This section presents a description of program input, including correct format and proper ordering. Format statements are given at the beginning of the particular group of data to which the statements apply.

The following fixed-point data should be punched on a single data card in the order given. This card should be the first card in the data deck.

FORMAT (8 I 5)

A code number indicating the desired forcing function option (The integer 1 is used to force body 1, the integer 2 is used to force body 2, and the integer 3 is used to indicate no forcing function.)

Number of floating-point values to be input

6 (The number of auxiliary differential equations, such as control equations, to be integrated in the Runge-Kutta (R-K) subroutine is given in this datum location. This number is presently 6.)

N (This number must be less than or equal to 19.)

Number of differential equations to be integrated in the R-K subroutine (This number is equal to $3N + 25$ + the number of auxiliary differential equations to be integrated in the R-K subroutine. This number is presently equal to $3N + 31$.)

Number of integration steps desired between output printout intervals

An S-C 4020 output option code number (The integer 1 calls for nine graphs to be output. The integer 0 omits the graphs.)

An S-C 4020 output option code number (The integer 1 calls for output in the form of motion pictures. The integer 0 omits this output.)

Each line of the following data should be punched on a single data card. Data having a value of zero may be ignored. The order of these cards in the data deck is unimportant.

FORMAT (I5, E15.7)

1	Integration step size, sec	}
2	Program termination time, sec	
3	$I_{i'}, 1$	
4	$I_{j'}, 1$	
5	$I_{k'}, 1$	
6	M_1	
10	$\bar{i}_1 \cdot \bar{i}_1'$	
11	$\bar{i}_1 \cdot \bar{j}_1'$	
12	$\bar{i}_1 \cdot \bar{k}_1'$	
13	$\bar{j}_1 \cdot \bar{i}_1'$	
14	$\bar{j}_1 \cdot \bar{j}_1'$	
15	$\bar{j}_1 \cdot \bar{k}_1'$	
16	$\bar{k}_1 \cdot \bar{i}_1'$	
17	$\bar{k}_1 \cdot \bar{j}_1'$	
18	$\bar{k}_1 \cdot \bar{k}_1'$	
19	$I_{i'}, 2$	Direction cosines for body 1
20	$I_{j'}, 2$	
21	$I_{k'}, 2$	
22	M_2	

26	$\bar{i}_2 \cdot \bar{i}'_2$	}	Direction cosines for body 2
27	$\bar{i}_2 \cdot \bar{j}'_2$		
28	$\bar{i}_2 \cdot \bar{k}'_2$		
29	$\bar{j}_2 \cdot \bar{i}'_2$		
30	$\bar{j}_2 \cdot \bar{j}'_2$		
31	$\bar{j}_2 \cdot \bar{k}'_2$		
32	$\bar{k}_2 \cdot \bar{i}'_2$		
33	$\bar{k}_2 \cdot \bar{j}'_2$		
34	$\bar{k}_2 \cdot \bar{k}'_2$		
110	u''_1		
111	v''_1		
112	w''_1		
113	θ_1		
114	ϕ_1		
115	ψ_1		
119	u''_2		
120	v''_2		
121	w''_2		
122	θ_2		
123	ϕ_2		

124	ψ_2
970	$\Omega_{x, 1}$
971	$\Omega_{y, 1}$
972	$\Omega_{z, 1}$
980	$\Omega_{x, 2}$
981	$\Omega_{y, 2}$
982	$\Omega_{z, 2}$
140	\bar{X}_1
141	\bar{Y}_1
142	\bar{Z}_1
143	\bar{X}_2
144	\bar{Y}_2
145	\bar{Z}_2
140 + 3N	\bar{X}_{N+1}
141 + 3N	\bar{Y}_{N+1}
142 + 3N	\bar{Z}_{N+1}
222	$\bar{X}_{P, 1, 2}$
222 + N	$\bar{X}_{P, 1, N+1}$
242	$\bar{Y}_{P, 1, 2}$
241 + N	$\bar{Y}_{P, 1, N+1}$

262	$\bar{Z}_{P, 1, 2}$
261 + N	$\bar{Z}_{P, 1, N+1}$
282	$\bar{X}_{P, 2, 2}$
281 + N	$\bar{X}_{P, 2, N+1}$
302	$\bar{Y}_{P, 2, 2}$
301 + N	$\bar{Y}_{P, 2, N+1}$
322	$\bar{Z}_{P, 2, 2}$
321 + N	$\bar{Z}_{P, 2, N+1}$
1202	CL_2
1201 + N	CL_{N+1}
1222	CK_2
1221 + N	CK_{N+1}
1242	CD_2
1241 + N	CD_{N+1}
5945	$\omega_{F, n}$
5946	$AF_{z, n}$
5947	$AF_{y, n}$
5948	$AF_{x, n}$

5952	Initial distance between c.g. ₁ and c.g. ₂ , ft*
5953	Total cable area, sq in. *
5954	Cable elasticity, lb/in ² *
5955	Initial spin speed, deg/sec*
5956	AG _{z, n}
5957	AG _{y, n}
5958	AG _{x, n}
5966	One-half of length of box representing body 2 in motion picture output, in. *
5967	Length of arbitrary body-fixed axes i _n , j _n , and k _n , and one-half of length of box representing body 1 in motion picture output, in. *
5971	Angle of rotation of \bar{Z}' axis out of projected plane of motion picture, rad [†]
5972	Angle of rotation of \bar{X}' and \bar{Y}' axes about the \bar{Z}' axis, rad [†]
5992	$\bar{\bar{X}}_1$
5993	$\bar{\bar{Y}}_1$
5994	$\bar{\bar{Z}}_1$
5995	$\bar{\bar{X}}_2$
5996	$\bar{\bar{Y}}_2$

* This input is required for motion picture output only.

† If these angles are both equal to zero, the $\bar{Y}'\bar{\bar{Z}}'$ plane will be parallel to each frame of the motion picture.

5997 $\bar{\mathbb{Z}}_2$

5999 $\omega_{T,n}$

Data for the first of a series of runs to be made must include a card for all non-zero floating-point parameters as well as the card of fixed-point data. Data for succeeding runs may omit any nonzero floating-point parameters which remain unchanged from the respective preceding run but must include the card of fixed-point data.

General Output

Table B-I relates the program output symbology to the symbols section of the paper. Time histories of the first 36 dependent variables (THETA1 to CABLE) (table B-I) will be output by the system printer for every run made. In addition to this fixed output format, two optional forms of output are available through the use of the S-C 4020 high-speed microfilm recorder. This option is controlled by two fixed-point numbers. The first of these options consists of nine graphs representing the time histories of the structural Euler angles, the pseudorigid body Euler angles, and the pseudorigid body length. The pseudorigid body Euler angles are subject to the following restrictions.

$$-\frac{\pi}{2} < \theta_{RB} < \frac{\pi}{2}$$

$$0 \leq \psi_{RB} < 2\pi$$

The restriction on ψ_{RB} concerns only the output values, that is, when the value of ψ_{RB} reaches 2π , a value of zero will be plotted, causing a discontinuity in the graph. If the S-C 4020 output section of the program is removed, as described previously, there will be no output record of either the structural Euler angles or the pseudorigid body Euler angles. This output may be retained by modifying the SUBROUTINE OUTAID, as indicated by the applicable comment cards, and by making the following changes in the headings printed by the system printer.

Original headings	Modified headings
THETA1	THETAST1
PHI1	PHIST1
THETA2	THETAST2
PHI2	PHIST2
XBR(1)	PSIST1
YBR(1)	PSIST2
ZBR(1)	THETRB
RP1P2(2)	PSIRB

A second output option consists of an 8-millimeter motion picture of vehicle motion during the run. The motion picture consists of two distinct parts. The first part shows pseudorigid body and arbitrary body axes motion during the run. The second part represents complete vehicle motion. The vehicle is simulated by two rectangular parallelepipeds connected by a single cable tied to the geometrical center of the two opposing faces. The length of each body is controlled by data input. Body width and height are set by the program to 0.6 of the body length. Both parts of the movie show a dotted reference line in the $\bar{X}'\bar{Y}'$ plane. This line is the projection of that part of the pseudorigid body between c.g._{comp} and c.g.₂ and serves to give the viewer a qualitative idea of the magnitudes of ψ_{RB} and θ_{RB} . Both parts of the movie also show a three-handed clock in the upper right-hand corner. One revolution of the largest hand represents 1.0 second of vehicle motion. A revolution of the middle hand represents 10.0 seconds, and a revolution of the smallest hand represents 100.0 seconds. The S-C 4020 generates one frame for every integration step; therefore, an integration step size of 0.04167 second will result in a real-time movie. Motion picture output should be used with discretion since it greatly increases computer run time.

Sample Problem

The vehicle configuration used for the sample problem was taken from reference 1 and is shown in figure B-1. Body 1 is manned, and body 2 is an empty booster casing. The launch weight of body 1 was approximately 19 000 pounds, which is within the Saturn C-1 payload capability. The spinning configuration of body 1 includes a small unmanned resupply vehicle and two Gemini capsules for emergency escape.

Four sample runs were made. A copy of the input data cards for the runs is given in figure B-2. The data for each run are headed by the card containing eight fixed-point values for that run. The first three runs demonstrate how the program can be used to obtain the dominant response characteristics of the vehicle for the arbitrary axes of body 1. The forcing function used for run one was

$$G_{y,1} = 1400 \sin (1.5t) \quad (B1)$$

The pertinent output from this run is shown in figure B-3. This curve was output by the S-C 4020 and was used to obtain the point indicated on figure B-4. The forcing function used for run two was

$$G_{z,1} = 1400 \sin (0.1t) \quad (B2)$$

The pertinent output from this run is shown in figure B-5. This curve was used to obtain the indicated point on figure B-6. The forcing function used for run three was

$$G_{x,1} = 30 \sin (0.15t) \quad (B3)$$

The pertinent output from this run is shown in figure B-7. This curve was used to obtain the indicated point on figure B-8. A complete linear analysis of the uncontrolled dynamic response of the vehicle is presented in reference 1. The additional response characteristics given in reference 1 can also be determined by the program presented here. The final sample run was made to demonstrate all available output formats. The forcing functions used for this run were

$$G_{x,1} = 4000 \sin (0.25t) \quad (B4)$$

$$G_{y,1} = 1500000 \sin (0.25t) \quad (B5)$$

and

$$G_{z,1} = 1500000 \sin (0.25t) \quad (B6)$$

The first three sheets of printed output are shown in figure B-9. The nine graphs output by the S-C 4020 are shown in figure B-10. Typical S-C 4020 motion picture output is given in figure B-11. The first two frames shown in figure B-11 appear prior to the motion pictures of the actual run and provide run identification information. The last two frames in figure B-11 were taken from the two types of movies produced during the run.

The sample runs presented illustrate only one of many possible applications of the program. The nonlinear approach and the generality of the subroutine structure make the program highly adaptable to any type of motion study desired.

TABLE B-I. - OUTPUT SYMBOLS

Program output symbols	Variables represented	Program output symbols	Variables represented
TIME	t	YCG	$\bar{\bar{Y}}^1$ c. g.
THETA1	θ_1	ZCG	$\bar{\bar{Z}}^1$ c. g.
PSIRBD	$\dot{\psi}_{RB}$	XBR2CG	$\bar{\bar{X}}$ c. g.
PHI1	ϕ_1	YBR2CG	$\bar{\bar{Y}}$ c. g.
THETA2	θ_2	ZBR2CG	$\bar{\bar{Z}}$ c. g.
THETRBD	$\dot{\theta}_{RB}$	OMEGAX1	$\Omega_x, 1$
PHI2	ϕ_2	OMEGAY1	$\Omega_y, 1$
THETAB	$\bar{\theta}$	OMEGAZ1	$\Omega_z, 1$
PSIB	$\bar{\psi}$	OMEGAX2	$\Omega_x, 2$
PHIB	$\bar{\phi}$	OMEGAY2	$\Omega_y, 2$
XBR(1)	\bar{X}_1	OMEGAZ2	$\Omega_z, 2$
YBR(1)	\bar{Y}_1	RP1P2(2)	$\bar{P}_1, 2 \bar{P}_2, 2$
ZBR(1)	\bar{Z}_1	RP1P2(3)	$\bar{P}_1, 3 \bar{P}_2, 3$
GAMMA	γ	RP1P2(1)	$\bar{P}_1, 1 \bar{P}_2, 1$
ALPHA	α	RP1P2(4)	$\bar{P}_1, 4 \bar{P}_2, 4$
IAVB2	A_2	FCABLEMAX	F_c, max
THETABD	$\dot{\bar{\theta}}$	CABLE	C_f, max
PSIBD	$\dot{\bar{\psi}}$		
PHIBD	$\dot{\bar{\phi}}$		
XCG	$\bar{\bar{X}}^1$ c. g.	THETAST1	$\theta_s, 1$

TABLE B-I. - OUTPUT SYMBOLS - Concluded

Program output symbols	Variables represented	Program output symbols	Variables represented
PHIST1	$\phi_{s, 1}$	THETRB	θ_{RB}
PSIST1	$\psi_{s, 1}$	PSIRB	ψ_{RB}
THETAST2	$\theta_{s, 2}$	T	t
PHIST2	$\phi_{s, 2}$	X	\bar{X}'
PSIST2	$\psi_{s, 2}$	Y	\bar{Y}'
		Z	\bar{Z}'

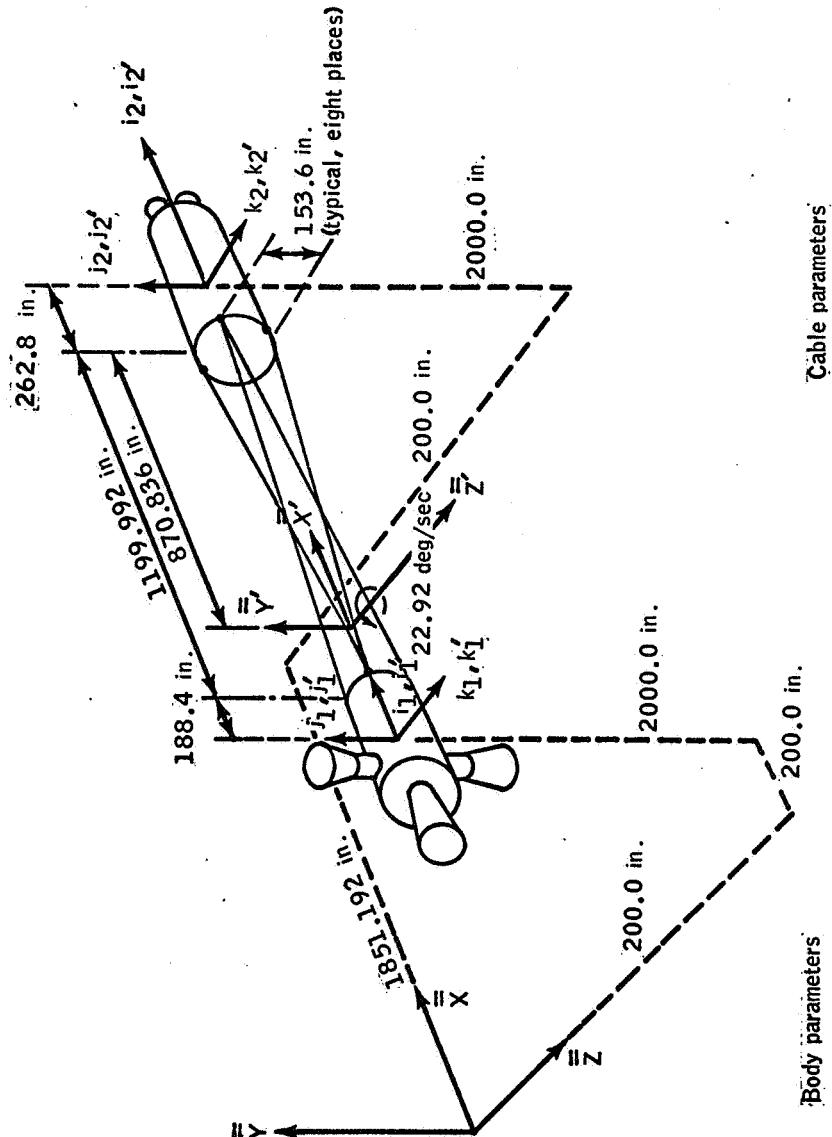


Figure B-1. - Vehicle configuration for sample problem.

1	109	6	8	55	1	1	0
1			5-2				
2			24+0				
3			1236+3				
4			1086+3				
5			2076+3				
6			10167-2				
10			1+0				
14			1+0				
18			1+0				
19			36+4				
20			876+3				
21			876+3				
22			46417-3				
26			1+0				
30			1+0				
34			1+0				
111			-207022-3				
120			453454-3				
972			2292-2				
982			2292-2				
140			1651192-3				
143			1199992-3				
144			1536-1				
146			1199992-3				
147			-1536-1				
149			1199992-3				
150			-1536-1				
152			1199992-3				
153			1536-1				
155			1199992-3				
157			-1536-1				
158			1199992-3				
160			1536-1				
161			1199992-3				
163			1536-1				
164			1199992-3				
166			-1536-1				
222			1884-1				
223			1884-1				
224			1884-1				
225			1884-1				
226			1884-1				
227			1884-1				
228			1884-1				
229			1884-1				
242			-768-1				
243			768-1				
244			768-1				
245			-768-1				
246			-768-1				
247			-768-1				
248			768-1				

Figure B-2. - Input data for sample runs.

249	768-1
262	768-1
263	768-1
264	-768-1
265	-768-1
266	768-1
267	-768-1
268	-768-1
269	768-1
282	-2628-1
283	-2628-1
284	-2628-1
285	-2628-1
286	-2628-1
287	-2628-1
288	-2628-1
289	-2628-1
302	768-1
303	-768-1
304	-768-1
305	768-1
306	-768-1
307	-768-1
308	768-1
309	768-1
322	768-1
323	768-1
324	-768-1
325	-768-1
326	-768-1
327	768-1
328	768-1
329	-768-1
1202	120515-2
1203	120515-2
1204	120515-2
1205	120515-2
1206	120515-2
1207	120515-2
1208	120515-2
1209	120515-2
1222	228706-3
1223	228706-3
1224	228706-3
1225	228706-3
1226	228706-3
1227	228706-3
1228	228706-3
1229	228706-3
5957	14+2
5992	2+2
5993	2+3
5994	2+2

Figure B-2. - Continued.

5995	1851192-3						
5996	2+3						
5997	2+2						
5999	15-1						
1	4	6	8	55	1	1	0
2			7+1				
5956	14+2						
5957	0+0						
5999	1-1						
1	4	6	8	55	1	1	0
2			1+2				
5956	0+0						
5958	3+1						
5999	15-2						
1	13	6	8	55	1	1	1
2			25+0				
5952	1376-1						
5953	1512-4						
5954	14583333+0						
5955	2292-2						
5956	15+5						
5957	15+5						
5958	4+3						
5966	2628-1						
5967	1884-1						
5971	5235-4						
5972	5235-4						
5999	25-2						

Figure B-2. - Concluded.

III

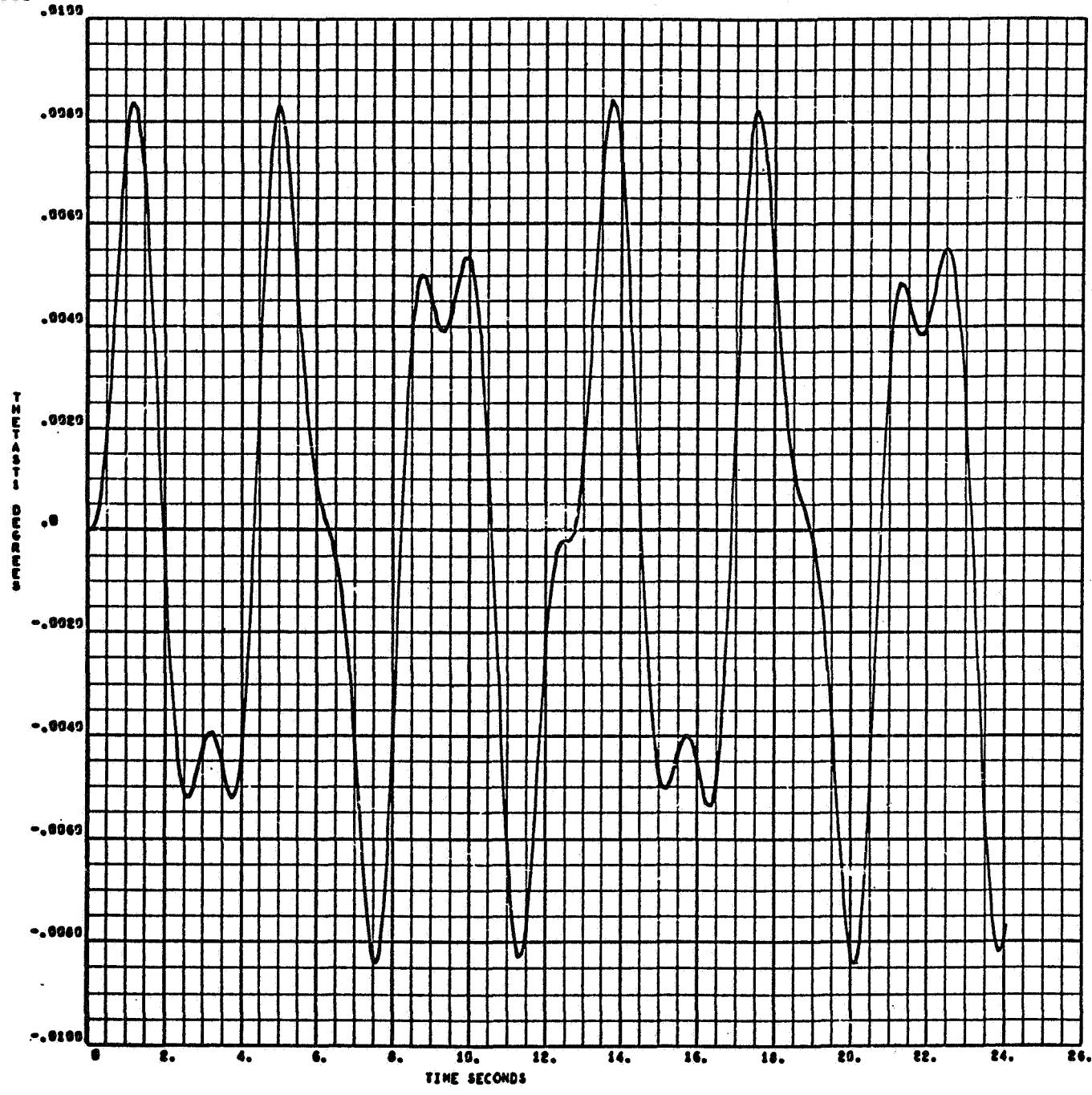


Figure B-3.- Pertinent S-C 4020 output for sample run one.

NASA-S-68-3080

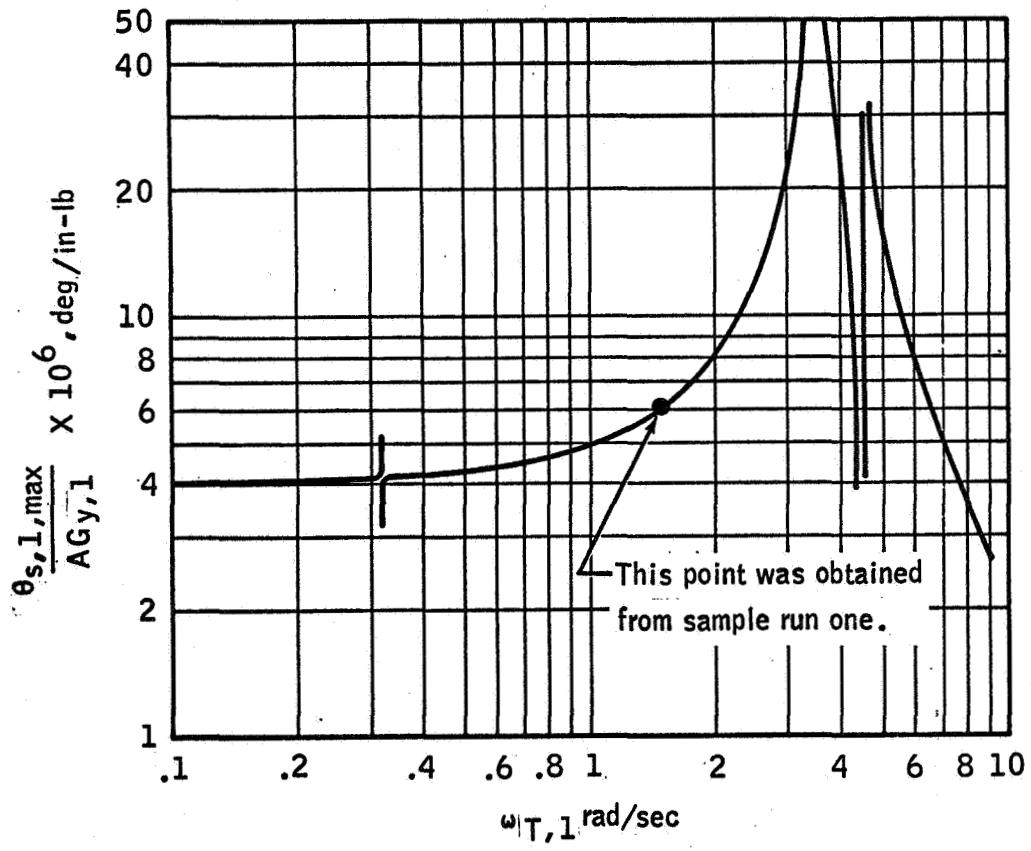


Figure B-4. - Structural yaw frequency response of the vehicle.

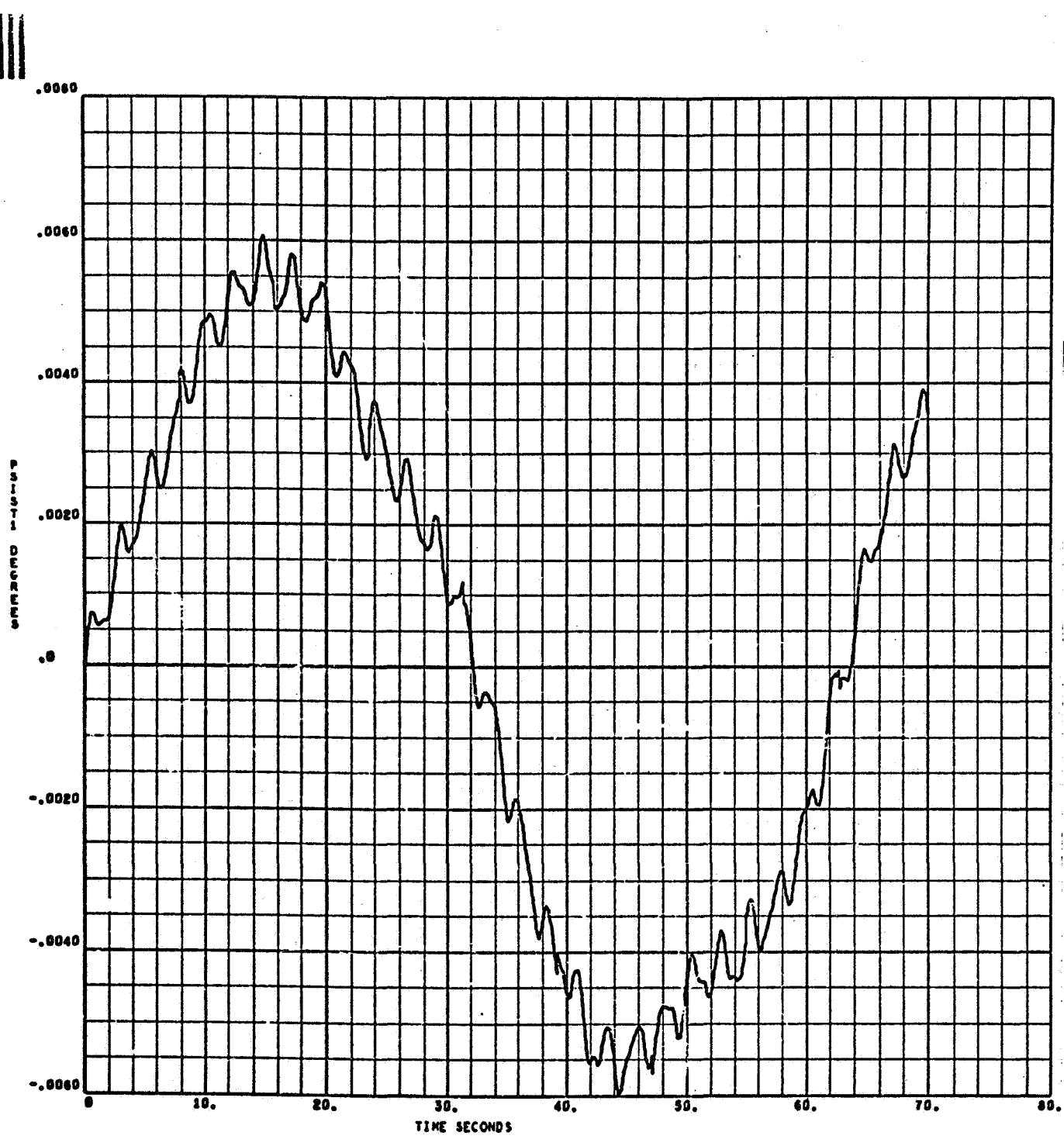
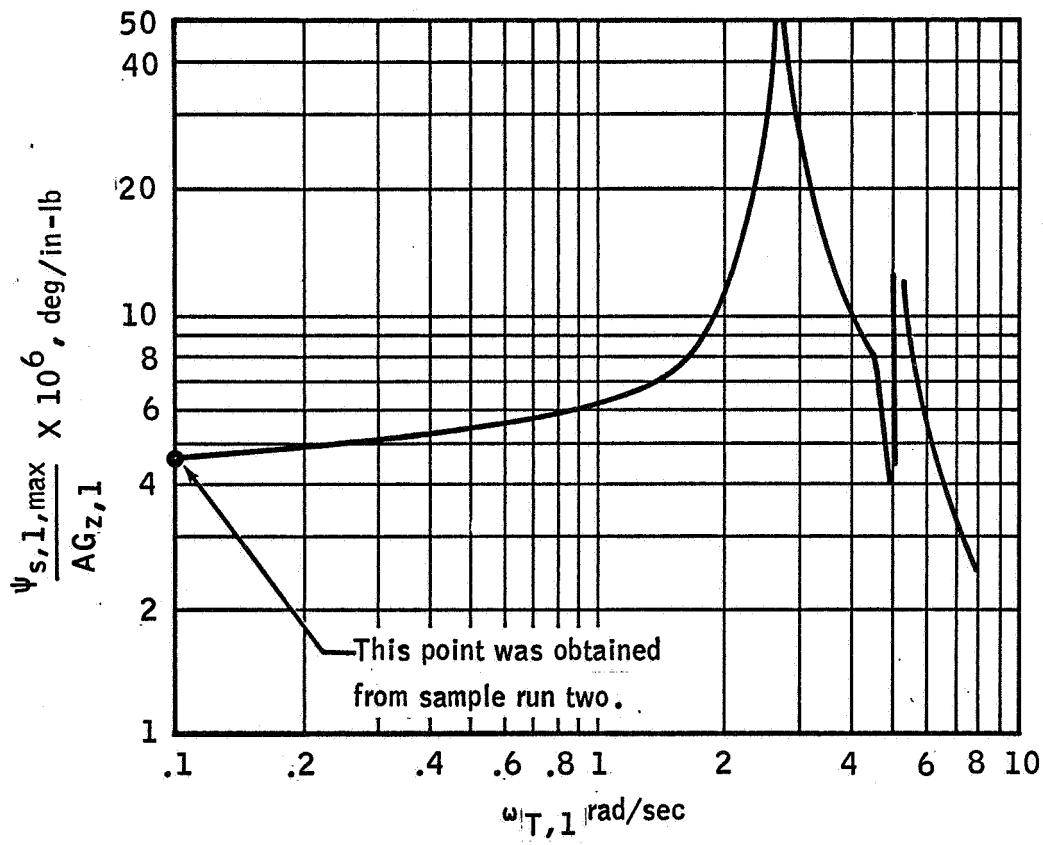


Figure B-5.- Pertinent S-C 4020 output for sample run two.

NASA-S-68-3081



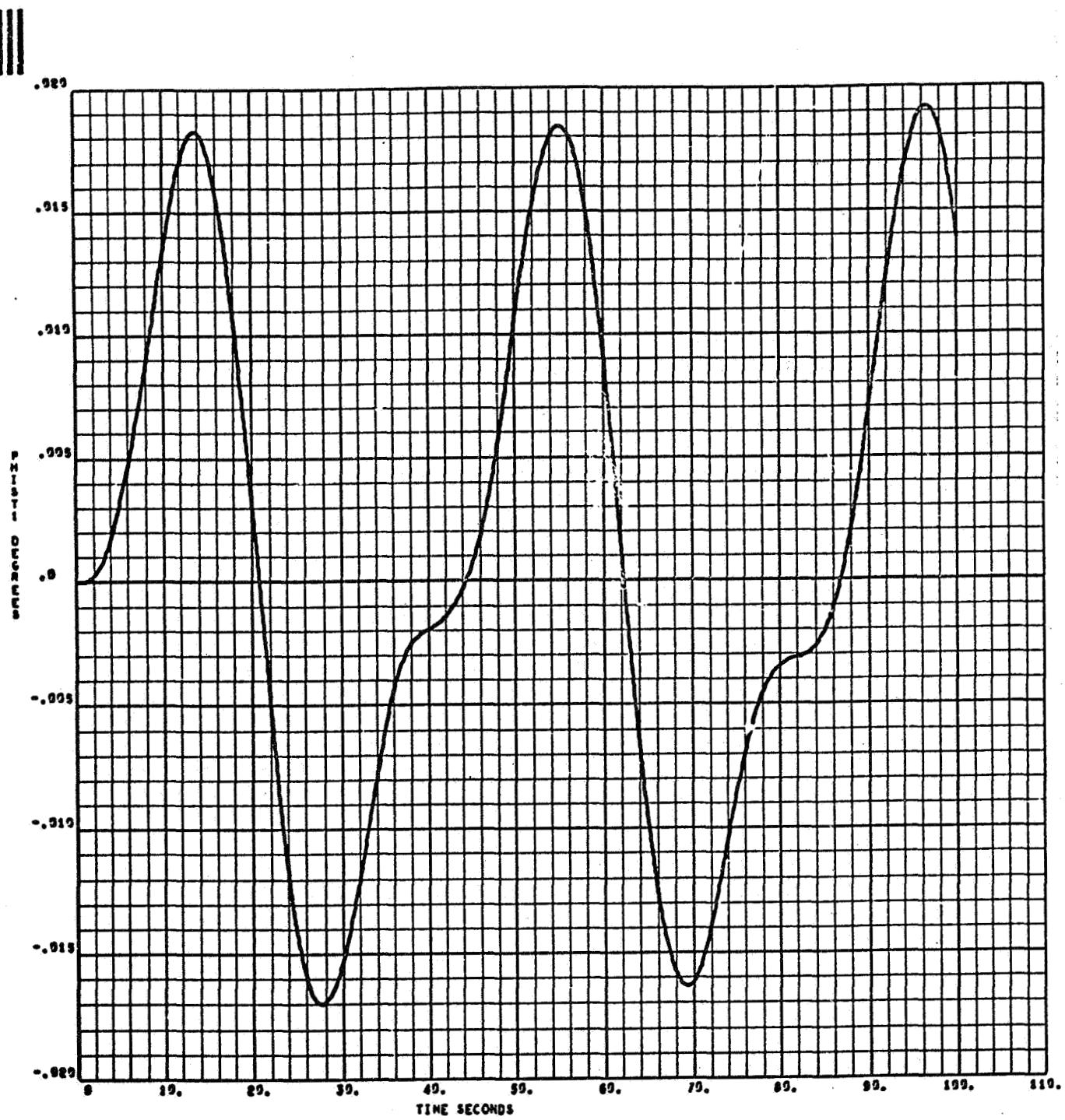


Figure B-7.- Pertinent S-C 4020 output for sample run three.

NASA-S-68-3082

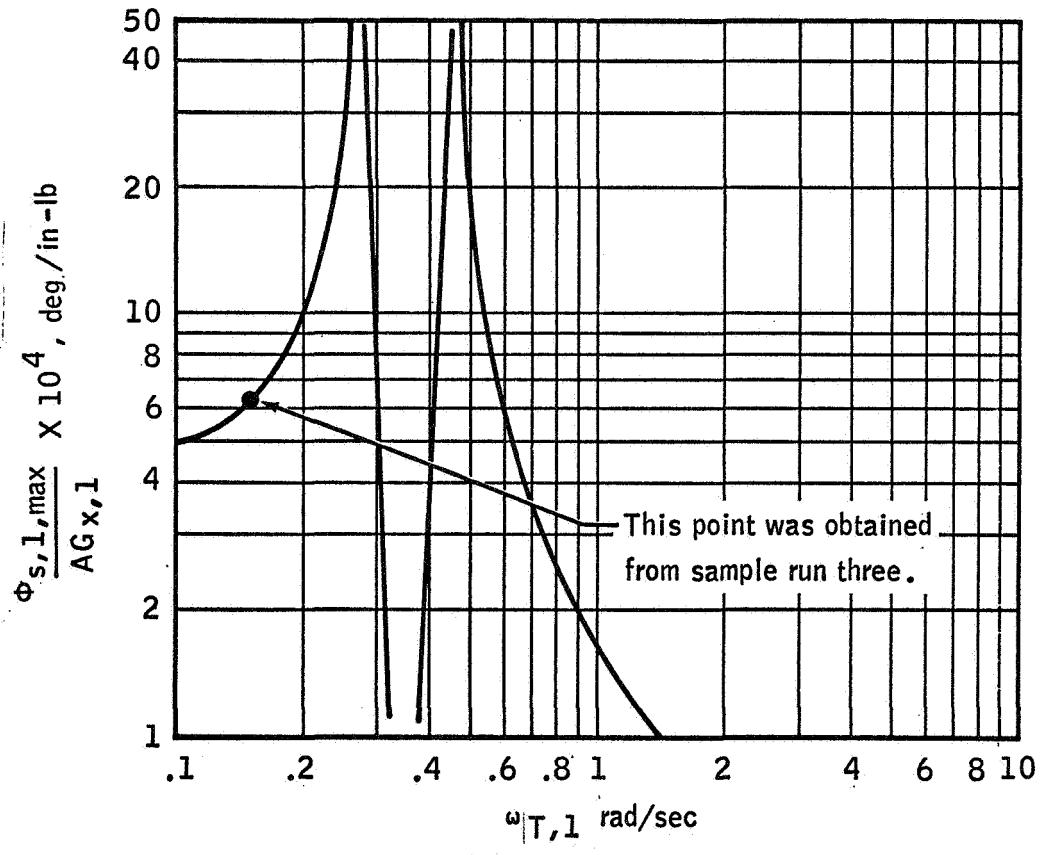


Figure B-8.- Structural roll frequency response of the vehicle.

FURFUR CPTIUN		1		PAGE NÜ		2						
• TIME SEC	THEΤΑΙ DEG	PSIKBU DEG/SEC	PHI 1 DEG	THEΤΑ2 DEG	THEΤΑ3 DEG	PHI2 DEG	THEΤΑδ DEG	PSIδ DEG	PHΙδ DEG	ΧΙΕΤΙδ IN	ΥΕΤΙδ IN	ΖΕΤΙδ IN
0.	0.	22.9183	0.	0.	0.	0.	0.	-0.	0.	1651.192	0.	0.
0.0500	0.0004	22.9183	0.0000	0.0000	0.0000	0.0000	-0.0004	-0.0002	-0.0000	1651.192	-0.054	0.012
0.1000	0.0033	22.9182	0.0000	0.0000	0.0000	0.0000	-0.0033	-0.0017	-0.0000	1651.194	0.094	0.094
0.1500	0.0109	22.9182	0.0001	-0.0001	0.0001	0.0000	-0.0110	-0.0056	-0.0001	1651.196	-0.174	0.315
0.2000	0.0256	22.9183	0.0002	-0.0003	0.0003	-0.0000	-0.0259	-0.0138	-0.0002	1651.198	-0.401	0.737
0.2500	0.0491	22.9185	0.0004	-0.0009	0.0008	-0.0000	-0.0500	-0.0268	-0.0004	1651.200	-0.769	1.415
0.3000	0.0832	22.9166	0.0007	-0.0021	0.0015	-0.0000	-0.0853	-0.0462	-0.0007	1651.200	-1.308	2.394
0.3500	0.1289	22.9195	0.0013	-0.0045	0.0028	-0.0001	-0.1333	-0.0731	-0.0012	1651.199	-2.043	3.709
0.4000	0.1870	22.9205	0.0021	-0.0084	0.0046	-0.0002	-0.1954	-0.1085	-0.0020	1651.194	-2.999	5.379
0.4500	0.2579	22.9219	0.0033	-0.0146	0.0071	-0.0004	-0.2725	-0.1535	-0.0031	1651.183	-4.192	7.415
0.5000	0.3415	22.9239	0.0049	-0.0236	0.0105	-0.0008	-0.3651	-0.2089	-0.0044	1651.165	-5.636	9.810
0.5500	0.4371	22.9265	0.0069	-0.0362	0.0148	-0.0014	-0.4733	-0.2757	-0.0062	1651.137	-7.341	12.547
0.6000	0.5438	22.9297	0.0096	-0.0530	0.0201	-0.0022	-0.5966	-0.3542	-0.0084	1651.098	-9.310	15.596
0.6500	0.6601	22.9338	0.0128	-0.0746	0.0265	-0.0034	-0.7346	-0.4451	-0.0111	1651.045	-11.543	18.918
0.7000	0.7846	22.9386	0.0167	-0.1014	0.0340	-0.0073	-0.8861	-0.5486	-0.0143	1650.976	-14.033	22.462
0.7500	0.9153	22.9444	0.0214	-0.1335	0.0426	-0.0026	-1.0490	-0.6646	-0.0181	1650.889	-16.772	26.174
0.8000	1.0501	22.9510	0.0268	-0.1711	0.0523	-0.0102	-1.2215	-0.7929	-0.0225	1650.784	-19.744	29.993
0.8500	1.1870	22.9587	0.0331	-0.2139	0.0630	-0.0138	-1.4012	-0.9331	-0.0276	1650.658	-22.930	33.856
0.9000	1.3237	22.9674	0.0402	-0.2612	0.0746	-0.0182	-1.5852	-1.0645	-0.0334	1650.514	-26.309	37.700
0.9500	1.4584	22.9771	0.0481	-0.3123	0.0871	-0.0235	-1.7714	-1.2461	-0.0399	1650.350	-29.856	41.467
1.0000	1.5890	22.9878	0.0568	-0.3661	0.1004	-0.0298	-1.9559	-1.4166	-0.0462	1650.168	-33.543	45.099
1.0500	1.7138	22.9996	0.0662	-0.4211	0.1143	-0.0370	-2.1361	-1.5947	-0.0554	1649.970	-37.339	48.548
1.1000	1.8315	23.0124	0.0764	-0.4758	0.1287	-0.0451	-2.3088	-1.7787	-0.0645	1649.758	-41.213	51.770
SLACK CABLES ARE		2	0.0871	-0.5291	0.1435	-0.0539	-2.4723	-1.9663	-0.0743	1649.532	-45.141	54.745
1.1500	1.9413	23.0259	0.0984	-0.5795	0.1582	-0.0633	-2.6254	-2.1552	-0.0847	1649.284	-49.110	57.483
1.2000	2.0436	23.0401	0.1100	-0.6248	0.1727	-0.0730	-2.7671	-2.3440	-0.0954	1649.004	-53.112	60.017
1.2500	2.1395	23.0555	0.1221	-0.6630	0.1869	-0.0830	-2.8968	-2.5311	-0.1064	1648.686	-57.136	62.387
1.3000	2.3036	23.0722	0.1346	-0.6923	0.2009	-0.0930	-3.0144	-2.7153	-0.1175	1648.324	-61.177	64.643
1.3500	2.3183	23.0903	0.1474	-0.7112	0.2145	-0.1029	-3.1204	-2.8955	-0.1285	1647.918	-65.227	66.844
1.4000	2.4048	23.1098	0.1606	-0.7186	0.2279	-0.1124	-3.2159	-3.0712	-0.1391	1647.469	-69.282	69.052
1.4500	2.4048	23.1307	0.1741	-0.7140	0.2412	-0.1213	-3.3025	-3.2421	-0.1489	1646.980	-73.343	71.331
1.5000	2.4922	23.1528	0.1881	-0.6973	0.2545	-0.1294	-3.3826	-3.4083	-0.1578	1646.457	-77.409	73.746
1.5500	2.5828	23.2489	0.2026	-0.6691	0.2679	-0.1366	-3.4586	-3.5702	-0.1653	1645.905	-81.483	76.356
1.6000	2.6788	23.2994	0.2176	-0.6306	0.2816	-0.1426	-3.5335	-3.7289	-0.1713	1645.331	-85.570	79.211
1.6500	2.6949	23.2241	0.2334	-0.5835	0.2959	-0.1474	-3.6104	-3.8852	-0.1755	1644.739	-89.671	82.351
1.7000	3.0180	23.2489	0.2500	-0.5299	0.3110	-0.1509	-4.0405	-4.0405	-0.1778	1644.131	-93.790	85.802
1.7500	3.1527	23.2740	0.2675	-0.4725	0.3269	-0.1531	-4.1961	-4.1961	-0.1781	1643.503	-97.926	89.572

Figure B-9.- Program printout for sample run four.

FORFUN OPTION		TIME SEC		GAMMA DEG		ALPHA DEG		IAVB2 DEG/SEC		THETABD DEG/SEC		PSIBD DEG/SEC		PHIBD DEG/SEC		XCG INCHES		YCG INCHES		ZCG INCHES		XBR2CG INCHES		YBR2CG INCHES		ZBR2CG INCHES	
0.	0.	0.	0.	0.0	0.0	22.918	0.	0.0000	0.	0.	0.	-517.5564	0.	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.050	0.0000	0.0	0.0	22.918	-0.0247	-0.0130	-0.0518	-0.0000	-0.0518	-0.0163	-0.001	-517.1430	-10.3504	-10.3504	-10.3504	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.100	0.0001	0.0	0.0	22.918	-0.0281	-0.0281	-0.0281	-0.0000	-0.0281	-0.0163	-0.001	-516.6263	-31.0347	-31.0347	-31.0347	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.150	0.0003	0.0	0.0	22.918	-0.0287	-0.0287	-0.0287	-0.0000	-0.0287	-0.0163	-0.001	-515.9030	-41.3604	-41.3604	-41.3604	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.200	0.0008	0.0	0.0	22.918	-0.0334	-0.0260	-0.0334	-0.0003	-0.0334	-0.0203	-0.005	-514.9735	-51.6696	-51.6696	-51.6696	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.250	0.0019	0.0	0.0	22.918	-0.0383	-0.0383	-0.0383	-0.0005	-0.0383	-0.0203	-0.009	-513.8378	-61.9583	-61.9583	-61.9583	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.300	0.0038	0.0	0.0	22.919	-0.0428	-0.0428	-0.0428	-0.0009	-0.0428	-0.0203	-0.013	-71.919	-72.2224	-72.2224	-72.2224	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.350	0.0069	0.0	0.0	22.919	-0.0477	-0.0477	-0.0477	-0.0013	-0.0477	-0.0203	-0.013	-71.919	-72.2224	-72.2224	-72.2224	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.400	0.0115	0.0	0.0	22.920	-1.3894	-0.8009	-1.3894	-0.0118	-1.3894	-0.8009	-0.0118	-510.9497	-82.4580	-82.4580	-82.4580	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.450	0.0178	0.0	0.0	22.922	-1.6557	-1.0019	-1.6557	-0.024	-1.6557	-1.0019	-0.024	-509.1982	-92.6610	-92.6610	-92.6610	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.500	0.0263	0.0	0.0	22.924	-2.0085	-1.2196	-2.0085	-0.032	-2.0085	-1.2196	-0.032	-507.2425	-110.2	-110.2	-110.2	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.550	0.0370	0.0	0.0	22.926	-2.3190	-1.4513	-2.3190	-0.040	-2.3190	-1.4513	-0.040	-505.0832	-112.9542	-112.9542	-112.9542	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.600	0.0503	0.0	0.0	22.930	-2.6184	-1.6936	-2.6184	-0.049	-2.6184	-1.6936	-0.049	-502.7212	-122.0364	-122.0364	-122.0364	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.650	0.0663	0.0	0.0	22.934	-2.8976	-1.9427	-2.8976	-0.059	-2.8976	-1.9427	-0.059	-500.1572	-133.0712	-133.0712	-133.0712	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.700	0.0850	0.0	0.0	22.939	-3.1980	-2.1945	-3.1980	-0.070	-3.1980	-2.1945	-0.070	-497.3921	-142.0543	-142.0543	-142.0543	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.750	0.1064	0.0	0.0	22.944	-3.3614	-2.4444	-3.3614	-0.082	-3.3614	-2.4444	-0.082	-494.4267	-152.9822	-152.9822	-152.9822	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.800	0.1305	0.0	0.0	22.951	-3.5305	-2.6875	-3.5305	-0.094	-3.5305	-2.6875	-0.094	-491.2619	-162.8513	-162.8513	-162.8513	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.850	0.1571	0.0	0.0	22.959	-3.6488	-2.9188	-3.6488	-0.108	-3.6488	-2.9188	-0.108	-487.8986	-176.6579	-176.6579	-176.6579	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.900	0.1861	0.0	0.0	22.967	-3.7114	-3.1332	-3.7114	-0.123	-3.7114	-3.1332	-0.123	-484.3377	-182.3983	-182.3983	-182.3983	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
0.950	0.2172	0.0	0.0	22.977	-3.7147	-3.3257	-3.7147	-0.139	-3.7147	-3.3257	-0.139	-480.5802	-192.0689	-192.0689	-192.0689	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.000	0.2502	0.0	0.0	22.988	-3.6571	-4.917	-3.6571	-0.155	-3.6571	-4.917	-0.155	-476.6272	-201.6662	-201.6662	-201.6662	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.050	0.2847	0.0	0.0	23.000	-3.5387	-3.6266	-3.5387	-0.173	-3.5387	-3.6266	-0.173	-472.4796	-211.1864	-211.1864	-211.1864	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.100	0.3204	0.0	0.0	23.013	-3.3657	-3.7248	-3.3657	-0.190	-3.3657	-3.7248	-0.190	-468.1387	-220.6261	-220.6261	-220.6261	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.150	0.3571	0.0	0.0	23.026	-3.1694	-3.7708	-3.1694	-0.202	-3.1694	-3.7708	-0.202	-463.6049	-222.9811	-222.9811	-222.9811	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.200	0.3935	0.0	0.0	23.041	-2.9504	-3.7827	-2.9504	-0.211	-2.9504	-3.7827	-0.211	-458.8773	-239.2463	-239.2463	-239.2463	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.250	0.44292	0.0	0.0	23.056	-2.7149	-3.7636	-2.7149	-0.218	-2.7149	-3.7636	-0.218	-453.9548	-248.4168	-248.4168	-248.4168	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.300	0.48442	0.0	0.0	23.073	-2.4723	-3.7167	-2.4723	-0.222	-2.4723	-3.7167	-0.222	-448.8373	-257.4876	-257.4876	-257.4876	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.350	0.52647	0.0	0.0	23.091	-2.2335	-3.6469	-2.2335	-0.222	-2.2335	-3.6469	-0.222	-443.5254	-266.4544	-266.4544	-266.4544	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.400	0.5318	0.0	0.0	23.111	-2.0105	-3.5608	-2.0105	-0.216	-2.0105	-3.5608	-0.216	-438.0210	-275.3132	-275.3132	-275.3132	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.450	0.5646	0.0	0.0	23.132	-1.8151	-3.4656	-1.8151	-0.205	-1.8151	-3.4656	-0.205	-432.3269	-284.0609	-284.0609	-284.0609	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.500	0.59569	0.0	0.0	23.154	-1.6588	-3.3692	-1.6588	-0.188	-1.6588	-3.3692	-0.188	-426.4467	-292.6949	-292.6949	-292.6949	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.550	0.62291	0.0	0.0	23.177	-1.5511	-3.2793	-1.5511	-0.165	-1.5511	-3.2793	-0.165	-420.3844	-301.2128	-301.2128	-301.2128	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.600	0.66116	0.0	0.0	23.201	-1.4993	-3.2028	-1.4993	-0.136	-1.4993	-3.2028	-0.136	-414.1444	-330.6127	-330.6127	-330.6127	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.650	0.69448	0.0	0.0	23.226	-1.5081	-3.1455	-1.5081	-0.103	-1.5081	-3.1455	-0.103	-407.7309	-337.8928	-337.8928	-337.8928	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.700	0.7293	0.0	0.0	23.251	-1.5790	-3.1118	-1.5790	-0.065	-1.5790	-3.1118	-0.065	-401.1479	-332.0512	-332.0512	-332.0512	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.750	0.7655	0.0	0.0	23.276	-1.7109	-3.1044	-1.7109	-0.026	-1.7109	-3.1044	-0.026	-394.3987	-334.0856	-334.0856	-334.0856	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.
1.800	0.80339	0.0	0.0	23.302	-1.8994	-3.1241	-1.8994	0.014	-1.8994	-3.1241	0.014	-387.4859	-341.9931	-341.9931	-341.9931	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.	717.56	2000.00	0.	0.

Figure B-9. - Continued.

Figure B-9. - Concluded.

15.

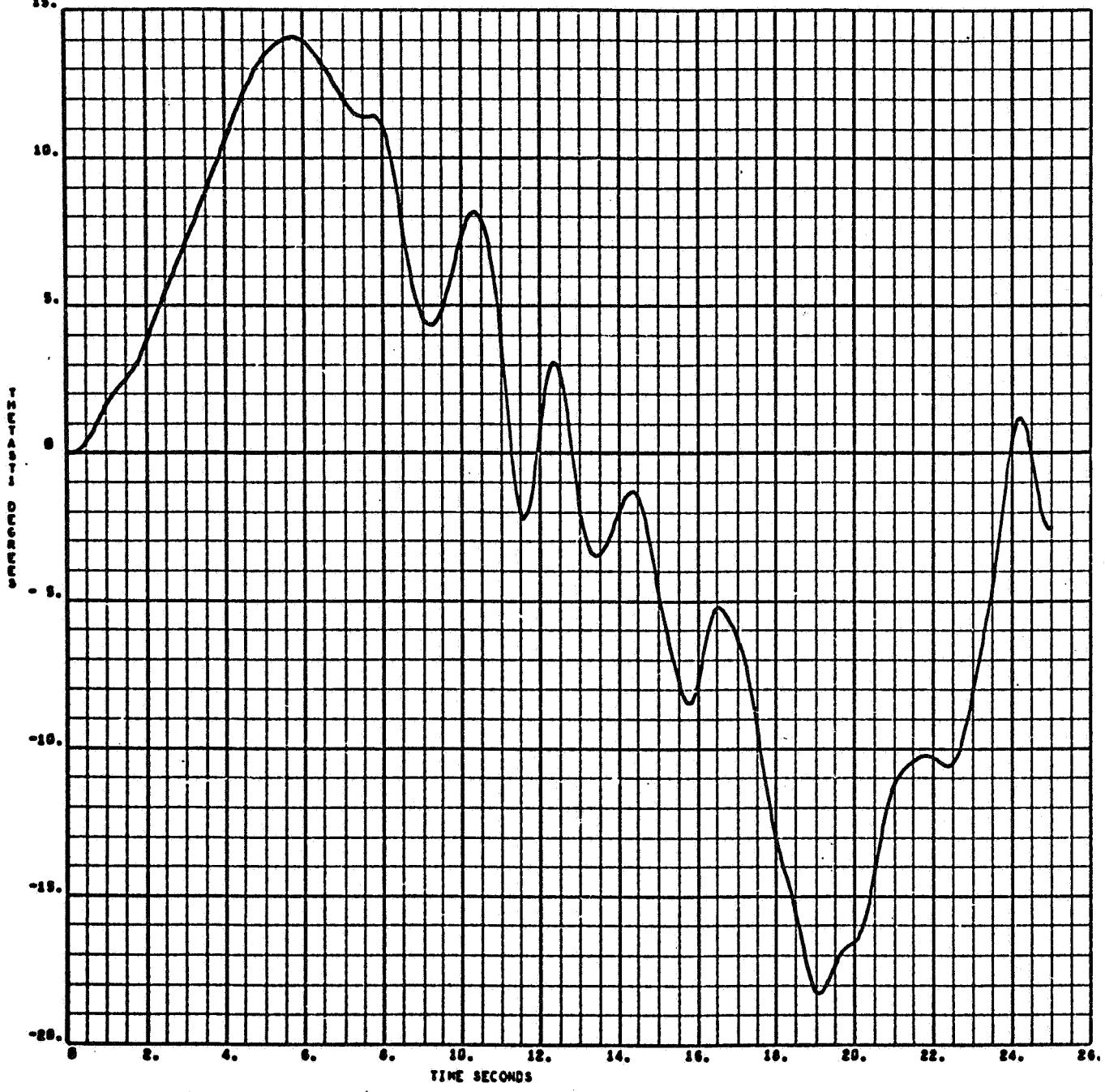


Figure B-10. - Pertinent S-C 4020 graphical output for sample run four.

III

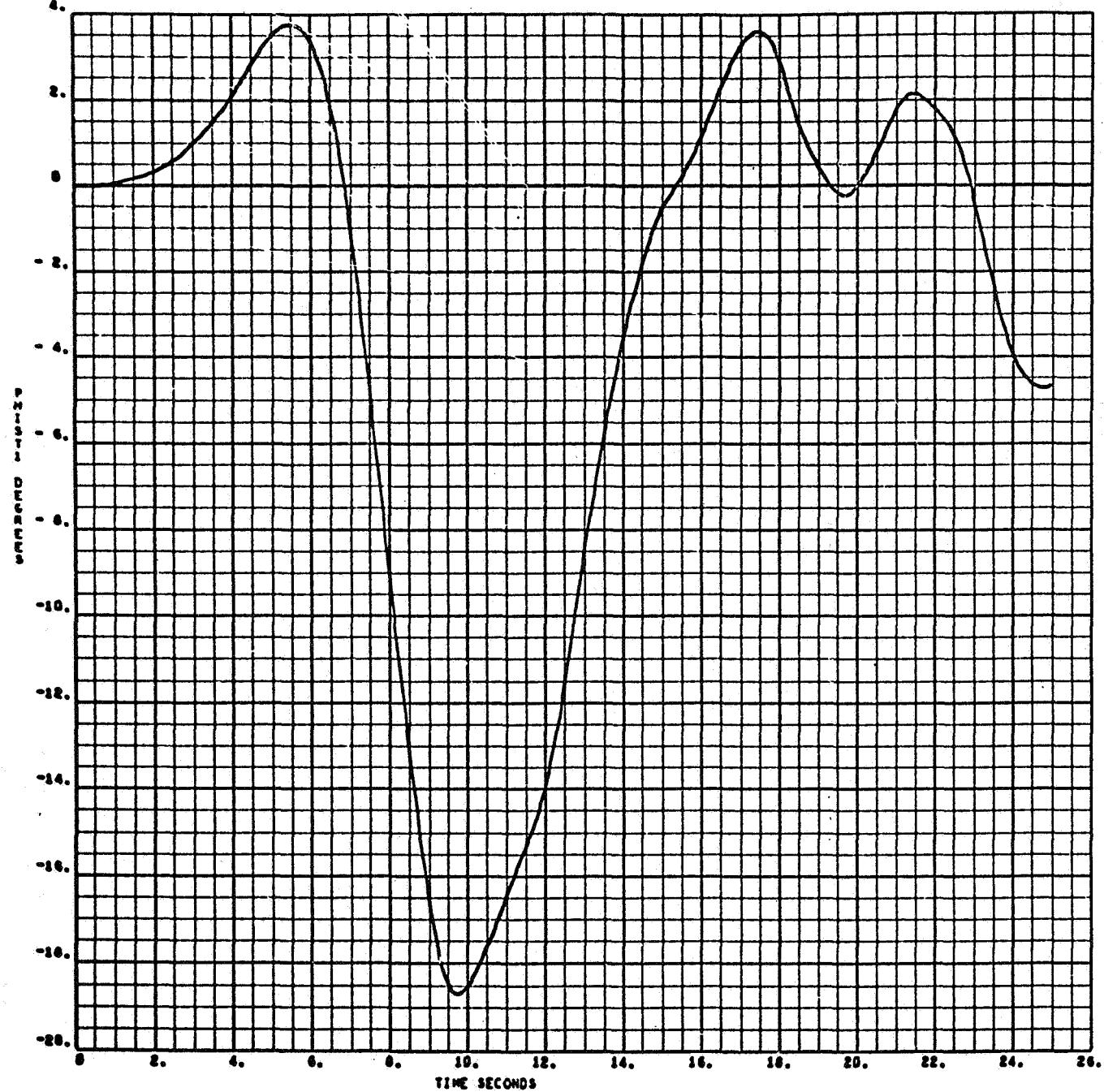


Figure B-10. - Continued.

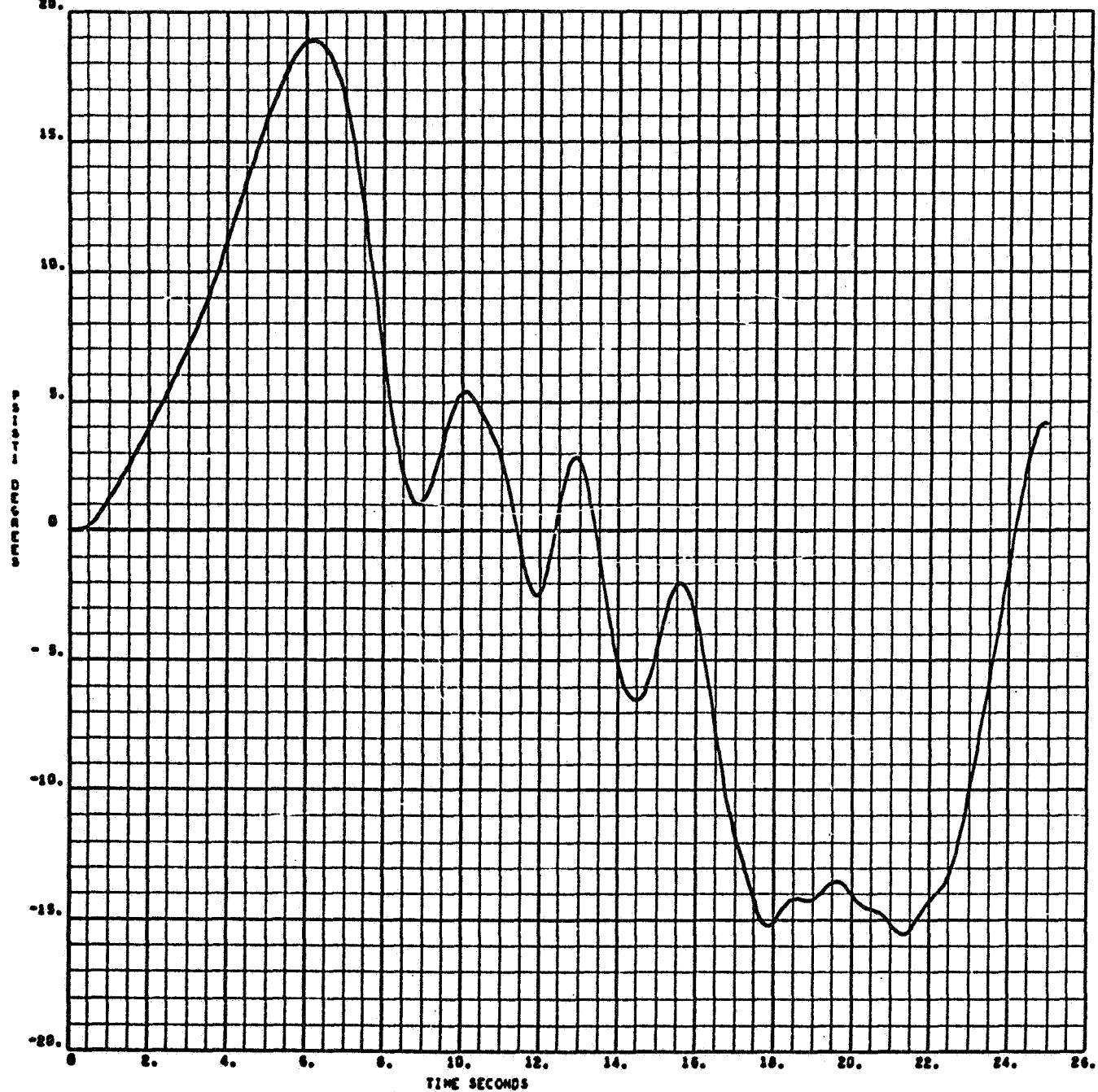


Figure B-10.- Continued.

III

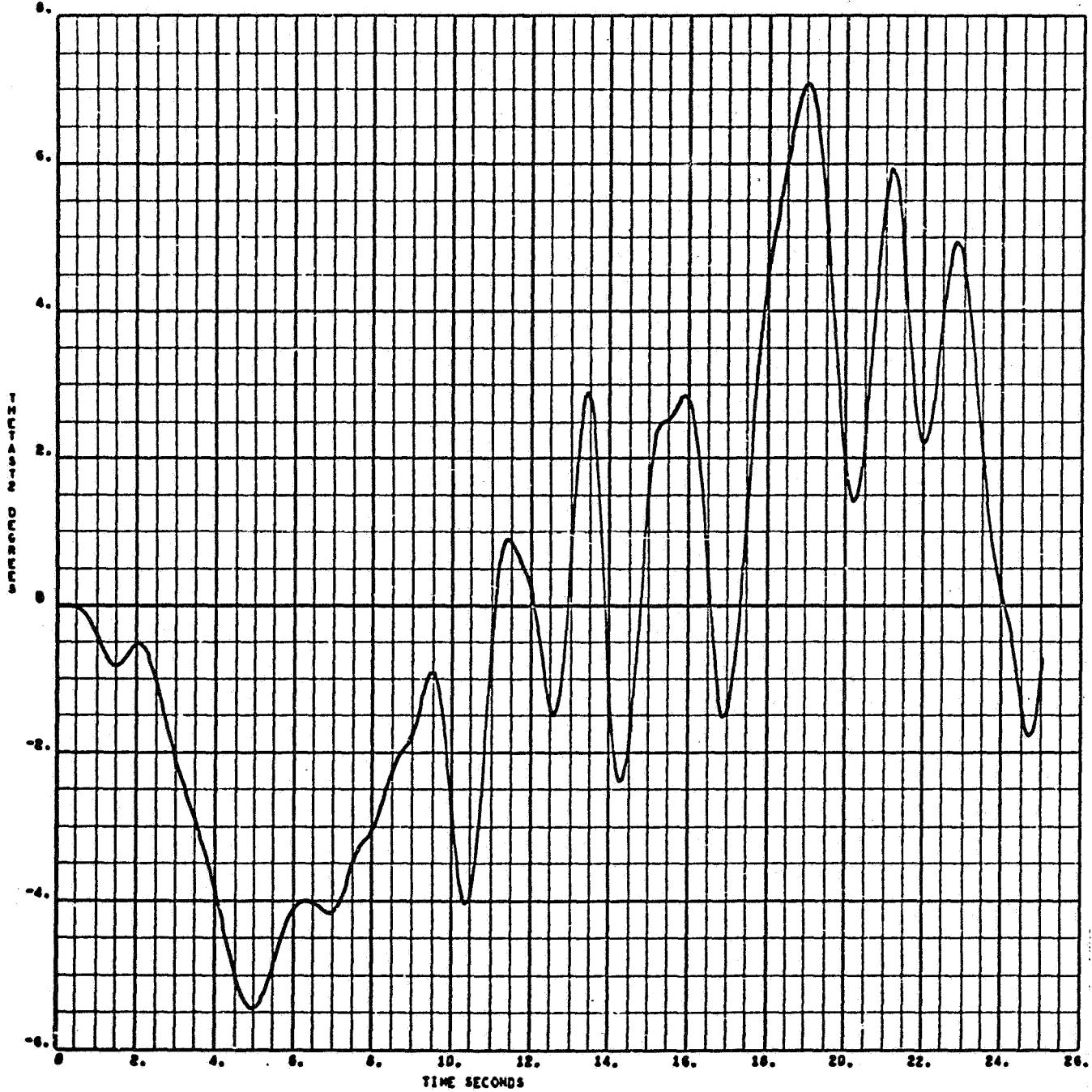


Figure B-10. - Continued.

III

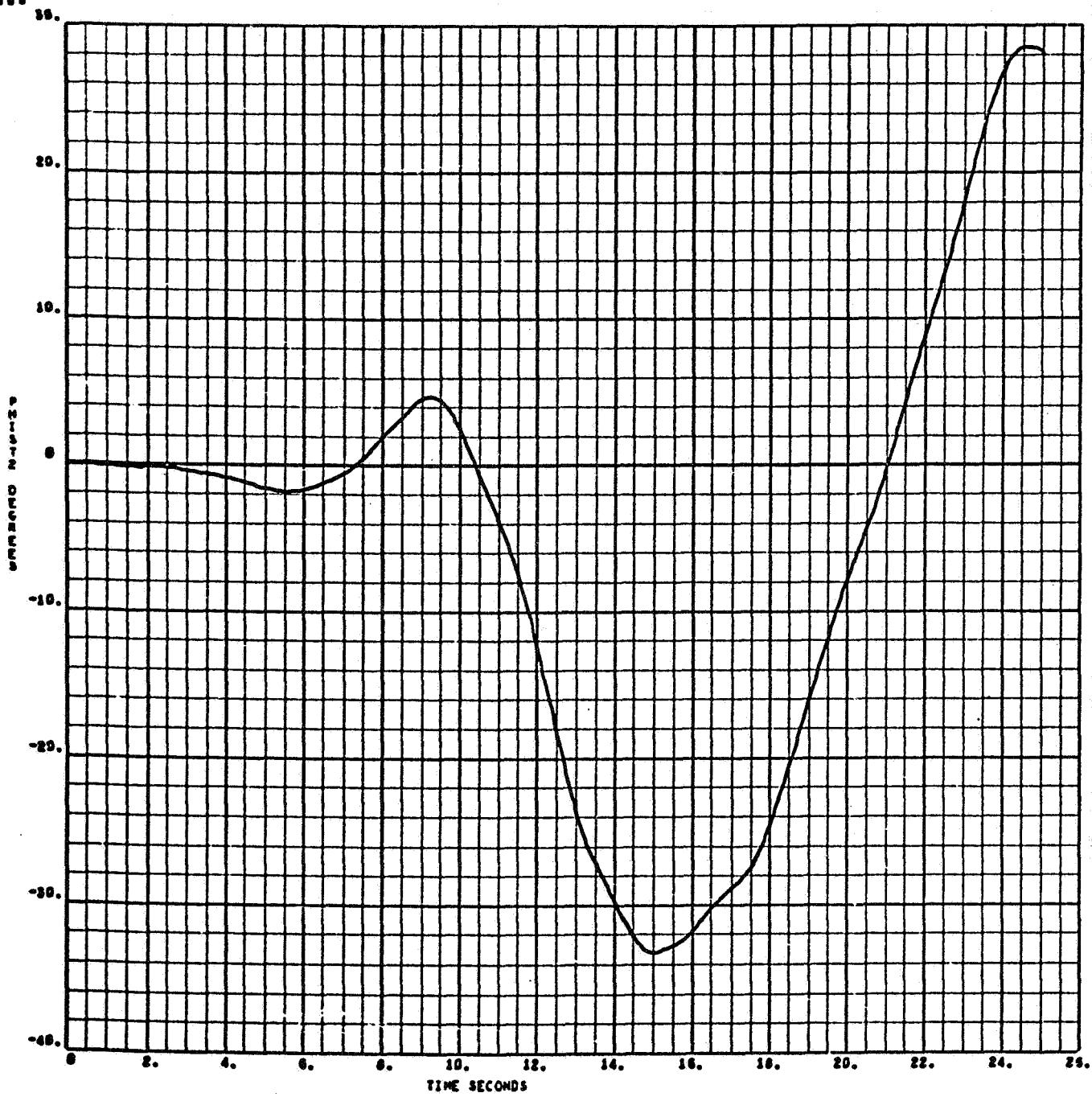


Figure B-10.- Continued.

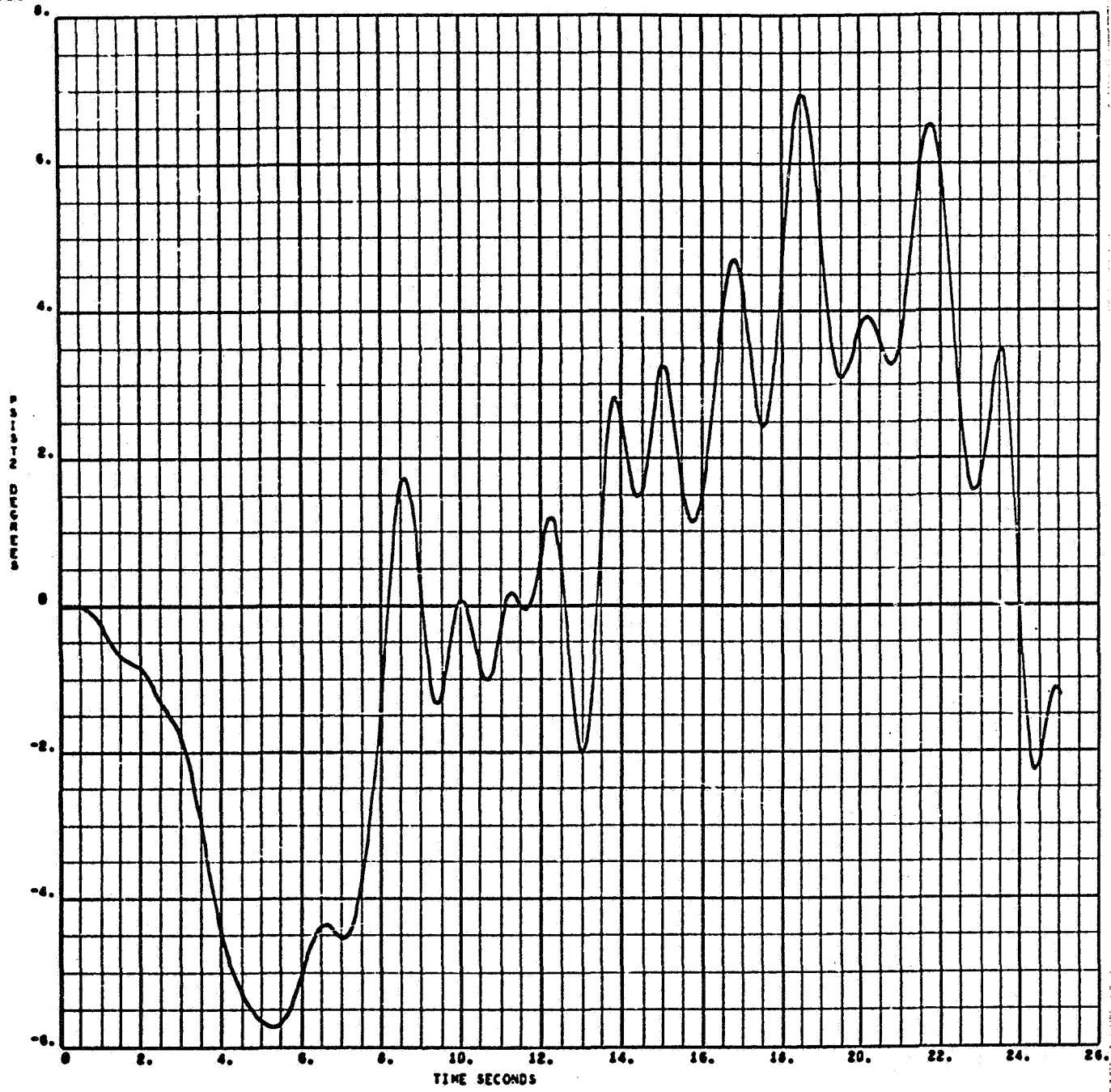


Figure B-10. - Continued.

III

6.

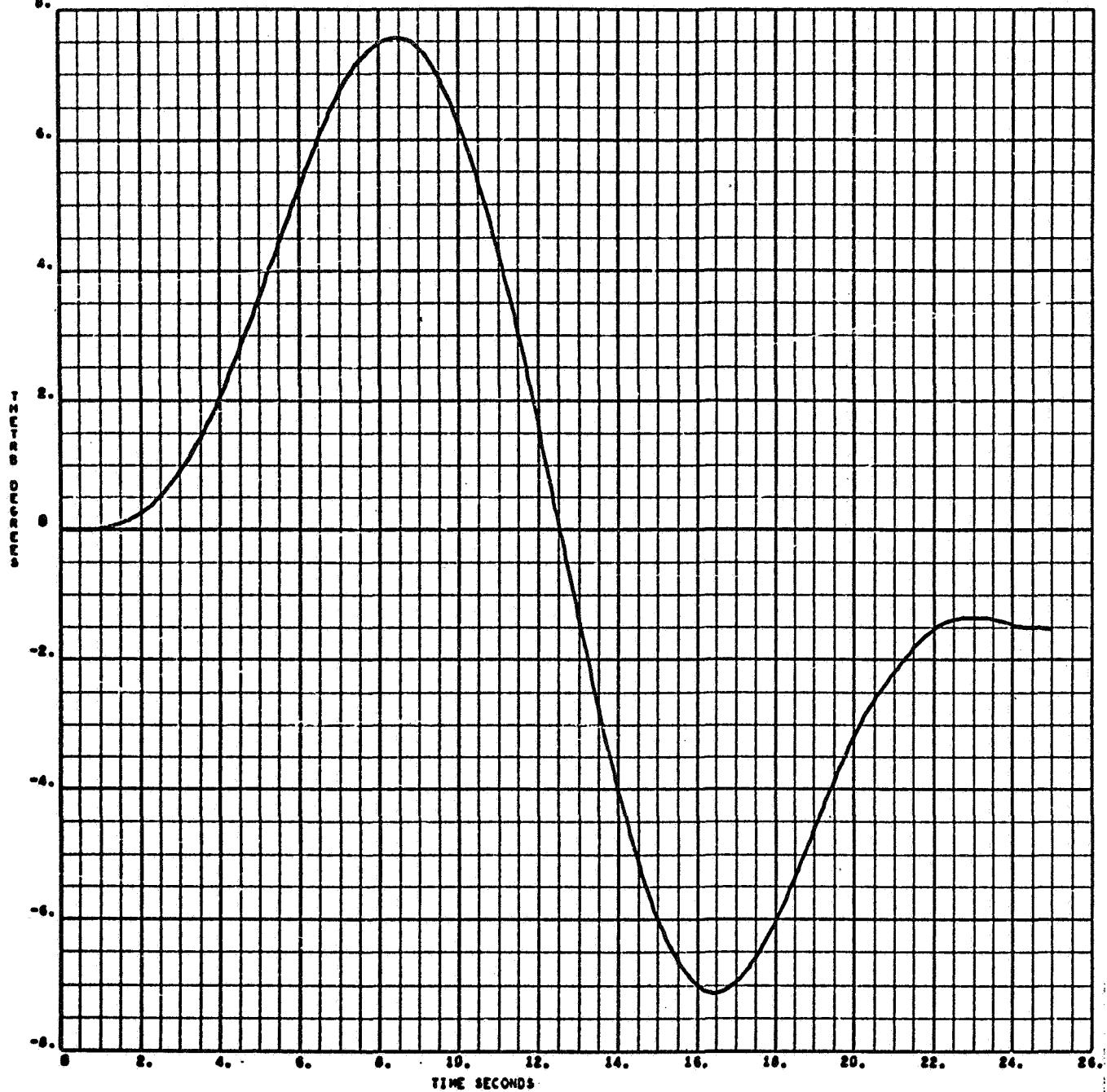


Figure B-10.- Continued.

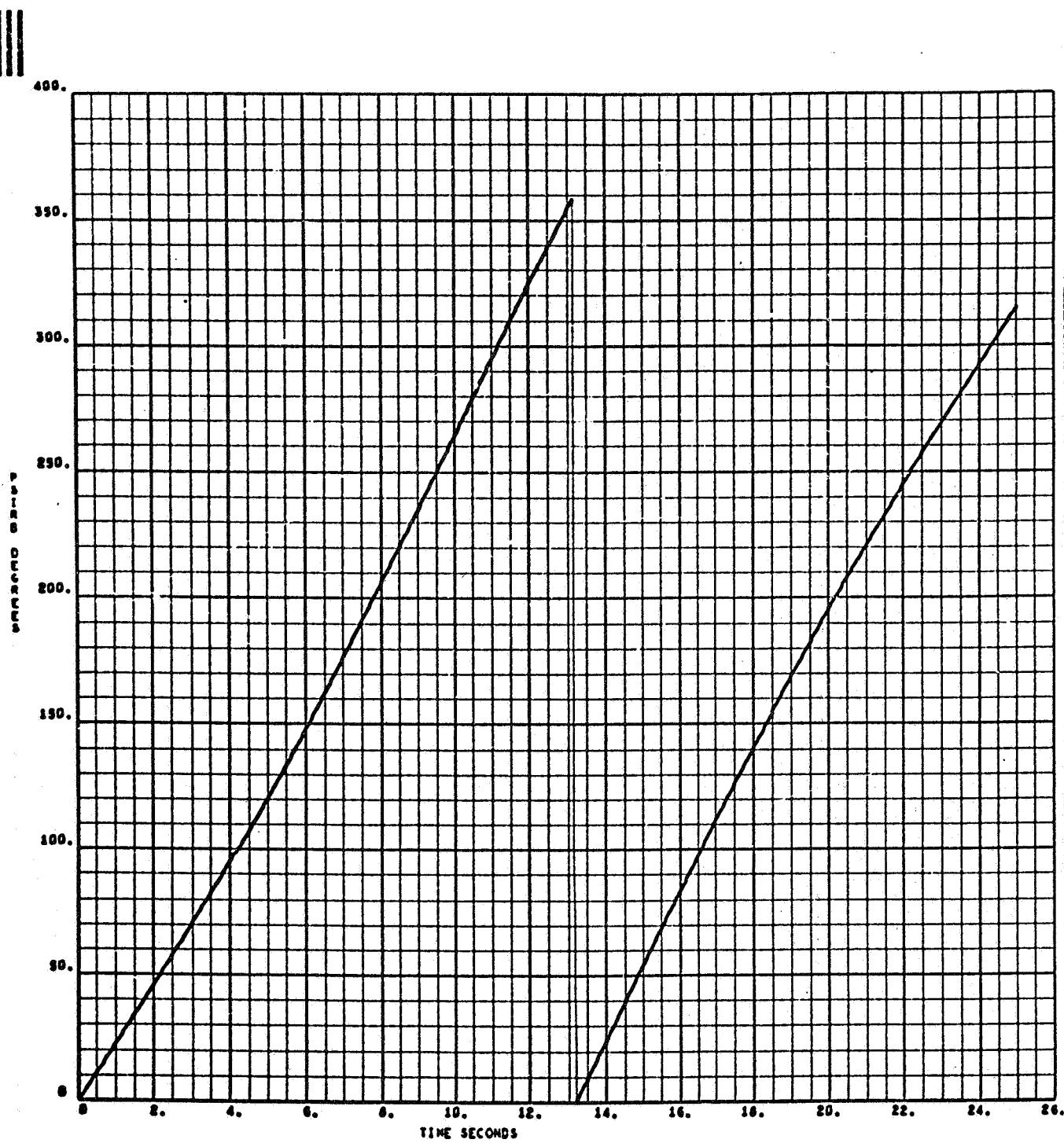


Figure B-10.- Continued.

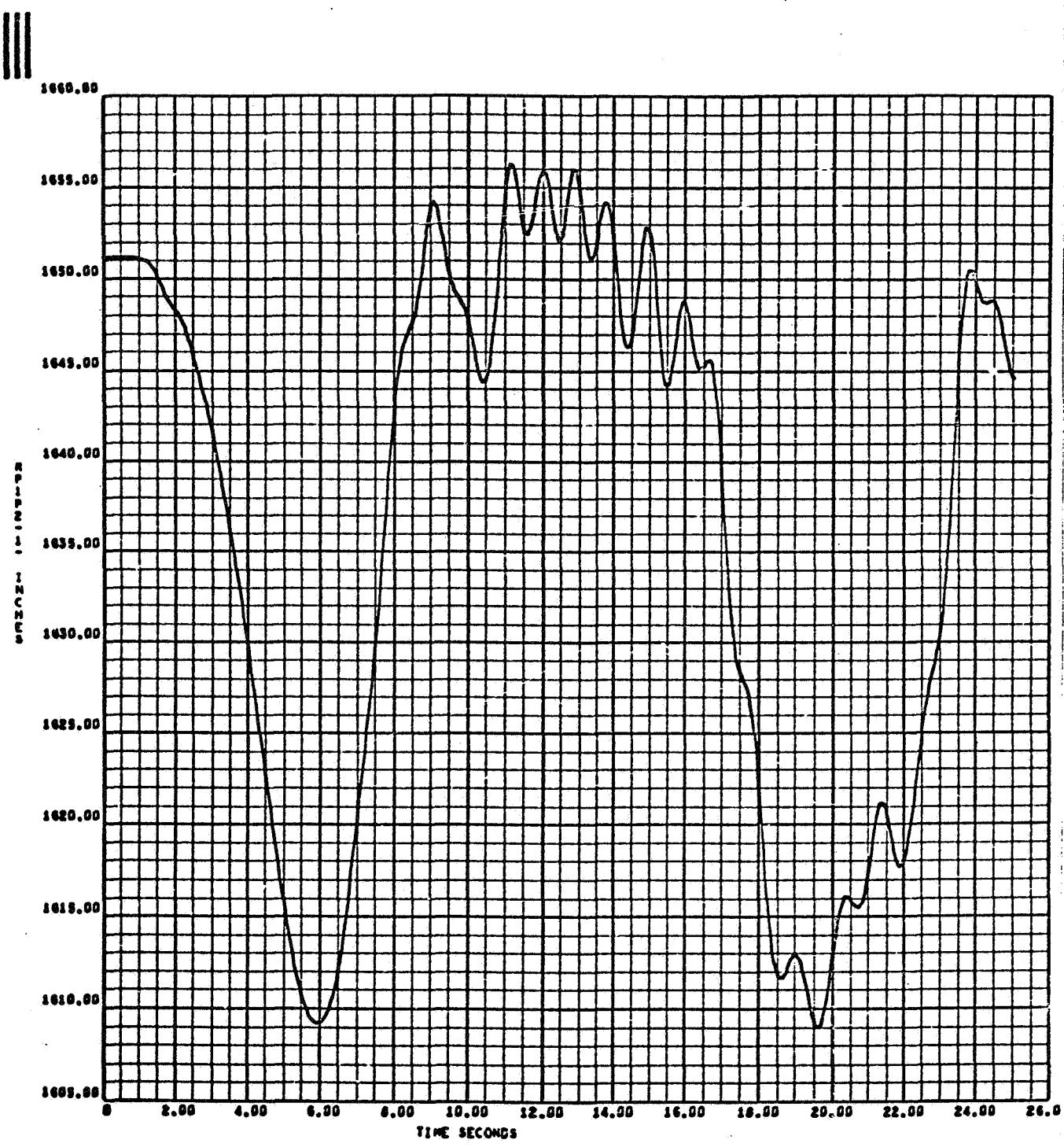


Figure B-10.- Concluded.

CABLE CONNECTED SPACE STATION DYNAMICS

WEIGHT OF BODY 1 = 39285 LB.

WEIGHT OF BODY 2 = 17935 LB.

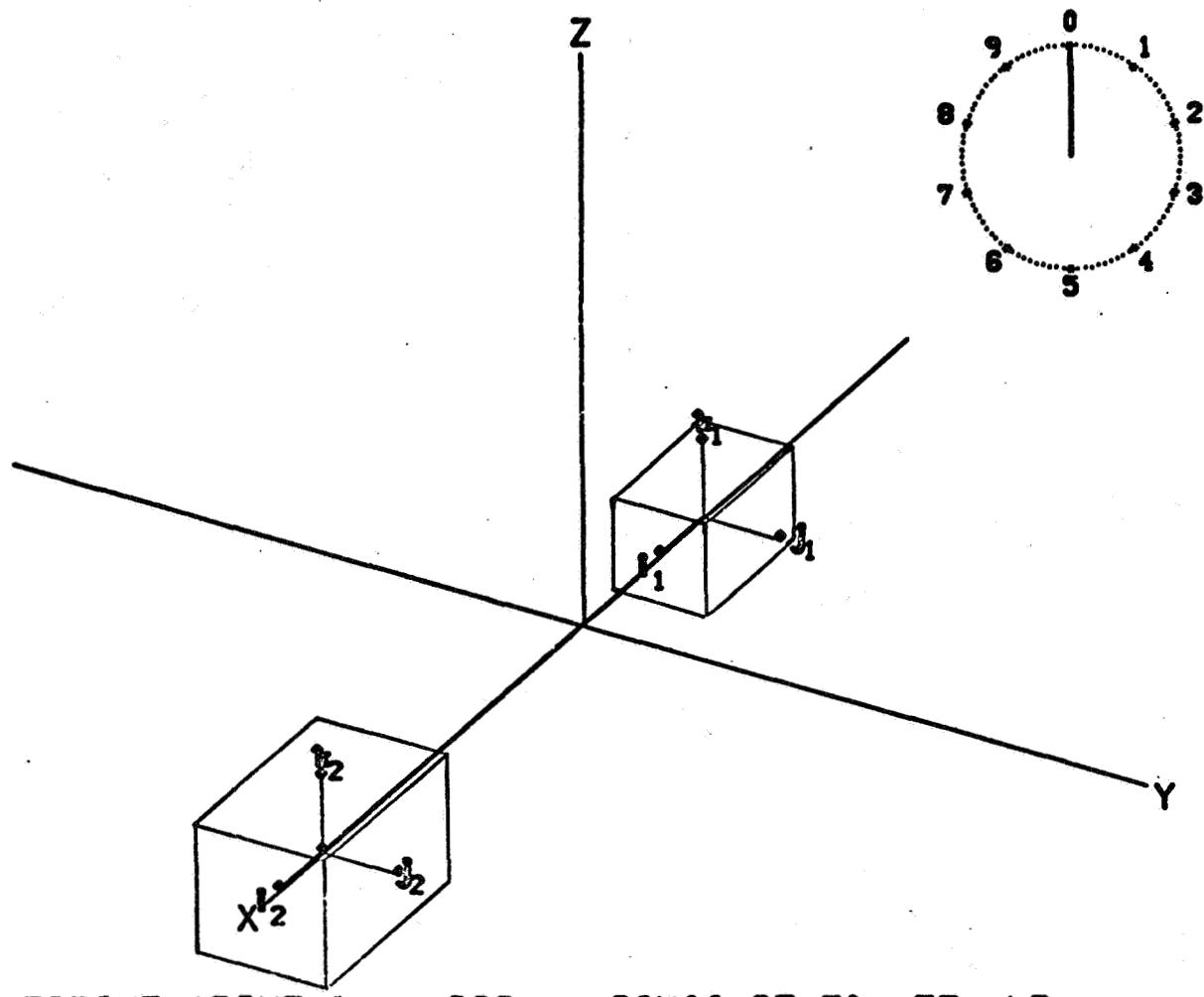
INITIAL SPIN SPEED = 22.92 DEG./SEC.

INITIAL DISTANCE BETWEEN BODY C.G.'S = 137.6 FT.

CABLE ELASTICITY = 14583300 PSI

TOTAL CABLE AREA = 0.1512 SQ. IN.

Figure B-11. - Typical S-C 4020 motion picture output for sample run four.



TORQUE ABOUT i_1 = 333 SIN(0.25 T) FT.-LB.

TORQUE ABOUT j_1 = 125000 SIN(0.25 T) FT.-LB.

TORQUE ABOUT k_1 = 125000 SIN(0.25 T) FT.-LB.

Figure B-11. - Continued.

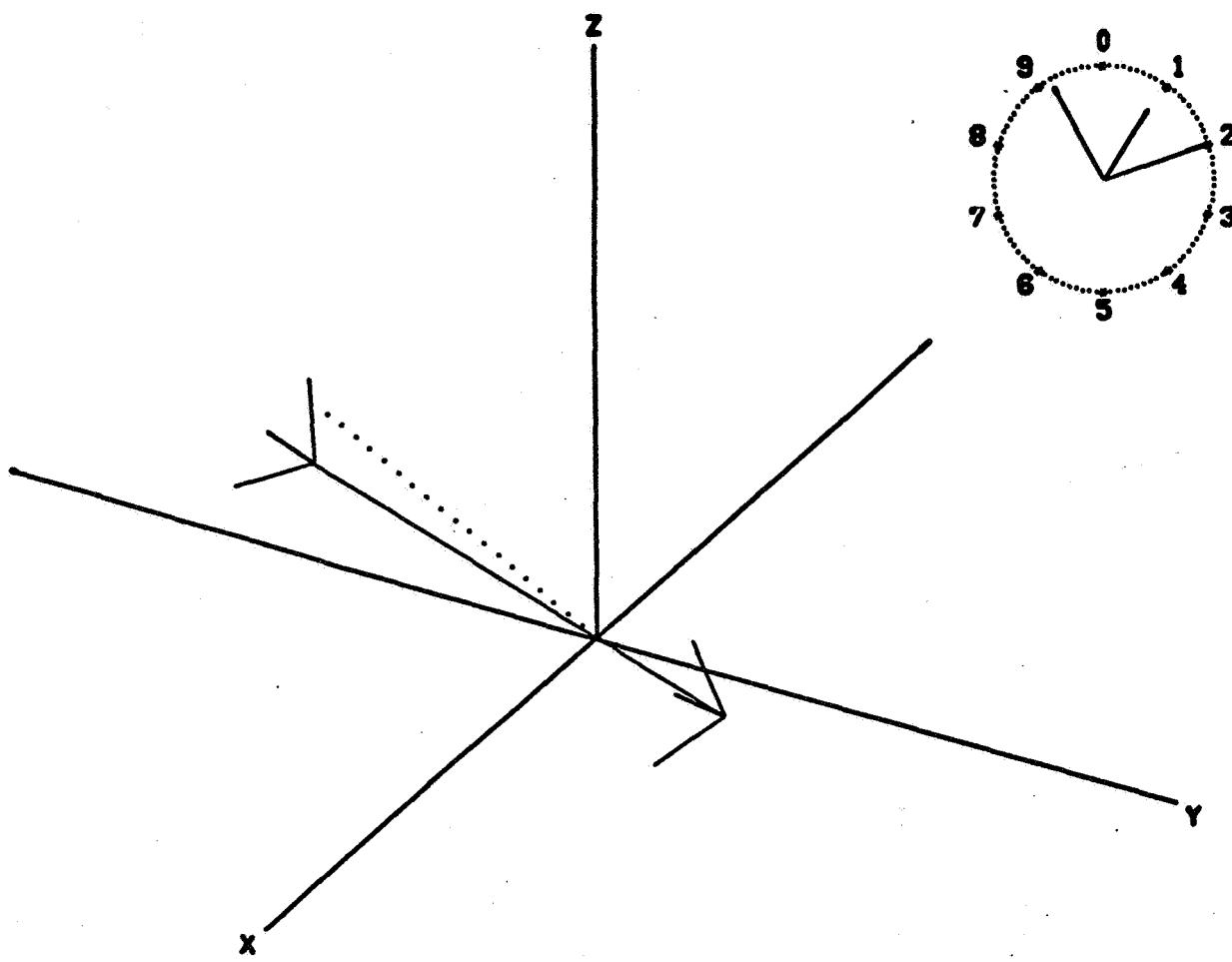


Figure B-11. - Continued.

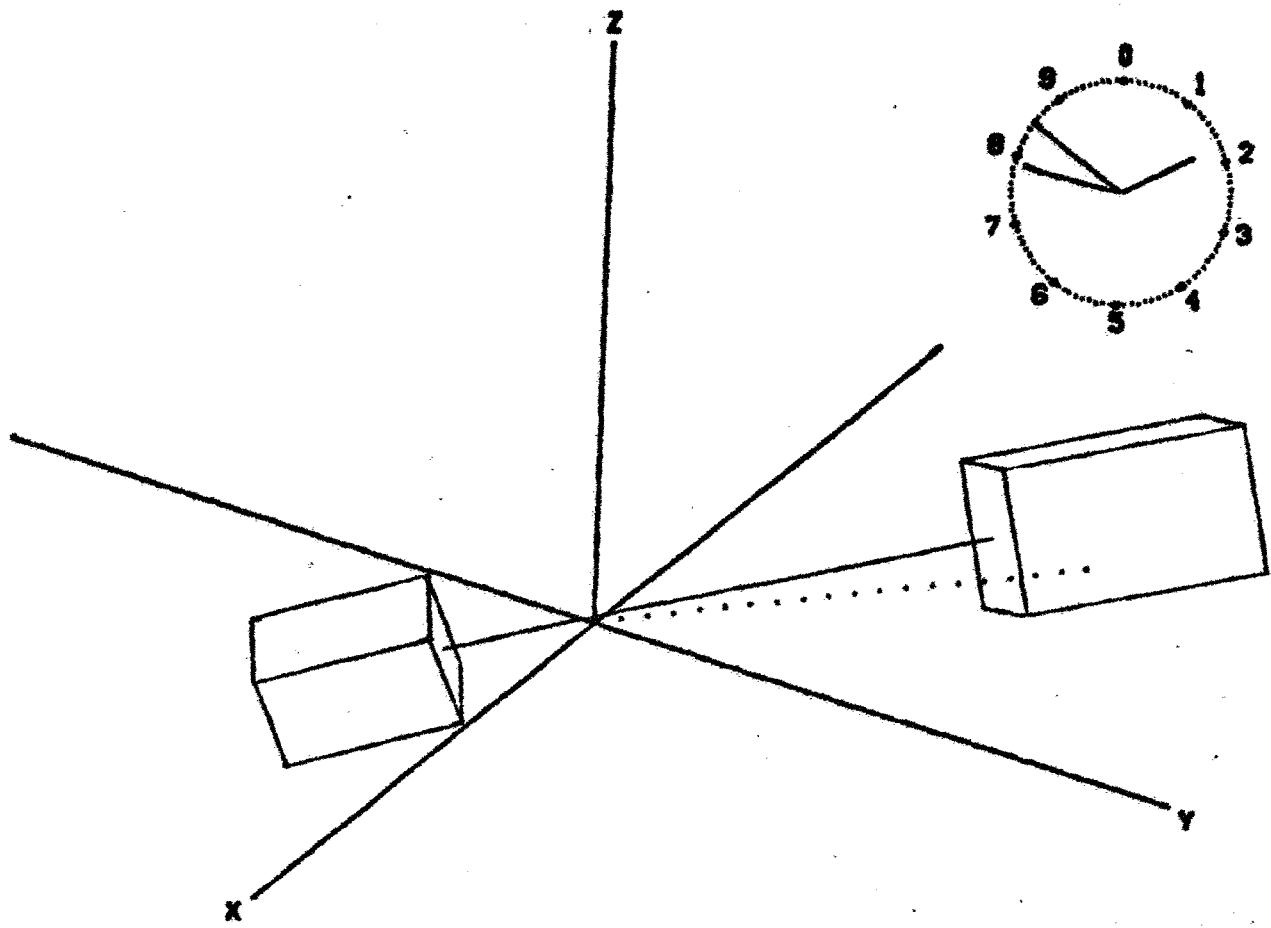


Figure B-11.- Concluded.

REFERENCE

1. Sperry Rand Systems Group: Space Station Stabilization and Control Study. NASA-CR-66019, Dec. 1963. (Also available as Sperry Report AB-1210-0020.)